

NUMERIC AND GEOMETRIC TEMPLATES

A STRUCTURALIST HYPOTHESIS

The specific examples in Table I of mass, length, force and density ratios being numerically equal to powers of α and μ suggest the general hypothesis that classes of physical ratios having like dimensionality are representable by $\alpha^n \mu^m$.

TABLE I

proton mass/electron mass	=	3.263 908 788	$= \alpha^0 \mu^1$
compton λ /electron radius	=	2.136 834 673	$= \alpha^{-1} \mu^0$
planck mass/proton mass	=	19.114 198 500	$= \alpha^{-12} \mu^{-2}$
electron radius/planck length	=	20.241 272 615	$= \alpha^{-11} \mu^{-1}$
coulomb force/gravity	=	39.355 471115	$= \alpha^{-23} \mu^{-3}$
planck density/proton density	=	79.838 016 426	$= \alpha^{-45} \mu^{-5}$

If this hypothesis is true, it would support the structuralist view that essence resides in relation rather than in entity. (In the present case the relations being ratios, and the entities being measurements of physical objects). Further, regularity in relations supports both diversity and multiplicity in physical objects, whereas regularity in physical objects alone is supportive of multiplicity but limiting or suppressive of diversity

The examples given in TABLE I are exact to nine places. However, since astronomical measurements are less accurate than laboratory measurements, in Table II the differences, δ , between the measurement ratios and the $\alpha^n \mu^m$ values are included.

TABLE II

sun mass/earth mass	=	5.522 4	$\alpha^2 \mu^3 = 5.518 057$	$\delta = 0.004$
sun radius/earth radius	=	2.038 1	$\alpha^{-4} \mu^{-2} = 2.019 521$	$\delta = 0.019$
earth mass/moon mass	=	1.910 1	$\alpha^{-7} \mu^{-4} = 1.902 208$	$\delta = 0.007$
earth density/sun density	=	0.592 6	$\alpha^{15} \mu^{10} = 0.586 565$	$\delta = 0.006$
sun mass/planck mass	=	37.961 0	$\alpha^{25} \mu^{29} = 37.968 579$	$\delta = 0.007$

A COSMOLOGICAL TEMPLATE

A template is not a theory nor a model, but is rather a frame of reference or infrastructure. Metaphorically a template is the table on which the dots [fact, values, observation, experimental results] are to be connected by theories.

grows and differentiate

A template may be ^{initial} unmold from which a structure is released and
or it may be an ideal toward which a system evolves, converges,
i.e. a source of divergence
or a destiny of convergence which,²
neither

destroys, it becomes
a process, a verb

The template is the source, the origin - not the destination

The template is the launch pad - which spawns diversity
and uniqueness

Beginning with a set of limits or constraint
as diversity is generated

A template is a set of constraints that enable diversity

Diversity ↑ ⇒ Information ↑

Energy is the fuel which allows Inf to ↑

In the "Inf-Energy" breath cycles
information is stored into the Shunyata
which become a storage place for all needs
however diverse

A TEMPLATE BEGINS
WITH A SET OF CONSTRAINTS
AND EXPLAINS THEIR RELATION SHIPS
N-THEORY
STRUCTURALIST APPRENTICE

The Template is, like God, a Verb

guiding and checking

the selection → selector process

Fractals and Texture

At each level a fractal is a net having both size and texture

Only that which is "caught" in the net exists

What is too large - needs the next fractal net

What is too small passes through the net, but

may be caught with a smaller net with finer texture

This suggests a top-down rather than a reductionist approach

A random set [say sizes]

hits the largest net - the largest are caught

others pass to the next, where the next size
is caught ...

What exists is then fractally constructed.

The size-texture relation between nets

may be such that the size of a net on level $[AT]$

\bar{s} = the texture of the net on level $[AT]$...

or $|AT| > |AT|$

\bar{s}_1 \bar{t}_1

what results in each of

or $|AT| < |AT|$

the 3 cases?

\bar{s}_2 \bar{t}_2

The net is a metaphor

There can be energy, mass, frequency, or nets as well as size nets



PYTH TEMPLATE

S , the Fractal Factor

\sqrt{S} is the "fractal scale factor" = 19.677940

It assumes the values:

fractal levels: $(\sqrt{S})^0, (\sqrt{S})^{\pm 1}, (\sqrt{S})^{\pm 3/2}, (\sqrt{S})^{\pm 2}, (\sqrt{S})^{\pm \frac{5}{2}}, (\sqrt{S})^{\pm 3}$

L

★

U

$f(d, \mu)$ provide "fine structure" to each fractal

e.g. standard model, periodic table, stellar types, Hubble types

Matter and Anti-matter, Populations I and II, Spiral + Barred Spiral

[Other fine structures of etc] e.g. $\sqrt{MS} \cdot \alpha \sqrt{S}$

$$\alpha = -2.136835$$

$$\mu = 3.263909$$

$$S = 39,355880$$

$$S \propto S \propto MS \quad \frac{S}{\alpha} \propto \frac{S}{\mu} \propto MS \quad \frac{S}{\alpha M} \propto \frac{S}{M} \propto \frac{MS}{\alpha} \quad 9$$

$$\frac{1}{S} \propto \frac{1}{\alpha S} \propto \frac{1}{\mu S} \propto \frac{1}{MS} \quad \frac{1}{\alpha M} \propto \frac{1}{S} \propto \frac{1}{\alpha S} \propto \frac{1}{MS} \quad 9$$

18 at each fractal level

to R, to M of UV
1, 3G at each level

The "Origin", the Planck Particle

Based on $G = -7.175705, C = 10.476821, h = -26.976924$

$$m_0 = \sqrt{\frac{hc}{G}} = -4.662199$$

$$l_0 = \sqrt{\frac{Gh}{C^3}} = -37.791545$$

$$[\frac{M^8}{T^2}] \quad e_0 = \sqrt{\pi c} = -8.250052$$

$$t_0 = \sqrt{\frac{Gh}{C^5}} = -43.268366$$

Measured Reference values: $r_e = -12.550068 = (\alpha \mu S)^{1/2} l_0$

$$m_p = -23.776602 = (\alpha \mu / S)^{1/2} m_0$$

$$m_e = -27.040511 = (\alpha / \mu S)^{1/2} m_0$$

$$m_n = -23.776004 =$$

$$e_0 = -9.318469 = (h \alpha c)^{1/2} = \alpha^{1/2} e_0$$

$$n_P S = 0.000598$$

$$\frac{\sqrt{m}s}{\alpha} \quad \frac{\mu s}{\alpha} \quad \sqrt{\frac{m}{\alpha}}s \quad \frac{\mu s}{\alpha}$$

$$\frac{m}{\alpha}s \quad \frac{m\sqrt{s}}{\alpha} \quad \frac{m}{\alpha}s^{3/2}$$

$$\sqrt{\frac{m}{\alpha}}s \quad \sqrt{\frac{m}{\alpha}}s$$

NO INTERPRETATION
 OBSERVATIONS, PARTS
 A SET OF METAMODELS
 TEMPLATE
 GROUND OR INNARRATION
 CULTURAL KNOWLEDGE
 T < G IF IT IS IN T AND IN G
 OR G
 revised

A COSMIC TEMPLATE

First, a template is to be distinguished from a theory:

A theory is the organization of a set of objects or measurements with their relationships being derived through operations subject to selected axioms and rules. The validity of a theory is established by logical consistency and conformity with observation and experiment. Since a theory must be coherent with the existing body of knowledge, it possesses explanatory and metaphoric value.

A template is a set of objects or measurements that supply their own relationships and organization. It is a structure in which the measurements self-organize without the necessity of coherence with any pre-existing theories or body of knowledge. Thus a template is neither right nor wrong, true nor false, and lacks any explanatory value.

An example of a template is the "Titius-Bode Law". This was a formula showing relationships between planetary distances in the solar system. It never had a theoretical base, but did prove useful in that it led to the discovery of the planet Uranus and the asteroid belt. A more familiar example of a template is the periodic table. The weights and numbers of different atoms self-organize in a very useful but not theoretically substantiated table. And a contemporary example of a template is a fractal.. While there is at present no theory to explain why patterns self-replicate on different scales, nonetheless they do. Hence, we may say that a template can be viewed as either a pre-theory or just a useful curiosity

Matheron

SCALAR SPATIAL TEMPLATE

The following template is a self-organizing set of measurements whose inputs come from particle physics and astrophysics. In particular, the inputs are the \log_{10} (cgs) numerical values of

The fine structure constant	$\alpha = -2.136835$	[0]
The proton/electron mass ratio	$\mu = 3.263909$	[0]
The coulomb/gravity force ratio	$S = 39.355471$	[0]
The velocity of light	$c = 10.476820$	[L/T]
The gravitational constant	$G = -7.175296$	[L ³ /MT ²]
The planck constant	$\hbar = -26.976924$	[ML ² /T]

Values derived from the above values:

$$\begin{aligned}
 \text{The planck length, } L_o &= \sqrt{\alpha\mu S} = 40.482545 & [0] \\
 \text{The electron radius } r_e &= \sqrt{\alpha\mu S} L_o = -32.791341 & [L] \\
 \text{The astral radius } R_A &= \alpha\mu S L_o = 7.691204 & [L] \\
 \text{The cosmic radius } R_K &= (\alpha\mu S)^{3/2} L_o = 27.932477 & [L]
 \end{aligned}$$

WAVE FORM AS TEMPLATE

There are basic and profound relationships between entities and wave forms. Which is to say, every unique entity may be considered as a manifestation of a unique wave form. We conventionally describe physical entities in terms of their size, mass, and shape, but each parameter is a function a set of interrelated frequencies woven together by their various amplitudes and phases. Or, simply put: Individuation is effected by wave form.

ENTITY	WAVE FORM
mass	frequencies
size	amplitudes
shape	phases
duration	duration

Again it is important to listen to the Structuralist School: The unmanifested relationships between entities, as well as the manifested entities themselves, are functions of wave form. Specifically forces and linkages as well as masses and sizes are expressions of wave form.

This would suggest that “dark matter” is related to baryonic matter by a single inversion in a wave form parameter. So the involved parameters must be identified and their possible inversions and symmetries then tested.

signal/noise :: # of selected arrangements/total # of arrangements :: information/random

One application of this idea would be to find parameters and values that relate geometric forms.

DIRAC
TEMPERATE VALUES

$S^{1/2}$	=	19.677 735 557	$(\alpha\mu)^{1/2}$	=	0.563 537 057
S	=	39.355 471 115	$(\alpha\mu)$	=	1.127 074 115
$S^{3/2}$	=	59.033 206 671	$(\alpha\mu)^{3/2}$	=	1.690 611 171
S^2	=	78.710 942 230	$(\alpha\mu)^2$	=	2.254 148 230
$S^{5/2}$	=	98.388 677 785	$(\alpha\mu)^{5/2}$	=	2.817 685 288
S^3	=	118.066 413 342	$(\alpha\mu)^3$	=	3.381 222 342
$S^{7/2}$	=	137.744 148 899	$(\alpha\mu)^{7/2}$	=	3.944 759 403
S^4	=	157.421 884 456	$(\alpha\mu)^4$	=	4.508 296 460
$S^{9/2}$	=	177.099 620 013	$(\alpha\mu)^{9/2}$	=	5.071 833 518
S^5	=	196.777 355 570	$(\alpha\mu)^5$	=	5.635 370 575
$S^{11/2}$	=	216.455 091 127	$(\alpha\mu)^{11/2}$	=	6.198 907 633
S^6	=	236.132 826 684	$(\alpha\mu)^6$	=	6.762 444 690
$S^{13/2}$	=	255.810 562 241	$(\alpha\mu)^{13/2}$	=	7.325 981 741
S^7	=	275.488 297 798	$(\alpha\mu)^7$	=	7.889 518 798
$S^{15/2}$	=	295.166 033 355	$(\alpha\mu)^{15/2}$	=	8.453 055 855
S^8	=	314.843 768 912	$(\alpha\mu)^8$	=	9.016 592 912
$(S/\alpha\mu)^{1/4}$	=	9.557 099 250	$(\alpha\mu S)^{1/4}$	=	$\alpha^{-11/2} \mu^{-1/2}$
$(S/\alpha\mu)^{1/2}$	=	19.114 198 500	$(\alpha\mu S)^{1/2}$	=	$\alpha^{-11} \mu^{-1}$
$(S/\alpha\mu)$	=	38.228 397 000	$(\alpha\mu S)$	=	$\alpha^{-22} \mu^{-2}$
$(S/\alpha\mu)^{3/2}$	=	57.342 595 500	$(\alpha\mu S)^{3/2}$	=	$\alpha^{-33} \mu^{-3}$
$(S/\alpha\mu)^2$	=	76.456 794 000	$(\alpha\mu S)^2$	=	$\alpha^{-44} \mu^{-4}$
$(S/\alpha\mu)^{5/2}$	=	95.570 992 500	$(\alpha\mu S)^{5/2}$	=	$\alpha^{-55} \mu^{-5}$
$(S/\alpha\mu)^3$	=	114.685 191 000	$(\alpha\mu S)^3$	=	$\alpha^{-66} \mu^{-6}$
$(S/\alpha\mu)^{7/2}$	=	133.799 389 500	$(\alpha\mu S)^{7/2}$	=	$\alpha^{-77} \mu^{-7}$
$(S/\alpha\mu)^4$	=	152.913 588 000	$(\alpha\mu S)^4$	=	$\alpha^{-88} \mu^{-8}$
$(S/\alpha\mu)^{9/2}$	=	172.027 786 500	$(\alpha\mu S)^{9/2}$	=	$\alpha^{-99} \mu^{-9}$
$(S/\alpha\mu)^5$	=	191.141 985 000	$(\alpha\mu S)^5$	=	$\alpha^{-110} \mu^{-10}$
$(S/\alpha\mu)^{11/2}$	=	210.256 183 500	$(\alpha\mu S)^{11/2}$	=	$\alpha^{-121} \mu^{-11}$
$(S/\alpha\mu)^6$	=	229.370 382 000	$(\alpha\mu S)^6$	=	$\alpha^{-132} \mu^{-12}$

GEOMETRIC OBJECTS:

CUBES

 $\epsilon, d, D \quad |$

$$d = \epsilon\sqrt{2}, \quad D = \epsilon\sqrt{3}$$

OCTAGONS

$$D = \epsilon\sqrt{2}; V = \frac{1}{3} \epsilon^2 D = \epsilon^3 \frac{\sqrt{2}}{3} = \frac{D^3}{6}$$

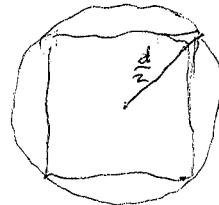
PYRAMIDS

$$\frac{1}{3} \epsilon^2, \quad 2/3 \times \left(\frac{1}{3}\right) = \text{DOMES}$$

CYLINDERS

$$r, R$$

$$\text{radii } \frac{d}{2}, \frac{D}{2}$$



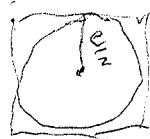
SPHERES

$$2/3$$

CONES

$$\frac{1}{2}$$

2CYLINDERS



2INTERSECT

3CYLINDERS

3INTERSECT

Cubes, Pyramids, Betweens

$$e = 2$$

$$V = 8$$

$$e = 2, h = 2$$

$$V = \frac{8}{3} = 2.\bar{6}$$

$$e = 2, h = 2$$

$$V = \frac{16}{3} = 5.\bar{3}$$

CUBES

$$e = 2$$

$$V_e = 8 \textcircled{6}$$

$$22.627417 \textcircled{3}$$

$$d = 2\sqrt{2}$$

$$V_d = 8^{3/2} = 8\sqrt{2}$$

$$V_d/V_e = 2^{3/2} = \sqrt{8} = 2.828427$$



$$D = 2\sqrt{3}$$

$$V_D = 8 \cdot 3^{3/2}$$

$$V_D/V_e = 3^{3/2} = \sqrt{27} = 5.196152$$

$$41.569219 \textcircled{11}$$

$$V_D/V_d = \left(\frac{3}{2}\right)^{3/2} = \sqrt{\frac{27}{8}} = 1.837117$$

$$V_D - V_e = 33.569219$$

$$C \quad V_D - V_d = 18.941802$$

$$V_d - V_e = 14.627417$$

PYRAMIDS

$$e = 2$$

$$V_e = \frac{8}{3} = 2.\bar{6} \textcircled{9}$$

$$V_d/V_e = \dots$$



$$d$$

$$V_d = \frac{8^{3/2}}{3} = 7.542472 \textcircled{10} \textcircled{7}$$

$$D$$

$$V_D = 8 \cdot 3^{1/2} = 13.856406 \textcircled{5}$$

P

$$V_D - V_e = 11.189739$$

$$V_D - V_d = 6.713934$$

$$V_d - V_e = 4.875806$$

BETWEENS (COMES)



$$e = 2$$

$$V_e = \frac{16}{3} = 5.\bar{3} \textcircled{8}$$

$$V_d/V_e = \dots$$

$$d$$

$$V_d = 14.904944 \textcircled{4}$$

B

$$D$$

$$V_D = 27.772812 \textcircled{2}$$

$$V_D - V_e = 22.379479$$

$$V_D - V_d = 12.867868$$

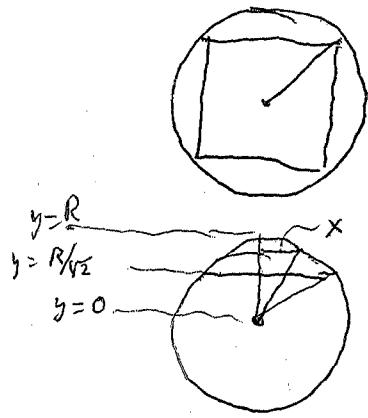
$$V_d - V_e = 9.577611$$

$41,569219$ 27.712813 $\underline{13,856406}$ $21,569219$ 22.627417 $\underline{18,941802}$ $27,712813$ 22.627417 $\underline{5,085496}$ $15,084943$ $13,856406$ $\underline{1,228539}$

37

 22.627 20.241 $2,386$ 11° 57° 51° $\sum d$ $R = 1$ $D = 2R$ $D^2 - e^2 = d^2$ $d^2 = 2e^2$ $D^2 = 3e^2$ $D = \sqrt{3} e$ $R = \frac{\sqrt{3}}{2} e$ $R = 1, e = \frac{2}{\sqrt{3}}$

I_2 Y_1 has radius R , cube has edge, $e = \sqrt{2}R$, $V = e^3 = \sqrt{8}R^3$



$$V_{cap} = \int_{\frac{R}{\sqrt{2}}}^R 4x^2 dy = 4 \int_{\frac{R}{\sqrt{2}}}^R (R^2 - y^2) dy$$

$$X^2 + y^2 = R^2$$

$$= 4R^2 \left[R - \frac{R}{\sqrt{2}} \right] - \frac{4}{3} \left[R^3 - \frac{R^3}{\sqrt{8}} \right]$$

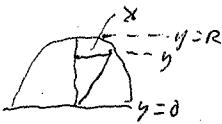
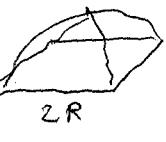
$$V_c = 4R^3 \left[1 - \frac{1}{\sqrt{2}} - \frac{1}{3} + \frac{1}{3\sqrt{8}} \right]$$

$$I_3 = V = GV_c + \sqrt{8}R^3 = 8(2 - \sqrt{2})R^3 = 4.686292 R^3$$

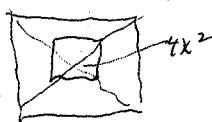
$$Y_3 = 3Y_1 - 3I_2 + I_3 = (6\pi - 16 + 16 - 8\sqrt{2})R^3 = (6\pi - 8\sqrt{2})R^3 = 7.535848 R^3$$

I_2

Face
cylinder
radius $= R = \frac{e}{\sqrt{2}}$



R = radius of Y_1



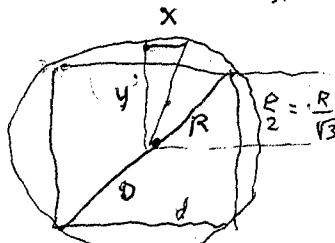
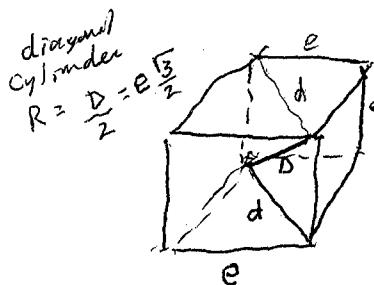
$$I_2 = 2 \int_{y=0}^R 4x^2 dy = 8 \int_{y=0}^R (R^2 - y^2) dy = 8R^2 \left[R \right] - \frac{8}{3} \left[R^3 \right]$$

$$I_2 = \frac{16}{3} R^3 = 5.3 R^3$$

$$Y_2 = 4\pi - \frac{16}{3} = 7.2330373$$

I_d

Cylinders on diagonal
not face or cube
in shown

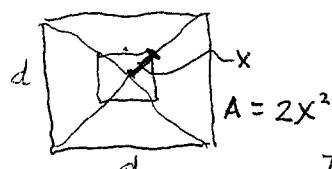


$$V_c = 2 \int_{y=\frac{R}{\sqrt{3}}}^R x^2 dy = 2 \int_{y=\frac{R}{\sqrt{3}}}^R (R^2 - y^2) dy$$

$$V_c = 2R^2 \left[R - \frac{R}{\sqrt{3}} \right] - \frac{2}{3} \left[R^3 - \frac{R^3}{3\sqrt{3}} \right]$$

$$V_c = \frac{4}{3} R^3 \left[1 - \frac{4}{3\sqrt{3}} \right]$$

$$6V_c = 8R^3 \left[1 - \frac{4}{3\sqrt{3}} \right]$$



$$I_d = 6V_c + V_k = 8R^3 \left[1 - \frac{4}{3\sqrt{3}} + \frac{1}{3\sqrt{3}} \right] = 8R^3 \left[1 - \frac{1}{\sqrt{3}} \right]$$

$$R=1 \quad I_d = 3.3811978 = 3.3811978$$

$\frac{1}{6}$ cube

$$d = e\sqrt{2}$$

$$D^2 = d^2 + e^2 = 3e^2$$

$$D = e\sqrt{3}$$

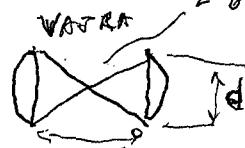
$$R = \frac{D}{2} = \frac{e\sqrt{3}}{2}$$

$$V_k = e^3 = \frac{8R^3}{3\sqrt{3}}$$

$$d = \sqrt{\frac{8}{3}} R$$

$$\frac{1}{3} (6V_c + V_k) = 2V_c + \frac{V_k}{3} = 1.127066$$

$$\Delta \mu \approx 1.127074 \quad \delta = 0.000008$$



$$d = \frac{d}{\sqrt{2}}$$

$$\begin{aligned}
 I_3 &= 8(2 - \sqrt{2}) = 4.868292 \\
 9\alpha\mu &= 8(3 - \sqrt{3}) = 10.143594 \rightarrow \cancel{\alpha\mu} = 1.127066 \\
 3I_2 &= 8(4 - \sqrt{4}) = 16 = \left(\frac{4}{3}\right)^{3/2}(\sqrt{3} - 1)
 \end{aligned}$$

$$Y_1 = 2\pi R^3 = 6.283185 \quad 5 - \sqrt{5} = 1.127017$$

$$Y_2 = 4(\pi - \frac{4}{3})R^3 = 7.233037 \quad \text{measured } \alpha\mu = 1.127074$$

$$Y_3 = (6\pi - 8\sqrt{2})R^3 = 7.535848$$

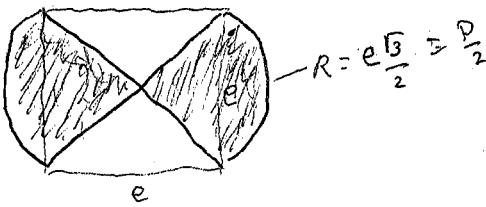
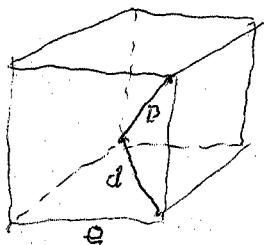
where R is the cylinder radius $\approx \frac{e}{\sqrt{2}} = \frac{d}{2}$

$$I_2 = \frac{16}{3} R^3$$

$$I_3 = 8(2 - \sqrt{2})R^3$$

$$3\alpha\mu = 8(1 - \frac{1}{\sqrt{3}})R^3 = 3.381198 = 3 \text{ VAJRA}$$

$$\tilde{R} = \frac{D}{2} = e \frac{\sqrt{3}}{2}$$



VAJRA

Volume = $\alpha\mu$

$C = \text{Cube}$ $P = \frac{1}{3} \text{ Cube}$ $B = \frac{2}{3} \text{ Cube} \quad \text{DOMESTIC}$

$D: e = 2\sqrt{3}$

$d: C = 2\sqrt{2}$

$e: E = 2$

 Δ'

$V = 8 \cdot 3^{\frac{3}{2}}$

$\frac{2}{3} C_D$

$V = 8 \cdot 2^{\frac{3}{2}}$

$\frac{2}{3} C_d$

$\frac{1}{3} C_D$

$V = 8$

$\frac{1}{3} C_d$

$\frac{2}{3} C_e$

$\frac{1}{3} C_e$

	C_p	B_D	C_d	B_d	P_D	C_e	P_d	B_e	P_e
	41.569219	27.712813	22.627417	15.084945	13.856406	8	7.542472	5.3	2.6
C_D	41.569219	0	13.856406	18.941802	26.484274	27.712813	33.569219	34.026747	36.135886
B_D	27.712813	$3\frac{1}{2}$	0	5.085496	12.627868	13.856407	19.712813	20.170341	22.379480
C_d	22.627417	$(\frac{3}{2})^{\frac{3}{2}}$	$(\frac{3}{2})^{\frac{1}{2}}$	0	7.542472	8.771011	14.627417	15.084945	17.960751 17.294084
B_d	15.084945	$3\frac{1}{2}/4\sqrt{2}$	$3^{\frac{3}{2}}/\sqrt{8}$	$3\frac{1}{2}$	0	1.228538	7.084945	7.542472	9.751613
P_D	13.856406	3	2	$2\sqrt{2}/3^{\frac{1}{2}}$	$2^{\frac{5}{2}}/3^{\frac{3}{2}}$	0	5.856406	6.313934	8.523073
C_e	8	$3^{\frac{3}{2}}$	$2 \cdot 3^{\frac{1}{2}}$	$\sqrt{8}$	$2^{\frac{5}{2}}/3$	$3^{\frac{1}{2}}$	0	0.467528	2.6
P_d	7.542472	$3^{\frac{5}{2}}/\sqrt{8}$	$3^{\frac{3}{2}}/\sqrt{2}$	3	2	$3^{\frac{1}{2}}/\sqrt{8}$	$3/\sqrt{8}$	0	2.209139
B_e	5.3	$3^{\frac{5}{2}}/2$	$3^{\frac{3}{2}}/2$	$3\sqrt{2}$	$\sqrt{8}$	$3^{\frac{1}{2}}/2$	$3/2$	$\sqrt{2}$	0
P_e	2.6	$3^{\frac{5}{2}}$	$2 \cdot 3^{\frac{3}{2}}$	$3\sqrt{8}$	$2^{\frac{5}{2}}$	$3^{\frac{1}{2}}$	3	$\sqrt{8}$	2
RATIOS									

$$B_d = (B_D - C_d) + 10$$

~~$2^{\frac{5}{2}}$~~
 $\frac{2^5 \sqrt{2}}{3}$

$\Delta = 0.000551$

$\sqrt{57} = 7.549834$
 7.542472
 0.0007362

$\frac{8}{3} \cdot 2^{\frac{3}{2}} = 75424723$

41.569219381653055044658712196141

13.856406460551018348219570732047

27.712812921102036696439141464094

22.627416997969520780827019587355

7.5424723326565069269423398624517

15.084944665313013853884679724903

8

2.66666666666666666666666666666667

5.33333333333333333333333333333333

$$I_2 = 3,381198$$

$$8(1 - \frac{1}{\sqrt{3}})$$



BASE = E = 2

NORMALIZED
to INT₂

convert to R³

VOLUME $\times E^3$	CONE	PYRAMID	INNERCUBE	SPHERE	INT ₃	INT ₂	CYL ₁	CYL ₂	CYL ₃	\times CUBE
$\times \frac{3}{16} E^3$	$\frac{2\pi}{3}$	$8/3$	$\sqrt{8}$	$\frac{4}{3}\pi$	$8(2 - \sqrt{2})$	$16/3$	2π	$4\pi - 16/3$	$6\pi - 8\sqrt{2}$	$8^{E=2}$
2.094395	2.094395	2.094395	2.828427	4.188790	4.680292	5.333333	6.283185	7.233037	7.535846	8
$\times \frac{3}{16} 8 \rightarrow 3$	$\pi/8$	$1/2$	$3/2\sqrt{8}$	$\pi/4$	$\frac{3}{2}(2 - \sqrt{2})$	1	$\frac{3}{8}\pi$	$\frac{3\pi}{4} - 1$	$\frac{9}{8}\pi - \frac{3}{\sqrt{2}}$	1.5
0.392699	0.5	0.530330	0.785398	0.878680	1	1.178097	1.356195	1.412971	1.5	
$\times 40.482552$	15.897461	20.241276	21.469112	31.794915	35.571209	40.482552	47.692373	54.902235	57.200672	60.723828
$\times -32.791345$	-16.893884	-12.550069	-11.322233	-0.996430	2.779864	7.691207	14.901028	22.110890	24.409327	27.932483
$\times \sim 43.268166$	-27.370705	-23.026890	-21.799054	-11.473251	-7.696957	-2.785614	4.424207	11.634069	13.932506	17.455662
$\times 38.228404$	15.012256	19.114202	20.273669	30.024512	33.590534	38.228404	45.036796	51.84517	54.015626	57.342606
$\times -4.662400$	10.349856	14.451802	15.611269	25.362112	28.928124	33.566004	40.374396	47.18277	49.353226	52.680206
$\star M_0$	19.674656	23.776602	24.936069	34.686912	38.252934	42.890804	49.699196	56.50757	58.678026	62.005006
					REVISION I ₃ converted					
CONE	PYRAMID	INNERCUBE	INT ₃	SPHERE	INT ₂	CYL ₃	CYL ₁	CYL ₂	\times CUBE	
2.094395	2.6	2.828427	3.381198	4.188790	5.3	6.230754	6.283185	7.233037	8	
$\frac{2\pi}{3}$	$8/3$	$\sqrt{8}$	$8(1 - \frac{1}{\sqrt{3}})$	$\frac{4}{3}\pi$	$16/3$	$6\pi - 8(1 + \frac{1}{\sqrt{3}})$	2π	$4\pi - \frac{16}{3}$	2^3	
$\times \frac{3}{16} \text{ INT}_2$	$\pi/8$	$1/2$	$3/2\sqrt{8}$	$\frac{3}{2}(1 - \frac{1}{\sqrt{3}})$	$\pi/4$	1	$\frac{9}{8}\pi - \frac{1}{2}(3 + \sqrt{3})$	$\frac{3}{8}\pi$	$\frac{9}{8}\pi - 1$	1.5
0.392699	0.5	0.530330	3.381198	0.785398	1	1.168266	1.178097	1.356195	1.5	

$\sim \diamond$

$$(\mu)^3 = 3.381222^+$$

$$\delta = 0.000024$$

$$\star \text{cf } \sqrt{2}$$

$$1.414214$$

$\sim \vee$

$$1 + \frac{(\mu)^3}{10} = 1.169061$$

$$1.168266$$

$$\delta = 0.000795$$

$$54.902232$$

$$51.84517$$

$$13.900$$

$$47.182779$$

R ≈ 1

Colge 22

FUNDAMENTAL CONSTANTS WORK SHEET

$$\begin{aligned}
 c &:= 10.476821 & G &:= -7.175706 & h &:= -26.976924 \\
 mo &:= 0.5 \cdot (c + h - G) & lo &:= 0.5 \cdot (G + h - 3 \cdot c) & to &:= 0.5 \cdot (G + h - 5 \cdot c) \\
 mo &= -4.6621985 & lo &= -32.7915465 & to &= -43.2683675 \\
 Er &:= mo + 2 \cdot c & Eg &:= G + 2 \cdot mo - lo & Et &:= h - to & Ek &:= 0.5 \cdot (h + 5 \cdot c - G) \\
 Er &= 16.2914435 & Eg &= 16.2914435 & Et &= 16.2914435 & Ek &= 16.2914435 \\
 do &:= 5 \cdot c - h - 2 \cdot G & mp &:= -23.776602 & re &:= -12.550068 \\
 do &= 93.712441 & A &:= mp - mo & B &:= re - lo & tp &:= re - c \\
 dp &:= mp - 3 \cdot re & A &= -19.1144035 & B &= 20.2414785 & tp &= -23.026889 \\
 dp &= 13.873602 & J &:= mo - lo & K &:= mp - re \\
 & & J &= 28.129348 & K &= -11.226534 \\
 S &:= J - K & am &:= A + B \\
 B - A &= 39.355882 & S &= 39.355882 & am &= 1.127075 \\
 To &:= 0.5 \cdot (G + do) & Tp &:= 0.5 \cdot (G + dp) & h - c &= -37.453745 \\
 To &= 43.2683675 & Tp &= 3.348948 & Tp + tp &= -19.677941 \\
 Tp + tp - A &= -0.5635375 & mp + re - am &= -37.453745 & \checkmark \\
 mo + lo &= -37.453745 & mp + re &= -36.32667 & mp + re - (h - c) &= 1.127075 \\
 J + re &= 15.57928 & h - c - re &= -24.903677 & mp - am &= -24.903677 \\
 3 \cdot B + to &= 17.456068 & 2 \cdot B + to &= -2.7854105 & B + to &= -23.026889 \\
 3 \cdot B + mo &= 56.062237 & 2 \cdot B + mo &= 35.8207585 & B + mo &= 15.57928 \\
 3 \cdot B + lo &= 27.932889 & 2 \cdot B + lo &= 7.6914105 & B + lo &= -12.550068 \\
 B + mo - mp &= 39.355882 & Tp + B + to &= -19.677941 & B + to - Tp &= -26.375837 \\
 2 \cdot B + to + Tp &= 0.5635375 & Tp + to &= -39.9194195 & Tp + to + S &= -0.5635375
 \end{aligned}$$

$$q5 := 3 \cdot G + 2 \cdot h - 8 \cdot c$$

$$q5 = -159.295534$$

$$q3 := G + 2 \cdot h - 4 \cdot c$$

$$q3 = -103.036838$$

$$5 \cdot lo - q5 = -4.6621985 \quad g$$

$$5 \cdot re - q5 = 96.545194 \quad g$$

$$0.2 \cdot (q5 + mo) = -32.7915465 \quad cm$$

$$q3 - 3 \cdot lo = -4.6621985 \quad g$$

$$q3 - 3 \cdot re = -65.386634 \quad g$$

$$\frac{1}{3} \cdot (q3 - mo) = -32.7915465 \quad cm$$

$$0.2 \cdot (q5 + mp) = -36.6144272 \quad cm$$

$$\frac{1}{3} \cdot (q3 - mp) = -26.42007867 \quad cm$$

$$r := 1.5$$

$$SS := r \cdot (am + S)$$

$$SS = 60.7244355 \quad SS + mo = 56.062237 \quad g \quad SS + lo = 27.932889 \quad cm$$

$$0.2 \cdot (q5 + SS + mo) = -20.6466594 \quad cm \quad \frac{1}{3} \cdot (q3 - (SS + mo)) = -53.033025 \quad cm$$

$$5 \cdot (SS + lo) - q5 = 298.959979 \quad g \quad q3 - 3 \cdot (SS + lo) = -186.835505 \quad g$$

WORK SHEET NUMBER 2

$n := 0, .25.. 3$

$$c := 10.476821 \quad G := -7.175706 \quad h := -26.976924$$

$$mo := 0.5 \cdot (c + h - G) \quad lo := 0.5 \cdot (G + h - 3 \cdot c) \quad to := 0.5 \cdot (G + h - 5 \cdot c)$$

$$mo = -4.6621985 \quad lo = -32.7915465 \quad to = -43.2683675$$

$$S := 39.355882 \quad am := 1.127074$$

$$SS := S + am \quad ss := am - S$$

$$SS = 40.482956 \quad ss = -38.228808$$

$$M(n) := n \cdot SS + mo \quad R(n) := n \cdot SS + lo \quad T(n) := n \cdot SS + to$$

$n =$	$M(n) =$	$R(n) =$	$T(n) =$
P 0	-4.6621985	-32.7915465	-43.2683675
0.25	5.4585405	-22.6708075	-33.1476285
0.5	15.5792795	-12.5500685	-23.0268895
0.75	25.7000185	-2.4293295	-12.9061505
K 1	35.8207575	7.6914095	-2.7854115
1.25	45.9414965	17.8121485	7.3353275
V 1.5	56.0622355	27.9328875	17.4560665
1.75	66.1829745	38.0536265	27.5768055
2	76.3037135	48.1743655	37.6975445
2.25	86.4244525	58.2951045	47.8182835
2.5	96.5451915	68.4158435	57.9390225
2.75	106.6659305	78.5365825	68.0597615
3	116.7866695	88.6573215	78.1805005

WORK SHEET NUMBER 2

$n := -1, -0.75..3$

$$c := 10.476821 \quad G := -7.175706 \quad h := -26.976924$$

$$mo := 0.5 \cdot (c + h - G) \quad lo := 0.5 \cdot (G + h - 3 \cdot c) \quad to := 0.5 \cdot (G + h - 5 \cdot c)$$

$$mo = -4.6621985 \quad lo = -32.7915465 \quad to = -43.2683675$$

$$S := 39.355882 \quad am := 1.127074$$

$$SS := S + am \quad ss := am - S$$

$$SS = 40.482956 \quad ss = -38.228808$$

$$M(n) := n \cdot SS + mo \quad R(n) := n \cdot SS + lo \quad T(n) := n \cdot SS + to$$

$n =$

-1
-0.75
-0.5
-0.25
0
0.25
0.5
0.75
1
1.25
1.5
1.75
2
2.25
2.5
2.75
3

$M(n) =$

-45.1451545
-35.0244155
-24.9036765
-14.7829375
-4.6621985
5.4585405
15.5792795
25.7000185
35.8207575
45.9414965
56.0622355
66.1829745
76.3037135
86.4244525
96.5451915
106.6659305
116.7866695

$R(n) =$

-73.2745025
-63.1537635
-53.0330245
-42.9122855
-32.7915465
-22.6708075
-12.5500685
-2.4293295
7.6914095
17.8121485
27.9328875
38.0536265
48.1743655
58.2951045
68.4158435
78.5365825
88.6573215

$T(n) =$

-83.7513235
-73.6305845
-63.5098455
-53.3891065
-43.2683675
-33.1476285
-23.0268895
-12.9061505
-2.7854115
7.3353275
17.4560665
27.5768055
37.6975445
47.8182835
57.9390225
68.0597615
78.1805005

$B [0, 2]$

P

$[0, 1] D$

$[0, 1] *$

$[0, 1] U$

\leftarrow

$[0, -1]$

$[1, 0]$

$[1, 0]$

$[1, 0]$

$$n = \frac{3}{2}P \text{ for } U \\ \text{Note } n = P \text{ for } * \quad \left\{ \begin{array}{l} q=0 \\ n = \frac{1}{2}P \text{ for } D \\ n = \frac{1}{2}q \text{ for } B \end{array} \right. \quad \left\{ \begin{array}{l} P=0 \\ q=0 \end{array} \right.$$

$D \longleftrightarrow B$
Interchange P and q

SOMA?

CHANNELS

TIMES or Frequencies

$$s := 20.241477 \quad q := -43.268366$$

$$u := -8, -7..8 \quad v := 0.5$$

$$Y(u) := (v \cdot (1 + u)) \cdot s + q$$

UNIVERSE $g = 0$

$$\times \frac{c^3}{G} \rightarrow \text{Mass}$$

~~TIME~~ $Y(u) =$

v^{-1}	-114.1135355	$-\frac{7}{6}$
v^{-1}	-103.992797	$-1 \boxed{-3}$
v^{-1}	-93.8720585	$-\frac{5}{6}$
v^{-1}	-83.75132	$-\frac{2}{3}$
v^{-1}	-73.6305815	$-1 - \frac{1}{2} - \boxed{\frac{-3}{2}}$
v^{-1}	-63.509843	$-\frac{1}{3}$
v^{-1}	-53.3891045	$-\frac{1}{6}$
v^{-1}	-43.268366	$-P = 0 \quad \rho$
v^{-1}	-33.1476275	$+ \frac{1}{6}$
v^{-1}	-23.026889	$+ \frac{1}{3} \longrightarrow \boxed{D}$
v^{-1}	-12.9061505	$+ \frac{1}{2} \longrightarrow \boxed{2} \star \boxed{\frac{3}{2}}$
v^{-1}	-2.785412	$+ \frac{2}{3} \longrightarrow \boxed{2}$
v^{-1}	7.3353265	$+ \frac{5}{6}$
v^{-1}	17.456065	$+ P = 1 \quad \boxed{3} \longrightarrow UNN$
v^{-1}	27.5768035	$+ \frac{7}{6}$
v^{-1}	37.697542	$+ \frac{4}{3}$
v^{-1}	47.8182805	$+ \frac{3}{2} \longrightarrow \boxed{\frac{9}{2}}$

$$\frac{V}{V^{-1}} = (\alpha \mu s)^3$$

$$\frac{P}{P^{-1}} = (\alpha \mu s)^2$$

$$\frac{D}{D^{-1}} = (\alpha \mu s)^1$$

$$P = (\alpha \mu s)^2$$

WORK SHEET NUMBER 3

$n := -1, -0.75.. 3$

$c := 10.476821 \quad G := -7.175706 \quad h := -26.976924$

$mo := 0.5 \cdot (c + h - G) \quad lo := 0.5 (G + h - 3 \cdot c) \quad to := 0.5 (G + h - 5 \cdot c)$

$mo = -4.6621985 \quad lo = -32.7915465 \quad to = -43.2683675$

$S := 39.355882 \quad am := 1.127074$

$ss := S + am \quad ss := am - S$

$SS = 40.482956 \quad ss = -38.228808 \quad m := 1.. 12$

$T(n) := n \cdot SS$

$n =$

-1
-0.75
-0.5
-0.25
0
0.25
0.5
0.75
1
1.25
1.5
1.75
2
2.25
2.5
2.75
3

$T(n) =$

-40.482956
-30.362217
-20.241478
-10.120739
0
10.120739
20.241478
30.362217
40.482956
50.603695
60.724434
70.845173
80.965912
91.086651
101.20739
111.328129
121.448868

$m =$

1
2
3
4
5
6
7
8
9
10
11
12

Harmonic

STAR FRAMES PART IV

FRAME DENSITIES

All values are \log_{10} values. Densities are given as M/R^3 ;

To convert to Mass/spherical Volume, subtract 0.622089; $[M/R^3 - 0.622089 = M/V]$

Density of the Planck particle: $m_o/l_o^3 = c^5/\hbar G^2 = 93.712439 \text{ g/cm}^3$

Density of a proton: $m_p/r_e^3 = 13.873602 \text{ g/cm}^3$

NEUTRON STARS	M^*	M_\sim	M_*
R^*	12.746528 SL	11.619454 1Q	10.492380 1Q
R_\sim	16.127747 2Q	15.000673 SL	13.873599 1Q
R_*	19.508972 2Q	18.381898 2Q	17.254824 SL

SL = on the Schwarzschild bound; 1Q = in first quadrant; 2Q = in second quadrant

Note: The M_*/R_\sim^3 density is identical with that of the proton. This suggests that the proper equations for mass and radius of a neutron star are $(S/\alpha\mu)m_o$ and $S l_o$ respectively.

[However, the proton uses $(\alpha\mu/S)^{1/2} m_o$ and $(\alpha\mu S)^{1/2} l_o$ respectively.]

" α^2 " STARS	M^*	M_\sim	M_*
R^*	-0.074482 ON	-1.201556 B	-2.328630 B
R_\sim	3.306740 A	2.179666 ON	1.052592 B
R_*	6.689762 A	5.562688 A	4.535077 ON

ON = on the α^2 bound; A = above the α^2 bound; B = below the α^2 bound

Note: For the sun $M/R^3 = 0.771751$, which differs from M_*/R_\sim^3 by a factor of about 2.

The solar $M/V = 0.149662$ or antilog 1.411 g/cm^3

UNIVERSE	M^*	M_\sim	M_*
R^*	- 27.736426	- 29.427037 X	- 31.117648 X
R_\sim	- 22.664593 C	- 24.355204 C	- 26.045815 C
R_*	- 17.592760 C	- 19.283371 C	- 20.973982 C

In an homogeneous isotropic model, the critical density is $\rho_c = 3H_o^2/8\pi G$. If the present density is ρ_o and $\Omega_o = \rho_o/\rho_c$, then the universe will expand forever if $\Omega_o < 1$ or will collapse if $\Omega_o > 1$.

Taking H_o as 71.977 km/s/mpc, [$T_U = 17.456065$], $\rho_o = - 27.736426 \text{ g/cm}^3 \equiv \rho_o$ if the mass of the universe is given by M^* and the radius by R^* . In the above table X means if this is ρ_o , the universe will expand forever, and C means with this value of ρ_o the universe will collapse. If the present density = the critical density [$\Omega_o=1$], then the universe is stable.