

**NUMERICAL
CONSPIRACY
THEORIES,
COINCIDENCES,
CURIOSITIES**

CURIOSITIES

What is here called a curiosity may be an improbable “black swan”, be an example of Jung’s synchronicity, or be just a coincidence. However, Aristotle–Newton Inc, demand all such be exiled from the domain of possibility and verboten in scientific discourse. They admonish that pursuit of curiosities leads nowhere and is an utter waste of time. But their position infers that curiosities and coincidences are seen as a threat to their party-line: a threat to certitude, a threat to universality, and a threat to any “Theory of Everything”. So the party-line’s hostility to “will-o-the-wisps” [their label] is readily explicable.

CONSPIRACY THEORIES

A conspiracy theory is not a valid theory, it is a ^{quasi} pre-theory. As such it lacks sufficient evidence to be accepted as possibility. On the other hand, there is insufficient evidence for it to be falsified and declared an impossibility. Hence conspiracy theories live in a twilight zone between the possible and the impossible. Nonetheless, they remain *candidates* for the status of theory.

NUMBERS AND NUMEROLOGY

Most of the curiosities and conspiracies considered here are of a numerical nature. And by numerical is meant the purely *quantitative* aspects of number, not the qualitative or metaphysical aspects ascribed to numbers by numerology. [eg Seven is Sacred] In comparing numbers strict attention must be paid to units, dimensionality, accuracy, and precision, but not to “making sense”. For sometimes nonsense can be profound sense.

Mr. Berra, how would you like your pizza sliced,
into four slices or eight?

You had better make it four, I don’t think I can eat
eight.

But Yogi Berra is making good sense if the pizza is a symbol for a menu of four or eight options. ^{ys}
[Most of us can’t handle four options much less eight. We like just two, such as DEMS or GOPs]

Numerical manipulations, such as adopting different and varying definitions of the cubit in interpreting the measurements of the Great Pyramid reduces the numerical to the numerological. Units and dimensions must be standardized in every comparison. and best, reduced to pure number.

What is a curiosity?

Something that intrigues because it seems to be a part of something bigger - a part with insufficient clues to its whole. It may be intriguing - because it is like something more familiar and more substantial - but not like enough to "fit".

If may belong to the species of rare events - i.e. occur rarely and irregularly in our ^{common} span of "NOW"

But there may be enovsl of these curiosities - that they too have "self-organized" into a whole that lies beyond our sensory apparatus, our modes of inference, and our ability to supply ^a connection.

Our usual mode of connection is spatial contiguity and temporal continuity. The non-contiguities that ^{are} connected [action at a distance, non-locality] ^(e.g. archetypes) boltles us. We tend to discard such items - evade.

Non Continuum
Kairos, Archetypes

Non Contiguity
Tenences, Rang Shui

Belonging to a ^{same} set - is a generalization allowing connection beyond the linear parameters of contiguity and continuity

We seek other linear parameters or make sets

07
03
20

:- The set of curiosities

These items whose commonality is uncommon whose connection is unconnectability

Interesting patterns per se - but seemingly meaningless in a larger context
stones too irregular for building with - but still interesting - no building ^{usages} - but attractive in a Zen Garden

THEORIES & CONSPIRACY THEORIES

Curiosities are related to conspiracy theories

- when there is secrecy - or missing piece

We build our theories - from several pieces

but conspiracy theory - making up needed pieces

Isolated or island patterns

Ostrom

The Links in the 4 WORLDS

Continuity space

Coherence time Fitting

Consistency \Rightarrow

The 4th or contextual world

is a nebulous, fathomless, MYSTERY

Beyond space, time, consistency
logic

Beyond speculation - even beyond imagination

It's a aspects beyond screen fiction

By aspect

Semiotically unsullied

i.e. ~~the~~ words or symbols

grammars or rules

glimpsed as beauty, euphonia, absurdity,

laughter, tears

opens us to its openness

its ~~is~~ potential

Hypotheses: ~~w~~ Conspiracy Theories

" There are two possible outcomes:

If the result confirms the hypothesis, then you have made a measurement.

If the result is contrary to the hypothesis, then you have made a discovery.

- Enrico Fermi (1901-1954)

Hypotheses

Confirm rules ^{or} break rules

Aristotle: Law of the EXCLUDED MIDDLE: LXM: - A ^{hypothesis} proposition is True or False.

A conspiracy theory occupies the "no-man's land" between being a hypothesis
- i.e. ^{being} testable and not testable. It lacks sufficiency definiteness to
be testable, but has enough "could be" to not throw it away.

A conspiracy theory cannot be said to be true or false (cf. Paul's "not even wrong")

It lacks testability. with certain additions it can become testable
or sharpening
(more significant figures)

A conspiracy theory lacks the sufficiency to break a rule or obey a rule

Most ^{theoretical} inhabitants of "no man's land" can be assigned a probability of T or F

Conspiracy Theories and beyond: assignment of a probability

False: | limbo | true | absolutely certain!
% prob

A conspiracy
Theory

Many or does contain an unknowable component
(Secrecy?)

All cosmological theories are conspiracy theories

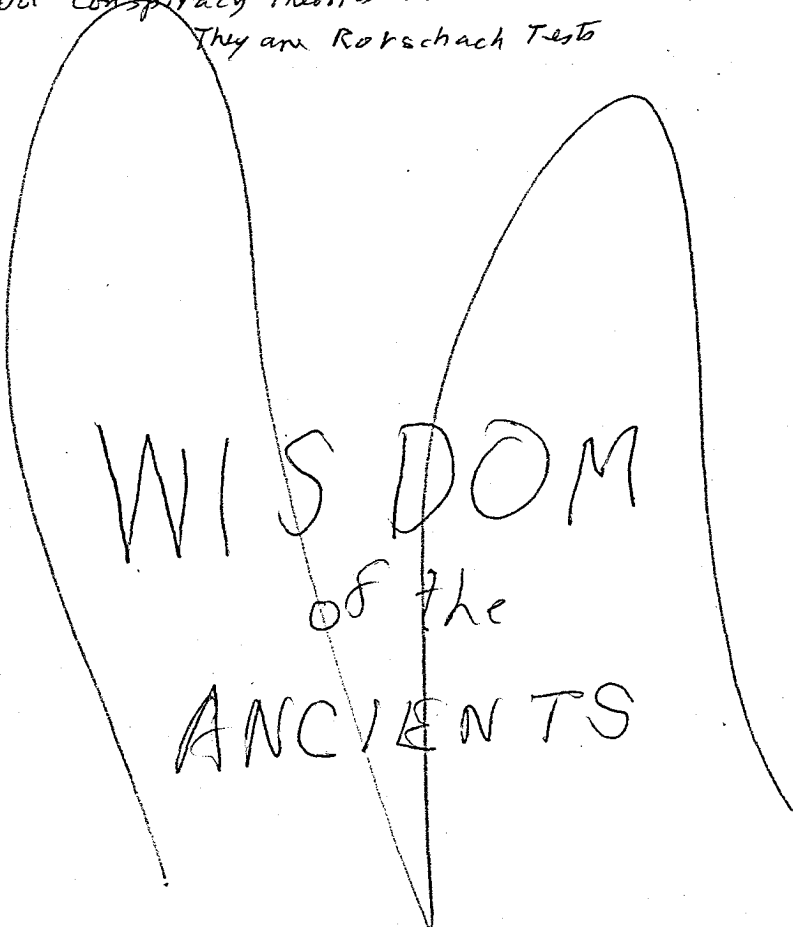
All theological systems are conspiracy theories

Synchronicity

Coincidence

Curiosity

But Conspiracy Theories have one definite value:
They are Rorschach Tests



WISDOM
of the
ANCIENTS

NATURAL NUMBERS and NATURE'S NUMBERS

Φ, ϕ

G, c, h

N_A Avogadro's Number

m_p, m_e, α, μ

$S = \alpha \mu$

$S = \alpha^{23} \mu^{-3}$

$S = 39.355471115$

$r_e,$

$\frac{(5+\sqrt{5})^2}{2}$

$= 39.36491673$

P

~~$5 \pm \sqrt{5}$~~

$5 - \sqrt{5} = 1.127016654$

$\alpha \mu = 1.127074115$

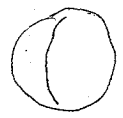
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NUMERICAL COINCIDENCES, CURIOSITIES AND CONSPIRACY THEORIES

Numerical Conspiracy Theories
Weapons of Math Deception

Special Relativity
Statistics

Additional circles without π



CHAPTER HEADS

SPIN [ellipsoid]

Add THE SPIN MEISTER'S IKON

Spinning creates reality

4 SMALL DIFFERENCES

$$1. \quad (\alpha\mu)^{15/2} = 8.453\ 055\ 855 \quad [0] \quad \frac{m_0}{\hbar^2} \frac{1}{(\alpha\mu)^2} = -0.001\ 854\ 387$$

$$\frac{c^2}{G\sqrt{S}} = \frac{8.451\ 201\ 468}{0.001\ 854\ 387} \quad \left[\frac{M}{L}\right]$$

$$2. \quad -N_A = -23.779\ 750\ 603 \quad [\text{chenab}^2] \quad \text{Avogadro's Number} \quad [0]$$

$$m_p = -23.776\ 602\ 304 \quad [M]$$

$$\frac{0.003\ 148\ 299}{3} = 0.001\ 049\ 418$$

$$3. \quad \alpha\mu = 1.127\ 074\ 115 \quad [0]$$

$$5 - \sqrt{15} = \frac{1.127\ 016\ 654}{0.000\ 057\ 461} \quad [0]$$

$$4. \quad 8\pi^2 S = 2^{1/\alpha} \quad \frac{1}{\alpha} = 137.035\ 989$$

$$\log 8\pi^2 S = \frac{1}{\alpha} \log 2$$

$$\log 8\pi^2 = 1.897\ 389\ 732$$

$$\log 5 = 39.355\ 471\ 115$$

$$41.252\ 860\ 847 \quad [0]$$

$$41.251\ 943\ 170$$

$$0.000\ 917\ 677$$

$$\frac{1}{\alpha} \log 2 = 41.251\ 943\ 170 \quad [0]$$

$$8\pi^2 \cdot \text{DIRACS NUMBER} = 2^{\text{EDDINGTON'S NUMBER}}$$

$$8\pi^2 S = 2^E$$

COSMIC CURIOSITIES

- 1) Archimedes' Sand Reckoner ^{TVD} 10^{62} grains of sand vs. Eddington's 10^{78} atoms
1 grain of sand > 10^{16} atoms?
- 2) Cylinder-Sphere-Cone Vs Power-Energy-Force
(Alternate symbols for dimensionality)
 $2\pi R^3$ ^{CYL} $\frac{4}{3}\pi R^3$ ^{SPH} $\frac{2}{3}\pi R^3$ ^{CON}
- 3) Cylinder-Sphere-Cone
 $V = \frac{3}{2} \quad 1 \quad \frac{1}{2}$ *✓*
 $(\alpha\mu S)^{3/2} \quad (\alpha\mu S) \quad (\alpha\mu S)^{1/2}$
univ star atom
SPIN $\frac{1}{2}, 1, \frac{3}{2}$
wheel v.c. Kepler accel
- 4) Invariant volume of two cones Invariant vs Constant
- 5) Time:
Period since the Big Bang measured in Kalpas
The week, the Schuster period and the rotation period
Kairos and Kronos, Mayan Haab and Tun (long count), Cyclical and Linear
Logic: Past conjunctive-Present disjunctive-Future neither conjunctive nor disjunctive
Past=fixed zone, Present=choice zone, Future=chance zone
Necessity Options Random Sunyata
The width of "NOW"
- 6) ^{ISOLATION} Conflict-Compromise-Synthesis
- 7) Continuity-Contiguity-Consistency *∞*
- 8) Repetition-Recursion-Regression [Iteration]
- 9) Confusion-Conviction-Corruption
- 10) Symbol-Metaphor-Archetype [Representation]
Nodes-Links, Patterns-Pictures, Processes-Games
- 11) Mathematical Musings:
The Great Pyramid $\Phi, \pi, dV/dS = 0$
Fulcrum Numbers
SETS
- 12) Problem levels: Cosmic, Models, Representation, Tools
Nature, Weltanschauung, Language, Software
modulation w pyramid
(White Noise)² = Gaussian

Hubble and the Kalpas
of stars - Talmud
Celtic and Analemma

Great Pyramid: Apothems and Apothegms
Avagadro and Planck

MAYAN CURIOSITIES:

synodic ♀	13 x 45	585	actually 584.96
synodic ♂	13 x 60	780	779.92
solar ⊕	13 x 28	364	365.25

$$\begin{aligned} \text{♀} + \text{♂} - \text{⊕} &= 1000 \\ &1001 \end{aligned}$$

THE MAYA WERE PYTHAGOREANS
THE RELATIONS
BETWEEN NUMBERS

$$\begin{array}{r} 584.96 \\ 779.92 \\ \hline 1364.88 \\ 365.25 \\ \hline 999.63 \end{array}$$

CULTURAL AND COSMIC CURIOSITIES and
AND NUMERICAL

CULTURAL

ZENO: CONTIGUITY AND CONTINUITY

CURIOUS CALCULATIONS

INJUDICIOUS JUXTAPOSITIONS

NUMERICAL

LARGE NUMBERS

ARCHIMEDES' SAND RECKONER

LIFE TIME OF BRAHMA

POWERS OF TEN

OCCULT NUMBERS

googolplex

hierarchical representation
of large numbers
2² 3³ 4⁴ ...

POWERS OF 11
PASCAL

MATH as METAPHOR
MATHEMATICAL METAPHORS

The Presidents Pattern



The Pope as Antichrist

Lat of Stonehenge 51°

MATHEMATICAL MUSINGS

FULCRUM NUMBERS

SHAPE INDICES

THE GREAT PYRAMID $\pi, \Phi, dV/dS = 0,$

LINE OF APSIDES

CONTINENTAL DRIFT

CYLINDER-SPHERE-CONE

YANGHUI AND FRACTALS

CUT OFF AT 5 POLYNOMIALS, VENN DIAGRAMS

M D C L X V I = 1666

OLIVER CROMWELL

AS SUPER-ANTI CHRIST

CALENDARICAL

ANALEMMA + CELTIC YEAR
CHRISTMAS: THE LONGEST DAY

YEAR ZERO

HINDU: KALPAS AND YUGAS

BIG-BANG & KALPAS, PLANCK AGE & Z Brahman

MAYAN: HAAB AND TUN (LONG COUNT)

CELTIC: THE LITURGICAL YEAR AND THE ANALEMMA

THE WEEK
CHON [see N.B. WEEK-CHON]

KAIROIS and E-W motion of sun
cf. Jet lag
and information & force
in Δ frequencies

COSMIC

BODE'S LAW MAYANS

SHUMAN AND SCHUSTER PERIODS

THE PLANCK-BARYON CUBE AND EDDINGTON'S NUMBER OF ATOMS

AVAGADRO'S NUMBER AND BEYOND

THE FUNDAMENTAL CONSTANTS OF PHYSICS

DIRAC PARADOX

NUMERICAL APPROXIMATIONS

SOURCES OF S AND $(\alpha\mu S)^n$ $S = \alpha \mu^{-23-3}$

APPROXIMATIONS TO S

$$A_{n+2} = 10(A_{n+1} - A_n)$$
$$(2^2 3^4)(2^4 4^3)/(4^3 3^2) \quad (3^2 2^4)(3^4 2^2)$$

Analemma and Φ

$$(4^2 2^3)$$

8

$$\frac{(2^2 3^4)(3^2 2^5)}{2} = 39,35028$$

$$39,3502658$$

NEWG

$$\Delta = 0.005614$$

4 PLANETS - PROTID-PLANETS

$$Q = 1.000143$$

J of Y
Analemma

Linguistic Curiosities

Pele a volcano in the Caribbea

Pele the Hawaiian goddess of volcanoes

Arigato Japanese

Abrigado Portuguese

Varracena - Andes, Himalaya

Ald Pythagorean Room of Spinning Spiders

Christmas - the longest day

Thai Temples to Slave Kinches

CULTURAL AND COSMIC CURIOSITIES

NUMBER GAMES
or NUMERICAL
PYTHAGORAS IN
PAST TIMES

- ZENO ^s
- ARCHIMEDES - THE SAND RECKONER ^{with salutory} 10^{60} ^{Salutory or continuous}
- BODE'S LAW TITUS-BODE
- THE SCHUSTER PERIOD $D^3 = S^4$ Numerical Manias
- $A_{n+2} = 10A_{n+1} - 10A_n$
- YANGHUI $\frac{1}{2}$ + and - of Fractals
- Numerical approximations
- The re cube $\supset 10^{60} E$ tetrahedron Triangle $\sim \odot$
- $\frac{(2^3 \cdot 3^4)(2^4 \cdot 3^3)}{(4^3 \cdot 2^2)}$ etc Avagadro's Number
- KULPAS, YUGAS
- INTERPLAY of * and ^ with 2
- THE WEEK - THE MAYANS
- THE GREAT PYRAMID ~~ratios~~ only [proportions]
- THE LITURGICAL YEAR and the Analemma
- Occult Numbers
- BARTON 13.0.0.0.0
- THE ^{FIRST} DATES - BISHOP USHER ... BIG BANG ... BRAHMA

WISDOM of the Ancients [Sources? ANCIENT ASTRONAUTS
Playing with numbers: THE # of places game

Numerical Patterns too small to be theories
but too large to be ignored

Einstein's quote

NOT
Reutilize
"THE NEW
AGE"
Harmonic
Convergence
BUT
NO

WHAT
CHARACTERIZES
A CURIOSITY?

Template w Theory

Both are collections of facts

Blank links

Blank nodes

Filled in links

Filled in nodes

Spheres of abstraction

what is open

Spheres of generalization

what is constraining

BORED WITH
ARITHMETIC
HAVE SOME FUN

~yyyyX□
~e□
~**%□

LOGIC
VENN OF
RUMSFELD

ABSENCE OF EVIDENCE IS NOT EVIDENCE OF ABSENCE
TURNS OUT → POSSESSION OF EVIDENCE WAS NOT EVIDENCE OF POSSESSION

COSMIC CURIOSITIES

→ COSMIC CONSPIRACIES

05-09-30

Bode's Law One dot too far falsified

many ^{2 link}
"One bridge too far"

On the other hand, when there are too few dots [or hidden dot, see May]

Conspiracy theories arise

i.e. When an inferred pattern may be based on

too few dots, and alternative patterns, are possible

with the same data

to the proclaimed

or accepted pattern

or current

example: Number of significant figures in a measurement

A path must be visible

that starts from an accepted premise

A path for $d, 5$ from $V_{st2} = 10 (V_{st1} - U_5)$

Source of Fundamental constants

Great Pyramid examples - path Ancient Astronaut

Particular Pyramids

Meas and

ϕ

π

$(d\mu)^2$

$\cos^{-1} [(d\mu)^4 - 1]$

etc,

'tan' $[10(d\mu - 1)]$

etc

related to Abstraction - Generalization

Is the Big Bang, one bridge too far
link

or is the pattern incomplete

Quote on → precision

Introduction
Metatext 1968

COINCIDENCES
CURIOSITIES
AND
CONSPIRACY
THEORIES

INTRO

THEORIES
Borstein Einstein

Feynabend

MUSIC

NUMBERS PARTY GAME
AS ARTISTS

Alternatives
whu 3 missing pieces

DEFN of ABOVE

YANGHUIS

CALENDARS WEEK KALPAS CHON

PYRAMIDS

PRESIDENTS

SAND RECLONER - EDDINGTON

VULCAN et all

Introduction

Theories

Coincidences

Conspiracy Theories

Coins

Dedication

To all who ^{have} escaped the Party-line

**THE CONSTITUTION
OF THE UNITED STATES
OF AMERICA**

SEPTEMBER 17, 1787

WE THE PEOPLE OF THE UNITED STATES,
IN ORDER TO FORM A MORE PERFECT UNION,
ESTABLISH JUSTICE,
INSURE DOMESTIC TRANQUILITY,
PROVIDE FOR THE COMMON DEFENSE,
PROMOTE THE GENERAL WELFARE,
AND SECURE THE BLESSINGS OF LIBERTY TO OURSELVES AND OUR POSTERITY,
DO ORDAIN AND ESTABLISH THIS CONSTITUTION FOR
THE UNITED STATES OF AMERICA.

- 1] UNION
- 2] JUSTICE
- 3] TRANQUILITY
- 4] DEFENSE
- 5] WELFARE
- 6] LIBERTY

**INTERPRETATIONS AND UPDATES
PRIORITY REVISION**

- 1] -1] Unity supportive of diversity, not of uniformity
- 3] -2] Tranquility, non-violence, societal safety
- 2] -3] Justice, equal access for general upward movement
- 5] -4] Welfare, the infrastructure, transportation and distribution, health, education
- 4] -5] Defense by example, respect, compassion, Force in reserve only,
- 6] -6] Liberty to the point where it does not create any jeopardy to the above five

COSMIC CURIOSITIES

- The Great Pyramid at 30° North Latitude
position error, not due to builder
but to continental drift

Stonehenge
Lat = 51° N

- Dates in the Anaberna Sambain Christmas Mardi Gras
its form change
4th Nov

- The Week exactly 120 to 7
or change in mass, + rotation period

- 1.127074 vs 1.127017
shift in ?

- Shifts from a template time or to a template time
random or Oscillatory?

In a scatter diagram - our errors?

points scattering?

from curve

points converging?

to curve

no template?

no curve justified

- The Presidents
The curse of Templars

All

How many of our theories are "conspiracy theories"
adding more dots ~~than~~ falsifying them

But they are candidate theories
when dots are missing

i.e. $\{$ candidate theories $\}$ with
insufficient dots

call them | accepted } more true
not conspiracy

Falsification of conspiracy theories

COGNITIVE

In our thinking we separate what is inseparable:

Creator and Creation
Designer and Design
Selector and Selection

We fail to relate what is related

Process and Product
Option and Action¹
Form and Force

And we homogenize what is distinct.

TECHNOLOGICAL

The technological changes of the last two centuries have stimulated a new way of looking at the world. Not only are our views of the world changing, but the way we think about them in our children has created an impending cultural crisis: A culture becoming incompatible with its environment and oblivious of its trend to self-destruction. This crisis must become local and synchronic. We connect with what is immediately contiguous, and with what is current and continuous. We either ignore or are unaware of the broader contexts essential to our actions and our survival. In remedy, there has been a call for "reenification", which means the depackaging of our traditional and current associations between the elements of our experience and coming up with alternate connections and patterns more isomorphic to the real nature of the world we inhabit. This requires a revolution in our way of thinking, in our way of organizing, in our way of planning. Such a revolution would not only touch our educational system, but many of our other basic institutions: legal, political, commercial, and even religious.

In the present world order we find that the major decisions are being made by people totally unqualified to make them. The important decisions in today's world involve complex technical, economic, and ethical issues. And those making the critical decisions lack the technical, historical, and philosophical backgrounds needed for meaningful resolution of the issues. At an earlier period legal training was held to be sufficient for doing legislation. This is no longer the case. In fact legal training, how to think like a lawyer, is deleterious to useful decision making in today's world. But worse, the psychological types of people attracted to political power are exactly those who should never hold political power. (Even those of this species see the truth of this in an extreme case such as that of Boiton). Noteworthy, over 2500 years ago, Confucius came to the conclusion that "those who desired political power should automatically be disqualified."

¹This trade-off may also be stated as: Insight vs Movement, Awareness vs Focus.
In general, Action takes two forms: movement or selection.

FOUR JUXTAPOSINGS

I $A_{n+2} = 10A_{n+1} - 10A_n \rightarrow$ roots $u = 5 - \sqrt{15} = 1.1270166, u^2 = 1.270166$
 The recursive formula of the Fibonacci Family $v = 5 + \sqrt{15} = 8.8729833, v^2 = 78.729833$
 $\frac{v^2}{2} = 39.364917$

ORIGIN OF 10



= element of Yanghui Fractal

10 from the sacred tetractys not from 10 fingers

$\log_{10} S = 39.355882, \log_{10}(10) = 1.127074$
 Pythagoras' Cosmos

holy four-foldness

τετρακτίζω

II MUSIC

~~III~~ tones, semi-tones, parts of semi-tones related to $2^x, 3^y$
 Pythagoras Diatonic Scale

~~III~~

Alternate ~~Inverse~~ Yanghui modules
 fractals $\sim 2^x, 3^y$
 Wolframs Fractals

$N = \#$ of zeros, $r = \text{row } (3: r=2^n)$

$N = 2^r(2^{r+1} + 1) - 3^{r+1}$

Number of 1's = 3^r if r is a power of 2

- + \rightarrow PASCAL'S TRIANGLE
- \rightarrow FRACTALS
- x \rightarrow UNIFORMITY all 1's
- yo \rightarrow RANDOM "0/0"

Total = $\frac{r(r+1)}{2}$
 0's

$\wedge \rightarrow ?$
 $\Gamma \rightarrow ?$

Zero and One are two species of nothingness that interact to make somethingness

Zero \sim Vairacana
 One \sim Akisobya

IV FORCES

- Asymptotic Freedom
- Gravitation
- Strong
- E
- Weak
- Electric

New Fulcrums and means
 e.g. P

THE FIRST ONE HUNDRED NUMBERS LISTED IN ALPHABETICAL ORDER FOR QUICK AND EASY REFERENCE

EIGHT	08	ONE HUNDRED	100
EIGHTEEN	18	SEVEN	07
EIGHTY	80	SEVENTEEN	17
EIGHTY EIGHT	88	SEVENTY	70
EIGHTY FIVE	85	SEVENTY EIGHT	78
EIGHTY FOUR	84	SEVENTY FIVE	75
EIGHTY NINE	89	SEVENTY FOUR	74
EIGHTY ONE	81	SEVENTY NINE	79
EIGHTY SEVEN	87	SEVENTY ONE	71
EIGHTY SIX	86	SEVENTY SEVEN	77
EIGHTY THREE	83	SEVENTY SIX	76
EIGHTY TWO	82	SEVENTY THREE	73
ELEVEN	11	SEVENTY TWO	72
FIFTEEN	15	SIX	06
FIFTY	50	SIXTEEN	16
FIFTY EIGHT	58	SIXTY	60
FIFTY FIVE	55	SIXTY EIGHT	68
FIFTY FOUR	54	SIXTY FIVE	65
FIFTY NINE	59	SIXTY FOUR	64
FIFTY ONE	51	SIXTY NINE	69
FIFTY SEVEN	57	SIXTY ONE	61
FIFTY SIX	56	SIXTY SEVEN	67
FIFTY THREE	53	SIXTY SIX	66
FIFTY TWO	52	SIXTY THREE	63
FIVE	05	SIXTY TWO	62
FORTY	40	TEN	10
FORTY EIGHT	48	THIRTEEN	13
FORTY FIVE	45	THIRTY	30
FORTY FOUR	44	THIRTY EIGHT	38
FORTY NINE	49	THIRTY FIVE	35
FORTY ONE	41	THIRTY FOUR	34
FORTY SEVEN	47	THIRTY NINE	39
FORTY SIX	46	THIRTY ONE	31
FORTY THREE	43	THIRTY SEVEN	37
FORTY TWO	42	THIRTY SIX	36
FOUR	04	THIRTY THREE	33
FOURTEEN	14	THIRTY TWO	32
NINE	09	THREE	03
NINETEEN	19	TWELVE	12
NINETY	90	TWENTY	20
NINETY EIGHT	98	TWENTY EIGHT	28
NINETY FIVE	95	TWENTY FIVE	25
NINETY FOUR	94	TWENTY FOUR	24
NINETY NINE	99	TWENTY NINE	29
NINETY ONE	91	TWENTY ONE	21
NINETY SEVEN	97	TWENTY SEVEN	27
NINETY SIX	96	TWENTY SIX	26
NINETY THREE	93	TWENTY THREE	23
NINETY TWO	92	TWENTY TWO	22
ONE	01	TWO	02

Do Primes

THE TITIUS-BODE LAW

This relationship approximating the distances of the planets from the sun was first noticed by Titius of Wittenberg, then independently by Bode in 1772. It may be developed as follows:

- 1) Form the sequence: 0 3 6 12 24 48 96 192 384 768
 each number after ~~the~~ being doubled
- 2) Add 4 to each number: 4 7 10 16 28 52 100 196 388 772
- 3) Divide by 10 0.4 0.7 1.0 1.6 2.8 5.2 10 19.6 38.8 77.2

The sequence in 3) closely approximates the distances of the successive planets from the sun as measured in astronomical units (earth = 1)

PLANET	DISTANCE IN A.U.	BODE VALUE
MERCURY	0.3871	0.4
VENUS	0.7233	0.7
EARTH	1.0000	1.0
MARS	1.5237	1.6
CERES (ASTEROID)	2.767	2.8
JUPITER	5.2028	5.2
SATURN	9.540	10
URANUS	19.18	19.6
NEPTUNE	30.07	38.8

This relation made important contributions to astronomical history, leading to the search for Uranus and the discovery of the asteroids. Uranus was discovered in 1781 having a distance in good agreement with the Bode sequence. But there still was a gap. No planet in the 2.8 position. This led to a search that discovered the first asteroid, Ceres, on Jan 1 1801, followed by hundreds of others filling in the blank. A planet that fragmented? Or never coalesced?

Since Neptune and Pluto and all beyond disregard the sequence, and having no physical basis, Bode's Law lost its status of being a law and became just a curiosity. None the less, its numerical regularity with approximate fits to each of the eight existing planetary objects nearest the sun should require its being kept on the table. When data from other planetary systems is available, there might turn out to be a "Bode Zone" in which planetary distances from their principal star, follow a similar sequence.

But according to our way of describing the world, to be a "law" requires that a relationship be universally valid for all time. The idea that there might be different laws for different zones and times is repugnant to our monolatry tradition.

How long does it take for the Sun's light to reach the Earth?

Because the Sun is an average of 93,000,000 miles (149,598,770 kilometers) from the Earth, and the speed of light is approximately 186,000 miles per second, it is easy to determine the approximate time (t) it takes for the Sun's light to reach the Earth using mathematics:

$$\begin{aligned} t &= 93,000,000 \text{ miles} / 186,000 \text{ miles per second} \\ &= 500 \text{ seconds (miles cancel each other out)} \\ &= 8.3 \text{ minutes} \end{aligned}$$

What is the Titius-Bode Law?

The Titius-Bode Law was developed by German astronomer Johann Daniel Titius (1729–1796); Titius's idea was brought to the forefront by German astronomer Johann Elert Bode (1747–1826). The law actually represents a simple mathematical rule that allows one to determine the distances (also called the semi-major axis) of the planets in astronomical units. It is determined using the equation $a = 0.4 + (0.3)2^n$, in which n is an integer and a is the astronomical unit. Interestingly enough, most of the planets—and even the asteroids in the Asteroid Belt—adhere to the law. The only exception is Neptune, the second-to-last planet in our solar system.

Distances of the Planets from the Sun in Astronomical Units

Planet	n	Titius-Bode Law*	Actual Semi-Major Axis**
Mercury	$-\infty$	0.4	0.39
Venus	0	0.7	0.72
Earth	1	1	1
Mars	2	1.6	1.52
asteroid belt	3	2.8	2.8
Jupiter	4	5.2	5.2
Saturn	5	10	9.54
Uranus	6	19.6	19.2
Neptune	—	—	30.1
Pluto***	7	38.8	39.4 ~ 39.481 Cox p.294

* The original formula was $a = (n + 4)/10$, in which $n = 0, 3, 6, 12, 24, 48 \dots$; a is the mean distance of the planet to the sun.

** This is based on the formula $a = 0.4 + (0.3)2^n$, in which $n = -\infty, 0, 1, 2, 3, 4, 5, 6, 7$. The results can also be found using $a = 0.4 + 3 \times n$, in which $n = 0, 1, 2, 4, 8, 16, 32, 64, 128$. Both formulas are "modern versions" of the Titius-Bode Law.

*** Pluto is a modern addition; the planet was unknown during Bode and Titius's time.

SOME NUMERICAL CONSPIRACIES BY THE INNER PLANETS

The Fibonacci sequence, $F_{n+2} = F_{n+1} + F_n$; 1,1,2,3,5,8,13,21.....diverges, but the ratios of successive terms, 1, 2, 3/2, 5/3, 8/5, 13/8,.... converge to $\Phi = (1+\sqrt{5})/2$ and their reciprocals, 1/2, 2/3, 3/5, 5/8, 8/13,.... converge to $\phi = (1-\sqrt{5})/2$.

The earth's sidereal period $E^* = 365.2564$ days
 $E^* \times 8/13 = 224.7732$, while the sidereal period of Venus = 224.7007 days
 $E^* \times 8/5 = 584.4102$, while the synodic period of Venus = 583.9214 days
 The sidereal period of Venus $\times 5/8 = 140.4379$ days,
 and $140.4379 \times 5/8 = 87.7737$, while the sidereal period of Mercury = 87.9686 days

These relations, though not accurate to the full precision of the observations, suggest that Fibonacci ratios, and ϕ or Φ , play a role in the relationships between the periods of the inner planets. This is especially evident when a quasi-planet, Proteus¹, is placed between Venus and Mercury, as shown in the following table:

TABLE I
 SIDEREAL PERIODS (In earth days)

EARTH	VENUS	PROTEUS	MERCURY	VULCAN
$365.2564 \times \phi^0$	$365.2564 \times \phi^1$	$365.2564 \times \phi^2$	$365.2564 \times \phi^3$	$365.2564 \times \phi^4$
365.2564	225.7409	139.5155	86.2253	53.2902
365.2564	224.7007	139.5155	87.9686	53.2902

The shaded row in Table I gives the observed sidereal periods of Mercury, Venus, and Earth, and the Fibonacci values for Proteus and Vulcan. The third row of Table I gives the numerical values of the products of the second row.

The notion of a quasi-planet is not new. In the middle of the 19th century, the French astronomer Le Verrier, who had successfully predicted the existence and position of Neptune from perturbations in the orbit of Uranus, found some irregularities in the orbit of Mercury and predicted the existence of a planet "Vulcan" whose orbit lay between that of Mercury and the sun. Using several reported sightings of small black bodies passing across the disk of the sun, Le Verrier calculated that there existed a planet of small mass with an orbital period of 33 days. It was predicted that this planet would transit the sun on the 22 March 1877. The transit did not occur or was not observed, so Vulcan went into limbo. While, Le Verrier predicted Vulcan from perturbations, here we need Proteus and Vulcan to fill out the Fibonacci sequence in Table I.

¹ Proteus, named for the god who was adept at shape changing and predicting the future, seems an appropriate label for a planet that plays a predictive role but has somehow hidden itself from observation.
quasi

SYNODIC PERIODS

The synodic period of a planet may be defined as the period of time between alignments of the sun, earth, and planet. If all were in the same plane, an alignment would be when a straight line could be passed through all three. If E^* and G^* are the sidereal periods of the earth and a planet G , then the synodic period of $G = G^\wedge$ is given by the equation,

$$\frac{E^* G^*}{E^* - G^*} = G^\wedge$$

*Generalized
to eclipses*

TABLE II
SYNODIC PERIODS (in Earth days)

$\phi = 0.618033989$	VENUS	PROTEUS	MERCURY	VULCAN
$\times \phi^{-1}$		365.2564		
SYNODIC	583.9214	225.7409	115.8775	62.39325
$\times \phi$	360.8833	139.5155	71.6162	38.5611
$\times \phi^2$	223.0381	86.2253	44.2613	23.8321
$\times \phi^3$	137.8452	53.2902	27.3550	
$\times \phi^4$	85.1930	33.9351	<i>vulcan?</i>	
$\times \phi^5$	52.6522			

In Table II the shaded row gives the synodic period for each planet in Earth days. The columns are synodic Fibonacci sequences based on each planet's synodic period.

Let us next imagine we can travel to the other planets, both real and quasi, and determine what the synodic periods of other planets would be when observed from Venus, Proteus, Mercury, and Vulcan as we have already done from Earth.. In Table III are listed the synodic periods as would be observed from the planet in the left column.

TABLE III (In Earth days)

	EARTH	VENUS	PROTEUS	MERCURY	VULCAN
EARTH	-	583.9206	225.7408	115.8763	62.3942
VENUS	583.9206	-	368.0126	144.5645	69.8589
PROTEUS	225.7408	368.0126	-	238.0935	86.2272
MERCURY	115.8763	144.5645	238.0935	-	135.1856
VULCAN	62.3942	69.8589	86.2272	135.1856	-

There are several symmetries in the sidereal and synodic periods of these five proto-planets:

Sidereal Periods (*)				
EARTH	VENUS	PROTEUS	MERCURY	VULCAN
$E^* \phi^0$	$E^* \phi^1$	$E^* \phi^2$	$E^* \phi^3$	$E^* \phi^4$
365.2564	225.7409	139.5155	86.2253	53.2902
E	A ²	P	M	V
	E - P	A - M	P - V	
	$\sqrt{(E \cdot P)}$	$\sqrt{(A \cdot M)}$	$\sqrt{(P \cdot V)}$	
	$\phi^* + 1$	$\sqrt{(E \cdot V)}$	$\phi^* - 1$	
		E - A		
		M + V		
		$(E + V)/3$		
$E/V = \Phi^4$		$A/M = \Phi^2$		
		$M/A = \phi^2$		$V/E = \phi^4$

Synodic Periods (^)

$$E^* \cdot P^* = (E^* - P^*)^2, \quad P^\wedge = E^* \cdot P^* / (E^* - P^*) = (E^* - P^*) = A^*, \quad \therefore P^\wedge = A^*$$

$$P^* \cdot V^* = (P^* - V^*)^2, \quad V^\wedge = P^* \cdot V^* / (P^* - V^*) = (P^* - V^*) = M^*, \quad \therefore V^\wedge = M^*$$

where V^\wedge is the synodic period of Vulcan as observed from Proteus.

Since the synodic period of Proteus = the sidereal period of Venus, the Fibonacci sequence based on the Synodic period of Proteus is the same as the Fibonacci sequence of the sidereal periods of the five planets.

Approximately: $\phi^\wedge = E^* \cdot \Phi \quad \phi^* = (E^* \cdot \phi) ~~...~~$

² To avoid V-confusion we restored Venus her proto-name, Aphrodite.

Better Vulcan \rightarrow Hephaestus
Page 3

leave Venus V
Vulcan H

SOME APPROXIMATIONS

values:

$$\sqrt{2} = 1.4142135623730950488016887242097$$

$$\pi = 3.1415926535897932384626433832795$$

$$e = 2.71828182845904523536028747135266$$

$$\Phi = 1.61803398874989484820458683436564 = \text{the golden section}$$

$$\gamma = 0.5772156649 = \text{Euler's constant}$$

$$\delta = 4.6692016091029 = \text{Feigenbaum's constant}$$

$$\log \delta = 0.669242626518203179173833583375188$$

$$\delta - \log \delta = 3.99995898258469682082616641662481 \doteq 4.0000$$

$$e\Phi/\pi = 1.40001358369048485629861350299979 \doteq 7/5$$

$$5e/7\pi = 0.618039985308760776584124849747207 \doteq \phi = \Phi - 1 = 1/\Phi$$

$$199^{1/11} = 1.61803027449371786505215835713453 \doteq \Phi$$

$$\pi/4 = 0.785398163397448309615660845819876 \doteq 1/\sqrt{\Phi}$$

$$1/\sqrt{\Phi} = 0.786151377757423286069558585842959 \doteq \pi/4$$

$$5\pi = 15.7079632679489661923132169163975 \doteq 6\Phi^2$$

$$6\Phi^2 = 15.7082039324993690892275210061938 \doteq 5\pi$$

[also used by
Bob Williams]

$$\sqrt[3]{31} = 3.14138065239139300449307589646275 \doteq \pi$$

$$e \Phi^{3/2} = 5.594688903 \doteq \frac{28}{5} = 5.6$$

also
See it, in the Mythology Book

KALPAS AS UNITS OF TIME

While we know that the ancients developed systems for expressing large numbers, we are ignorant of any practical applications for which they needed large numbers. Particularly, we recognize the creativity of Archimedes in his "Sand Reckoner" and of unknown Hindu mathematicians in their development of the system of yugas and kalpas. Today we have many uses for large numbers to express social, economic, and scientific quantities and have developed a convenient representation by expressing them as powers of ten. For example, one billion = $1,000,000,000 = 10^9$. In our culture, astronomy has long been the cradle of large numbers, for distances, numbers of stars and other objects, and for their ages. With recent focus on the cosmological importance of the age of the universe, (derived from its rate of expansion), it is of interest to see what modern age numbers might look like when expressed in terms of ancient units like yugas and kalpas, which were used to represent great lengths of time.

THE HINDU TIME SYSTEM

See also Book on Hindu Mythology

Brahma, the creator of the universe, is supposed to have a lifetime of 100 Brahma Years, each of 360 Brahma Days. The length of one Brahma Day is called a kalpa and is 4.32×10^9 earth years. This would make Brahma's lifetime equal to about 156×10^{12} earth years. It is held that at the end of such a period the world disappears to be replaced by a new world with a new Brahma. But there are subdivisions to the kalpa or Day of Brahma. One kalpa is equal to 1000 mahayugas, each of which would be of length 4.32×10^6 earth years or of 12,000 so-called Divine Years. This works out to one Divine Year = 360 earth years, [$360 \times 12,000 = 4.32 \times 10^6$]. Each mahayuga consists of four yugas, each successive yuga is of decreasing length, containing increasing strife and conflict. The first yuga is the Krta Yuga whose length is 4000 Divine Years, [1,440,000 earth years]; the second is the Treta Yuga of 3000 Divine Years, [1,080,000 years]; the third is the Dvapara Yuga of 2000 Divine Years, [720,000 years]; and the last is the Kali Yuga of 1000 Divine Years, [360,000 years]. These add up not to 12,000 Divine Years, but to only 10,000 Divine years. The discrepancy is explained in terms of "yuga dawns and twilights".

THE 20TH CENTURY COSMOLOGICAL SYSTEM

For most of the 20th century, cosmologists have been using a model based on a "critical density"; critical in the sense that if exceeded, the universe will oscillate between a series of big bangs and big crunches, and if deficient, will expand forever. The jury is still out, but at the beginning of the 21st century, the smart money is on insufficient matter and eternal expansion. In this model we are concerned with three quantities:

- 1) An observable: the Hubble parameter, H_0 , measured in kilometers/second/megaparsec.
- 2) An interval of time called the Hubble Age, A , the time from the present back to an origin assuming constant rate of expansion at the present rate, measured in billions of years.
- 3) The so-called age of the universe, T , the time from the present back to the big bang, measured in billions of years.

These quantities are related as follows:

$$(H_0 \text{ in km/sec/mpc}) \times (A \text{ in billions of years}) = 978; \quad \text{and } T = 2/3 A$$

KALPAS AS UNITS OF TIME

The table shows the relations between the Hubble parameter, H_0 ; the Hubble time or age, A ; the time since the big bang, the so-called age of the universe, T ; with \log_{10} values.

H_0 km/sec/mpc	A Gyr	T Gyr	log T years	log T seconds
1) 550	1.8	1.2	9.079	16.578
2) 71.99	13.58	9.056	9.956955	17.456067
3) 75.46	12.96	8.64	9.936514	17.435626
4) 150.93	6.48	4.32	9.635484	17.134596
5) 4.1924×10^{-3}	233,280	155,520	14.191786	21.690898

1) Hubble's first value [Realm of the Nebulae p168, 1936]

2) Current value based on Cepheids [Friedman et al, 1999] This value = $(\alpha \mu S)^{3/2} t_0$

3) Value corresponding to 2 kalpas

4) Value corresponding to 1 kalpa

5) Value corresponding to "Lifetime of Brahma"

[log number of seconds in year = 7.499112]

$$\begin{array}{r} 21,690,898 \\ \hline 2 \\ \hline 43,381,796 \\ \hline \sqrt{} \\ \hline 43,268,366 \end{array} \quad \begin{array}{l} (\text{Lifetime})^2 \\ = P \\ \text{or } \sqrt{P} \\ = \text{Lifetime of} \\ \text{Brahma} \end{array}$$

Notes: The age of the earth is estimated to be about 4.5 Gyr which is close to one kalpa, which means the earth was born toward the end of the first Day. The sun is estimated to be about 4.7 Gyr, though a second generation star, it was still born in the first Day. The age of the universe 2) is "slightly" over two kalpas. Meaning we have been in the third Day of Brahma for $0.42/4.32 = 0.097$ Day, that is for about 420 million years. This means the third Day of Brahma began 420 million years ago in the Silurian period, the age of first appearance of vertebrates, the fishes, and the first seedless land plants and ferns. Since the beginning of the third Day, there have been 97 mahayugas (out of 1000 per Day). The 98th mahayuga of the third day began 960,000 years ago in the Pleistocene epoch. This was the time of homo erectus well before homo neanderthalensis and homo sapiens. But since 960,000 years is less than 1,440,000 years of a Krta Yuga, we are still in a Krta Yuga, with 680,000 years to go. That should be good news for all of us.

If we define the Planck Age, P_A , as +43.268366 seconds, and take the total number of Brahmas, past, present, and future, B_N , as having the same numerical value as the lifetime of Brahma, B_L , in seconds = 21.690898, then $B_N \times B_L = +43.381796, \sim P_A$. [log₁₀ values]

$$\text{OR } \sqrt{P} = 21,634,183 \text{ is Lifetime of Brahma}$$

While the use of kalpas has no advantage over our powers of ten notation, it does help to put relative lengths of time into perspective by reducing billions and millions of years to days and hours. Since the big bang we are now only two hours and 20 minutes into the third Day of Brahma.

HUBBLE AND THE KALPAS

The units of the Hubble parameter, H_0 , are in kilometers/second/megaparsec.

One megaparsec is equivalent to 19.489352 kilometers [\log_{10} value]

Hence an $H_0 = 1$ is equal to $-19.489352 \text{ sec}^{-1}$

Or an $H_0 = V$ gives a frequency of $\log V - 19.489352 \text{ sec}^{-1}$, or a time of $19.489352 - \log V \text{ sec}$

The best current value for the Hubble constant, H_0 , is about 72 km/sec/mpc.

If we use the value $H_0 = 71.977$; with $\log(71.977)^1 = 1.857194$;

we get a log Hubble Time of 17.632158 sec, or log time of 10.133046 years

The anti log value becomes 13.584573×10^9 years

A Kalpa or day in the life of Brahma is defined as 4.320×10^9 years

[with a \log_{10} value of 9.635484 years = 17.134596 seconds]

If the age of the present Brahma began with the Big Bang, then

the first Kalpa began	13.584×10^9 years ago	Big Bang	
the second Kalpa began	9.264×10^9 years ago	First generation stars	
the third Kalpa began	4.944×10^9 years ago	Second generation stars, sun	20 Kalpa
the fourth Kalpa began	624×10^6 years ago	In the Sinian Era ²	

The present Brahma is now in his fourth day.

An alternate theory places the age of the universe at 2/3 the Hubble Time.

Again using the same value of H_0 as above, the log age then becomes 17.456065 sec

[$= (\alpha \mu m_0/m_p)^3 \times t_0$]; with a corresponding log value = 9.956953 years

whose anti log value is 9.056×10^9 years

If the age of the present Brahma began with the Big Bang, then

the first Kalpa began	9.056×10^9 years ago	Big Bang	
the second Kalpa began	4.736×10^9 years ago	Age of sun	20 Kalpa
the third Kalpa began	416×10^6 years ago	in the Silurian period ³	

The present Brahma is now in his third day.

Some call
Day of Brahma
Day Night, i.e.
 8.640×10^9 years

¹This value of the Hubble Parameter derives from $(\alpha \mu m_0/m_p)^3 \times t_0$, where α is the fine structure constant, μ is the proton/electron mass ratio, m_0 is the Planck mass, m_p is the proton mass, and t_0 is the Planck time..

²The Sinian era was from about 800 to 570 million years ago, time of the oldest animal fossils. The Cambrian Period began 570 million years ago, with the great Cambrian radiant at about 530 million years ago.

³The Silurian period, 439-409 million years ago, time of the first land plants. [The first recorded extinction was about 440 million years ago.]

A Variation of Special Relativity

05-05-18

COSMIC
CURIOSITY

$$\begin{aligned}
 l &= L \sqrt{1 - \frac{v^2}{c^2}} \\
 t &= T \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}} \\
 m &= \frac{M}{\sqrt{1 - \frac{v^2}{c^2}}}
 \end{aligned}$$

$l \rightarrow 0$
 $t \rightarrow \infty$
 $m \rightarrow \infty$

Classical Version

$(\lim_{v \rightarrow c}, \frac{l}{t} = 0 \text{ i.e. } v \rightarrow 0)$
 Provides

Variation

Assume as $v \rightarrow c$

$L \rightarrow l_0$

$t \rightarrow t_0$

$m \rightarrow m_0$

the Planck values

-32.791

-43.268

-4.862

write β for $\sqrt{1 - \frac{v^2}{c^2}}$

as $v \rightarrow c, \beta \rightarrow 0$

$$l = \beta L + l_0$$

$$t = \frac{t_0}{1 + \frac{\beta t_0}{T}}$$

or for frequencies $f = \beta F + f_0$

$$m = \frac{m_0}{1 + \frac{\beta m_0}{M}}$$

but observed that $m \rightarrow \infty$?

AVOID SINGULARITIES

masses of -23

going toward -4

appear to be $\rightarrow \infty$

as $\beta \rightarrow 0$ $\frac{l}{t} \rightarrow \frac{l_0}{t_0} = c$

Force
and $\frac{ML}{T^2} \rightarrow \frac{m_0 l_0}{t_0^2} = \frac{c^4}{G}$

Action

$$\frac{ML^2}{T} \rightarrow \frac{m_0 l_0^2}{t_0} = \hbar$$

AN EPISTEMOLOGICAL BALLOT

In designing (or selecting) an epistemology check which of the following you wish to include:

First, select allowed input channels.

- Sensory data (Positivism)
- Mathematical concepts and constructs
- Intuitive perceptions (Recognition)
- Revelation (Vision)

Second, select a probability distribution

- Gaussian (Science)
- Minimum sigma
- Bi-modal
- Disregard probability

Third, select a probability range

- The total distribution
- The most probable sub-portion (the most repetitive)
- A least probable section
- A Dirac function (probability either 1 or 0)

Fourth, select methods for validating

- Reproducibility
- Logical analysis (consistency)
- Consensus (or majority)
- Authority

Fifth, select dialectical processes

- Question/answer
- Hypothesis formulation/testing
- Thesis/antithesis -> synthesis (Hegel)
- Suppression of alternatives

Sixth, select desired product

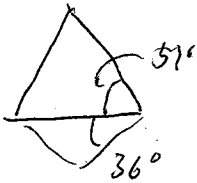
- Knowledge
- An ontology (reality)
- A belief system ("truth")
- Dogma (Power)

It must be noted that whatever the selection, it will perpetuate itself. The selection becomes the selector, and will seek to reaffirm itself by focusing on what it has rendered ordinary and familiar,

GREAT PYRAMID

Take side of base as 2, Area = 4, Vol = $\frac{4H}{3}$

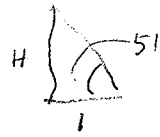
Inverse Pyramid



If $\gamma = 51^\circ 50' 40''$ $H = \arctan 51$
 51.8445

$\tan \gamma = 1.272806 = \text{Height } V$

$\text{Vol} = \frac{4H}{3} = 1.697077V$



What is an inverse pyramid

$\bar{H} = \text{Neg Height} = 2 - H = 0.727194$

$\beta = \tan^{-1}(2-H) = 36.024423$ 57

$\text{Vol} \frac{4\bar{H}}{3} = 0.969592$ 36

$\frac{4H}{3} = 1.697075$ 87

Total V = 2.666667

$2^{2/3} = \frac{8}{3} \checkmark$

Ratio $\frac{V_H}{V_{\bar{H}}} = 1.750298 \approx \frac{7}{4}$

Note $\tan \gamma = 1.272806$
 $V = 1.128187$
 cf. $\alpha = 1.127074$

Case for α If $\tan \gamma = 1.127074 = \alpha$, $\gamma = 48.418856$ $\tan \gamma = \alpha^2 = 1.2702958$
 If Case for G.P. based on α $\gamma = 51.7895$
 the fine structure constant $\beta = 51.8445$

0.0550 off by 3.3 arc

Case for Φ $\sqrt{\Phi} = 1.2720197 \rightarrow \gamma = 51.8273$
 $\sqrt[4]{\Phi} = 1.1278385$

α CASE $H = 1.270296$ $V = \frac{4H}{3} = 1.693728$

$\bar{H} = 2 - H = 0.729704$ $\gamma = 36.1184$

$V = \frac{4\bar{H}}{3} = 0.972939$

Total Vol = $\frac{8}{3} \checkmark$

07-05-09

$\frac{V_H}{V_{\bar{H}}} = 1.740837$

Φ CASE $H = 1.2720197$ $V_H = \frac{4H}{3} = 1.6960262$

$\bar{H} = 0.727980$ $V_{\bar{H}} = \frac{4\bar{H}}{3} = 0.970641$

TOTAL $\frac{8}{3}$

$\gamma = 36.0539$

$\frac{V_H}{V_{\bar{H}}} = 1.7473259 \approx \frac{7}{4}$

Max V/A case

Also of the pyramid

Pyramids

I π

II Φ

III max V/A

IV αH

V $5) + \alpha = 90$

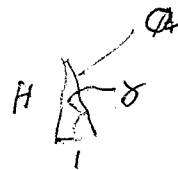
inverse pyramid

$$V = \frac{b^2 H}{3}$$

$$V_{oi} = \frac{b^2 H}{3}$$



$$A = 4SA$$



$$H = \tan \alpha$$

$$a = \frac{1}{\cos \alpha}$$

$$b = 2$$

$$V = \frac{4 \tan \alpha}{3}$$

$$A = 4a = \frac{4}{\cos \alpha}$$

$$\frac{V}{A} = \frac{4 \tan \alpha}{3 \cdot 4} \cos \alpha = \frac{\sin \alpha}{3}$$

$$\frac{d}{d\alpha} \left(\frac{V}{A} \right) = \frac{1}{3} \cos \alpha = 0 \quad \alpha = 90 \quad 30^\circ$$

dm and The Great Pyramid

$y = 1.127017$
 $48^{\circ} 41' 41.8''$

$y^2 = 1.270167$

$51^{\circ} 78' 6717 = 51^{\circ} 47' 12''$

$\tan = 1.2701673$

$y = 1.127074 = 10510 \text{ (dm)}$
 $48^{\circ} 41' 88.56''$

$y^2 = 1.2702958 \sim (\text{dm})^{\text{dm}}$

$51^{\circ} 78' 9534 = 51^{\circ} 47' 22''$

$\tan = 1.2702958$

Great Pyramid Giza $51^{\circ} 50' 40'' = 51.84$ Measured = 51.8445 $\tan = 1.2728$

♠ Pyramid 51.8540

♠ Pyramid 51.8273

$W = \frac{\pi}{2}$ 51.7850

$W = ?$

Internal spherical angle

$\tan = 1.270089$

$V = 1.1269823$

$w = 1.127074$

$\delta = 0.000092$

Sides 4π

$\frac{1}{8}$ sphere = $\frac{\pi}{2}$
 on octant

$y = \frac{1.127017}{x} = 0.1270167 = y-1$

$x = 8.872983$

$\frac{y}{x} = y-1$

$\frac{x}{y} = 7.872981 = \frac{x}{y} = x-1$

$y^2 = 1.270167 = \frac{y-1}{10} \sim 51.7867 = 51^{\circ} 47' 12''$

Work backward
 from measure

arc $\tan 1.2702958 = 51^{\circ} 78' 9534 =$

$1.127074 = \text{dm}$ arc $\tan = 48^{\circ} 41' 88.56''$

arc $\tan^2 1.2702958$ arc $\tan = 51^{\circ} 78' 9534 = 51^{\circ} 47' 22''$

Measured $51^{\circ} 50' 40''$

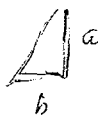
or

$w = 1.1270167$

$w^2 = 1.2701666 \sim 51.786702 = 51^{\circ} 47' 12''$

$\tan = 1.1270167 = w$

$\cot = 0.8872983 = \frac{w}{10} = \frac{1}{w}$



$\frac{1}{\tan} = \cot$

$w = 8.8729833$

±š □ ÈDùwà □ T □ òw □ □ □ 7 □ òwÚ □
+è □ T □

$$\begin{array}{r} \text{Measured } 51.853947 - 6.11 \\ \rightarrow 51.841287 \\ 51.773513 \\ 51.82738 \end{array} \quad \begin{array}{l} 1 \\ 51.8606 \\ \checkmark 51.7735 \\ \rightarrow 1.2726539 = t_m \\ \checkmark = 1.128122 \\ \checkmark^2 = 1.61966 \end{array}$$

$$51.8606 - 1.2735427 \checkmark = 1.128513$$

$$51.7735 - 1.2695646 \checkmark = 1.1267496$$

So - u^2 is about mean measured!

Numerical Curiosities

TRIPLES

3 numbers

reverse	<u>725</u>	<u>756</u>	<u>650</u>	<u>732</u>	<u>594</u>	<u>200</u>	<u>644</u>
subtract	<u>527</u>	<u>657</u>	<u>056</u>	<u>237</u>	<u>495</u>	<u>002</u>	<u>246</u>
reverse	<u>198</u>	<u>099</u>	<u>594</u>	<u>495</u>	<u>99</u>	<u>199</u>	<u>198</u>
again	<u>891</u>	<u>990</u>	<u>495</u>	<u>594</u>	<u>990</u>	<u>891</u>	<u>891</u>
add	<u>1089</u>	<u>1089</u>	<u>1089</u>	<u>1089</u>	<u>1089</u>	<u>1089</u>	<u>1089</u>
-	<u>693</u>	<u>891</u>	<u>99</u>			<u>693</u>	
	<u>77</u>	<u>99</u>					

2 numbers

$1089 = 121 = 11^2$
 $9 \cdot 11^2 = 33^2$
exception all digits the same
 333
 333
 000
 000
 "1089"
 $000 \div 9 = 0$

<u>75</u>	<u>34</u>	<u>63</u>	<u>52</u>	<u>22</u>	<u>12</u>
<u>57</u>	<u>43</u>	<u>36</u>	<u>25</u>	<u>22</u>	<u>21</u>
<u>18</u>	<u>09</u>	<u>27</u>	<u>27</u>	<u>00</u>	<u>9</u>
<u>81</u>	<u>90</u>	<u>72</u>	<u>72</u>	<u>00</u>	<u>90</u>
<u>63</u>	<u>81</u>	<u>45</u>	<u>45</u>		<u>99</u>
<u>99</u>	<u>99</u>	<u>99</u>	<u>99</u>		

all divisible by 9

4 numbers

<u>4601</u>	<u>9801</u>	<u>6704</u>
<u>1064</u>	<u>1089</u>	<u>4076</u>
<u>3537</u>	<u>8712</u>	<u>2628</u>
<u>7553</u>	<u>2178</u>	<u>8262</u>
<u>3816</u>	<u>6534</u>	<u>10490</u>
$\div 9$	$\div 9$	$5634 \div 9 = 626$
$1089^0 = 9 \cdot 8 \cdot 53$	10890	

All digits cannot be the same

- | | | | | |
|-----------------|---|----------|-------------|-----------|
| 3.33 | ① | 99 | 9.11 | 9.11 |
| 33 ² | ③ | 1089 | 9.11.11 | 9.121 |
| | ④ | 10890 | 90.11.11 | 90.121 |
| | ⑤ | 109890 | 90.11.111 | 90.1221 |
| | ⑥ | 1098900 | 900.11.111 | 900.1221 |
| | ⑦ | 10998900 | 900.11.1111 | 900.12221 |

OF PASCAL

11 ⁰	1	✓
11 ¹	11	✓
11 ²	121	✓
11 ³	1331	✓
11 ⁴	14641	✓
11 ⁵	161051	✓
11 ⁶		

11^m, m=0,1,...

Any 3 → 10 → 1

CONVERGENCE

999
- 9
number

424
4

	$\frac{\pi}{10}$ 18°	$\frac{\pi}{5}$ 36°	Φ and angles $\frac{6\pi}{20} = \frac{3\pi}{10}$ 54°	$\frac{2\pi}{5}$ 72°	$\frac{3\pi}{5}$ 108°
sin	0.309017	0.587785	0.809017	0.951057	0.951057
cos	0.951057	0.809017	0.587785	0.309017	-0.309017
tan	0.324920	0.726543	1.376382	3.077684	-3.077684

$$\cos 36^\circ \times \sin 36^\circ = A_{36} = 0.475528258$$

$$\cos 72^\circ \times \sin 72^\circ = A_{72} = 0.293892626$$

$$\frac{A_{36}}{A_{72}} = \Phi = 1.618033989$$

$$\cos 18^\circ \times \sin 18^\circ = A_{18} = 0.293892626$$

$$\cos 54^\circ \times \sin 54^\circ = A_{54} = 0.475528258$$

$$\frac{A_{54}}{A_{18}} = \Phi$$

$$\frac{\tan 72^\circ}{\tan 36^\circ} = R = 4.236067977$$

$$R - P = 2$$

$$\tan 72^\circ \times \tan 36^\circ = P = 2.236067978$$

$$R \times P = 9.472135955$$

$$R + P = 6.472135955$$

$$(R \times P) - (R + P) = 3$$

SQUARE PYRAMID

Max Vol for fixed surface
→ 57°.827292

$$2 \cos 36^\circ = \Phi$$

$$2 \sin 54^\circ = \Phi$$

$$2 \cos 72^\circ = \Phi$$

$$2 \sin 18^\circ = \Phi = 0.618033989$$

$$\cos^{-1} \Phi = 51.82729237 = 51^\circ 49' 38''.25$$

$$\sin^{-1} \Phi = 38.17270763$$

Khufu at Giza 51° 50' 40"
Khafre 53° 10'
Menkaure 51° 20' 25"

$$\tan^{-1} \pi = 72.34321285$$

$$\tan^{-1} \Phi^2 = 69.09484255$$

$$\tan^{-1} \Phi = 58.28252558$$

$$\tan^{-1} \varphi = 31.71747441$$

Φ as area ratio

$$\Phi = 1.618034$$

$$\varphi = 0.618034$$

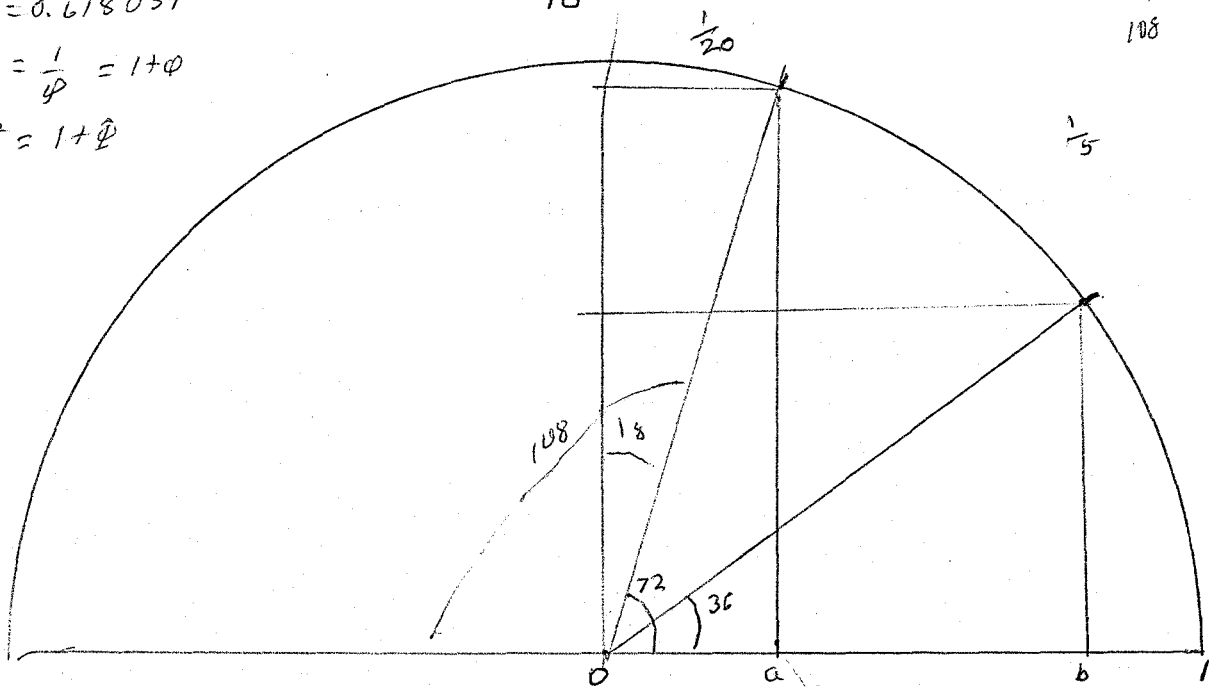
$$\Phi = \frac{1}{\varphi} = 1 + \varphi$$

$$\Phi^2 = 1 + \Phi$$

$$1^2 \cdot 2^2 \cdot 3^2$$

$$36 \cdot 72 = 2108$$

$$\frac{18}{6} = 108$$



$$36^\circ = \frac{2\pi}{10} = \frac{\pi}{5}, \quad 18^\circ = \frac{\pi}{10}$$

$$\cos b = 0.5 = \cos 36 - \cos 72$$

$$A_{36} = \cos 36 \times \sin 36 = 0.4755283$$

$$A_{72} = \cos 72 \times \sin 72 = 0.2938936$$

$$\sin \frac{\pi}{10} = \frac{\varphi}{2}, \quad \cos \frac{4\pi}{10} = \frac{\varphi}{2}$$

$$\cos \frac{2\pi}{10} = \frac{\Phi}{2}, \quad \sin \frac{3\pi}{10} = \frac{\Phi}{2}$$

$$\frac{A_{36}}{A_{72}} = \Phi = 1.618034$$

$$\frac{A_{72}}{A_{36}} = \frac{A_{36}}{A_{72} + A_{36}}$$

$$\sin \frac{\pi}{10} \times \sin \frac{3\pi}{10} = \frac{1}{4}$$

$$\cos \frac{3\pi}{10} \times \cos \frac{4\pi}{10} = \frac{1}{4}$$

$$\frac{\tan 72^\circ}{\tan 36^\circ} = 4.236066 = R$$

$$P + 2 = R, \quad R - P = 2$$

$$\tan 72^\circ \times \tan 36^\circ = 2.236066 = P$$

$$\sin \frac{5\pi}{10} = 1, \quad \cos \frac{5\pi}{10} = 0$$

$$A_{18} = A_{72} = 0.2938926$$

$$A_{36} = A_{54} = 0.4755283$$

$$\text{ratio} = \Phi = \frac{A_{36}}{A_{72}} = \frac{A_{54}}{A_{18}}$$

18°

36°

72°

54°

$$0.309017$$

Sin

$$0.587785$$

$$0.951057$$

$$0.809017$$

$$0.951056$$

cos

$$0.809017$$

$$0.309017$$

$$0.5877853$$

$$0.3249197$$

tan

$$0.726543$$

$$3.077684$$

$$1.3763819$$

Euler



$$e^{2\pi i} = 1$$

usually Φ as ratio of sides

here Φ as a ratio of areas

$$2 \cos 36 = 2 \sin 54 = \Phi$$

$$2 \cos 72 = 2 \sin 18 = \varphi$$

$$\frac{1}{\tan 54} = \tan 36$$

$$\frac{1}{\tan 18} = \tan 72$$

G = Great Pyramid angle

$\tan G = 1.2720$
 $(\alpha M)^2 = 1.2702$
 $\sqrt{\tan G} = 1.1278$
 $\alpha M = 1.1278$

$\sqrt{\Phi} = 1.2720197$
 $u^2 = 1.2701666$
 $(\alpha M)^2 = 1.2702958$

$\cos^{-1} \phi = 51.827292 = G$
 $\sqrt{\tan G} = 1.1278385$
 $\tan G = 1.2720196$
 $W = \sqrt{\Phi} = 1.2720197$

$\alpha M = 1.127074$
 $u = 5 - \sqrt{5} = 1.127017 = \frac{u^2}{10} + 1$
 $\frac{W}{10} + 1 = 1.127202 = \sqrt{\Phi} + 1$
 $\sqrt{\tan G} = 1.1278385$

Sin
 TH $18^\circ = \frac{\pi}{10}$ cycle
 odd n
 Cos cycle
 even n

$\text{If } G = 51^\circ 7' 89.534, \sqrt{\tan G} = \alpha M$

Need a new ride? Check out the largest site for U.S. used car listings at AOL Autos.

	$\frac{\pi}{18} = 19^\circ \{0\}$	$\cos 0 = 1$
=	$\sin \frac{\pi}{10} = \frac{\Phi}{2}$	$\cos \frac{\pi}{10} = \frac{\sqrt{\Phi}}{2}$
	$\sin \frac{3\pi}{10} = \frac{\Phi}{2}$	$\cos \frac{2\pi}{10} = \frac{\Phi}{2}$
odd n	$\sin \frac{5\pi}{10} = 1$	$\cos \frac{3\pi}{10} = \frac{\Phi}{2}$
	$\sin \frac{7\pi}{10} = \frac{\Phi}{2}$	$\cos \frac{4\pi}{10} = \frac{\Phi}{2}$
	$\sin \frac{9\pi}{10} = \frac{\Phi}{2}$	$\cos \frac{5\pi}{10} = -\frac{\Phi}{2}$
	$\sin \frac{11\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{6\pi}{10} = -\frac{\Phi}{2}$
	$\sin \frac{13\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{7\pi}{10} = -\frac{\Phi}{2}$
	$\sin \frac{15\pi}{10} = -1$	$\cos \frac{8\pi}{10} = -\frac{\Phi}{2}$
	$\sin \frac{17\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{9\pi}{10} = -1$
	$\sin \frac{19\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{10\pi}{10} = -1$
	$\sin \frac{21\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{11\pi}{10} = -\frac{\Phi}{2}$
	$\sin \frac{23\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{12\pi}{10} = -\frac{\Phi}{2}$
	$\sin \frac{25\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{13\pi}{10} = -\frac{\Phi}{2}$
	$\sin \frac{27\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{14\pi}{10} = -\frac{\Phi}{2}$
	$\sin \frac{29\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{15\pi}{10} = -\frac{\Phi}{2}$
	$\sin \frac{31\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{16\pi}{10} = \frac{\Phi}{2}$
	$\sin \frac{33\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{17\pi}{10} = \frac{\Phi}{2}$
	$\sin \frac{35\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{18\pi}{10} = \frac{\Phi}{2}$
	$\sin \frac{37\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{19\pi}{10} = \frac{\Phi}{2}$
	$\sin \frac{39\pi}{10} = -\frac{\Phi}{2}$	$\cos \frac{20\pi}{10} = 1$
	$\sin \frac{41\pi}{10} = -\frac{\Phi}{2}$	
	$\sin \frac{43\pi}{10} = -\frac{\Phi}{2}$	
	$\sin \frac{45\pi}{10} = -\frac{\Phi}{2}$	
	$\sin \frac{47\pi}{10} = -\frac{\Phi}{2}$	
	$\sin \frac{49\pi}{10} = -\frac{\Phi}{2}$	
	$\sin \frac{51\pi}{10} = -\frac{\Phi}{2}$	
	$\sin \frac{53\pi}{10} = -\frac{\Phi}{2}$	
	$\sin \frac{55\pi}{10} = -\frac{\Phi}{2}$	
	$\sin \frac{57\pi}{10} = -\frac{\Phi}{2}$	
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	$\sin \frac{61\pi}{10} = -\frac{\Phi}{2}$	
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	$\sin \frac{71\pi}{10} = -\frac{\Phi}{2}$	
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	$\sin \frac{195\pi}{10} = -\frac{\Phi}{2}$	
	$\sin \frac{197\pi}{10} = -\frac{\Phi}{2}$	
	$\sin \frac{199\pi}{10} = -\frac{\Phi}{2}$	
	$\sin \frac{201\pi}{10} = 0$	
	$\sin \frac{203\pi}{10} = \frac{\Phi}{2}$	
	$\sin \frac{205\pi}{10} = \frac{\Phi}{2}$	
	$\sin \frac{207\pi}{10} = \frac{\Phi}{2}$	
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	$\sin \frac{285\pi}{10} = \frac{\Phi}{2}$	
	$\sin \frac{287\pi}{10} = \frac{\Phi}{2}$	
	$\sin \frac{289\pi}{10} = \frac{\Phi}{2}$	
	$\sin \frac{291\pi}{10} = \frac{\Phi}{2}$	
	$\sin \frac{293\pi}{10} = \frac{\Phi}{2}$	
	$\sin \frac{295\pi}{10} = \frac{\Phi}{2}$	
	$\sin \frac{297\pi}{10} = \frac{\Phi}{2}$	
	$\sin \frac{299\pi}{10} = \frac{\Phi}{2}$	
	$\sin \frac{301\pi}{10} = 0$	

$\text{Mean } G =$
 $u = \frac{u^2}{10} + 1$
 $u = 5 - \sqrt{5} = 1.1270167$
 $\frac{u^2}{10} = u - 1 = 0.12701666$
 $u - 1 = 0.12701666$
 $\text{cf } \Phi^2 = \Phi + 1 =$
 $W = \sqrt{\Phi} = 1.2720197$
 $\frac{W}{10} + 1 = 1.12720196$
 $\frac{(\alpha M)^2}{N} = \alpha M - 1$
 $(\alpha M)^2 = 1.2702958$
 $N = 9.9965044$

$\frac{X^2}{10} + 1 = \alpha M = 1.127074$
 $X = 1.127271$

$\Phi = 1.618034$
 $\sqrt{\Phi} = 1.2720197$
 $\Phi^{1/4} = 1.1278385$
 $\sqrt{\tan G} = 1.1278385$
 $\tan G = 1.2720197$

$\sin^{-1} \phi = 38^\circ 17' 29.08$
 $\cos^{-1} \phi = 51.827292 = G$
 $\tan^{-1} \Phi = 58.282526$
 $\tan^{-1} \phi = 31.717475$
 Great Pyramid

$31^\circ 38' = 69.890183$
 $\frac{1}{\sin G} = 1.2720197 = \tan G$
 $\cos G = \sin^2 G = 1 - \cos^2 G$

$\tan G = 1.2720196 = \sqrt{\Phi}$
 $\sqrt{\tan G} = 1.1278385$
 $1.127074 = \alpha M$
 0.000765

$\cos^2 G + \cos G - 1 = 0$
 $x^2 + x - 1 = 0$
 $\frac{-1 \pm \sqrt{1+4}}{2} = \phi$

$36 \sqrt{2} = 50.911688$

COINTS

CONSPIRACY THEORIES
AND OTHER

BRIDGES TO NOWHERE

COINCIDENCES

CURIOSITIES

AND

CONSPIRACY THEORIES

THE UBIQUITOUS 1.127.....

X

$$5 - \sqrt{5} = 1.127016654$$

$$\log_{10}(\alpha\mu) = 1.127074115$$

$$\Phi = \frac{1+\sqrt{5}}{2}, \quad \Phi^{1/4} = 1.127838486$$

$$\left(\frac{3^3}{2^2}\right)^{1/16} = \left(\frac{27}{4}\right)^{1/16} = 1.126750168$$

$$V = 1.13198824 \left[\log_{10} \left(\frac{1}{\log_{10} V} \right) \right]^{1/2} = 1.126475516$$

Colo 76 Conf. 5 $\frac{8(1-\sqrt{3})}{3} = 1.127065949$

cycloid $\sqrt{\frac{L}{B}} = 1.128379167$

X²

$$1.276166538 \approx 10(x-1)$$

$$1.270296061$$

$$1.27201965 = \Phi^{1/2}$$

$$\left(\frac{0.7}{4}\right)^{1/8} = 1.269588476 \quad \text{rel vel max}$$

$$1.268879501 = \log_{10} \left(\frac{1}{\log_{10} V} \right)$$

$$1.270277653$$

$$1.27323945 = \frac{L}{B} = \frac{8a}{27a} = \frac{8}{27}$$

$$0.916079$$

$$0.916025$$

$$\sqrt{13} \quad \sqrt{17}$$

$$-\sqrt{35}$$

$$\log_{10} (\alpha\mu)^3 + \Phi = 4.999256$$

$$= 5$$

$$\delta = 0.000744$$

$$\frac{5 - \Phi}{3} = 1.127322$$

$$\Phi^{1/4} = 1.127838$$

$$\left[\frac{5 - \Phi}{3} \right]^4 = 1.615072$$

EV hand to t 25

PRODSUM PAIRS PART II

Prodsum pairs are pairs of numbers [x,y] whose sum is equal to their product:

$$x + y = x \cdot y = p$$

In terms of p, $x = [p + \sqrt{(p^2 - 4p)}]/2$ and $y = [p - \sqrt{(p^2 - 4p)}]/2$

TABLE 1. gives the values of the prodsum pairs corresponding to some integer values of p.

TABLE 1.

p	y	x	$y^2/2$	$x^2/2$	$\sqrt{}$
-6	-6.872983	0.872983	23.618947	0.381050	60
-5	-5.854101	0.854102	17.135255	0.364745	45
-4	-4.828427	0.828427	11.656853	0.343146	32
-3	-3.791288	0.791288	7.186932	0.313068	21
-2	-2.732051	0.732051	3.732051	0.267949	12
-1	-1.618034	0.618034	1.309017	0.190983	5
+4	2	2	2	2	0
+5	1.381966	3.618034	0.954915	6.545085	5
+6	1.267949	4.732051	0.803847	11.196153	12
+7	1.208712	5.791288	0.730492	16.769508	21
+8	1.171573	6.828427	0.686291	23.313708	32
+9	1.145898	7.854101	0.656541	30.843459	45
+10	1.127017	8.872983	0.635083	39.364917	60

-10 p
-9 p
-8 p
-7 p
-6 p
-5 p

p
2 p
3 p
4 p
5 p
6 p

- The $\sqrt{}$ column gives the values of $\sqrt{(p^2 - 4p)}$ $\downarrow ? 0$
- The values of x and y are imaginary for p = 1, 2, and 3 and = 0 for p = 0.
- For p = +5, $x = 3 - \Phi$ and $y = 2 + \Phi$; for p = -1, $x = \Phi - 1$ and $y = -\Phi$
- Note that for all p, $(x^2 + y^2)/2 = p \cdot (p-2)/2$; and $x^2 \cdot y^2/4 = p^2/4$
- There are several correspondences between the "plus p's" and the "minus p's"

Corresponding p's are those whose sum = 4, e.g. p = +10 corresponds to p = -6
For corresponding p's the following hold:

$$x(+)+y(-) = 2; \text{ e.g. } x(+9)+y(-5) = 7.854101 - 5.854101 = 2$$

$$y(+)+x(-) = 2; \text{ e.g. } y(+6)+x(-2) = 1.267949 + 0.732051 = 2$$

$$x(+)-x(-) = [p(+)-p(-)]/2$$

$$\text{e.g. } x(+7)-x(-3) = 5.791288 - 0.791288 = 5$$

$$\text{and } [(+7)-(-3)]/2 = 5$$

I many relats between -6 and +10

$$3y_{10} = 3 + \frac{x^2}{2}$$

$$-y_{-6} + y_{+10} = 8 \quad \lim_{x \rightarrow p} y = 0$$

$$8 + x_{-6} = x_{+10}$$

MORE ON THE UBIQUITOUS # 1.127...

$\log_{10}(\alpha\mu) = 1.127074115$, squared = 1.270296061

$A = 5 - \sqrt{15} = 1.127016654$, squared = 1.270166538 = $A^2 = 10(A-1)$

Special Relativity

$l = L \sqrt{1 - \frac{v^2}{c^2}}$, $t = \frac{T}{\sqrt{1 - \frac{v^2}{c^2}}}$, $v = \frac{L}{T}$ $S = \frac{l}{t}$, the relativistic velocity

$S = \frac{L}{T} (1 - \frac{v^2}{c^2}) = \frac{L}{T} (1 - (\frac{L}{T})^2 \frac{1}{c^2}) = \frac{L}{T} - (\frac{L}{T})^3 \frac{1}{c^2}$ or $v - \frac{v^3}{c^2}$
 $s = v(1 - \frac{v^2}{c^2})$ if $v=0$, $s=0$, if $v=c$, $s=0$

⇒ in between ∃ a maximum S

represent $v=ac$, then $s = c(a - a^3)$
 $a \leq 1$

$\frac{ds}{da} = c(1 - 3a^2) = 0$ or $a = \frac{1}{\sqrt{3}}$, $s = \frac{2}{3} \frac{c}{\sqrt{3}} = 0.384900179c$ max s

i.e. the maximum relativistic velocity is $\frac{2}{\sqrt{3}} c = 0.384900179c$ $s = \sqrt{\frac{4}{27}} c$

$\hat{a} = \frac{2}{\sqrt{3}}$, $\frac{1}{\sqrt{\hat{a}}} = 1.269588476 = (\frac{27}{4})^{1/3}$

$\frac{1}{\sqrt[3]{\hat{a}}} = 1.126750168 = (\frac{3}{2})^{1/8} \frac{1}{3}^{1/6} = (\frac{27}{4})^{1/6}$

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$V = 1.13198824$, $\log_{10} \left[\frac{1}{\log V} \right] = 1.268879501$

$\sqrt{V} = 1.126445516$

$A^2 \rightarrow 1.131573036$

Reverse Special Relativity

$s = v [1 - s^2/c^2]$, $s^2 + \frac{c^2}{v} s - c^2 = 0$, $s = \frac{-c^2 \pm \sqrt{\frac{c^4}{v^2} + 4c^2}}{2}$

if $v=c$, $s = c \left(\frac{-1 \pm \sqrt{5}}{2} \right)$, $s = -\Phi c, \Phi c$

$\sqrt{\Phi} = 1.27201965$

$\sqrt[4]{\Phi} = 1.127838486$

edge $\frac{2}{\sqrt{3}}$



$\frac{8(1-\sqrt{3})}{3} = K$

cube

$\frac{8}{3^{3/2}} (\sqrt{3}-1) = 1.127065949 = K$

$K^2 = 1.270277653$

Redo

THE UBIQUITOUS NUMBER 1.127 XXX

$\Phi = 1.6180339887498948482045868343656$

$\sqrt{\Phi} = 1.2720196495140689642524224617375$

$1 + \sqrt{\Phi}/10 = 1.12720196495140689642524224617375$

$(1 + \sqrt{\Phi}/10)^2 = 1.2705841$

$\sim (5 - \sqrt{15})^2$
 $\Phi^{1/4} = 1.127 \downarrow 8385$

The volume common to a cube of edge = $2/\sqrt{3}$ plus six "cylinder caps" of radius = 1 $(\alpha\mu)^3 = 3.381222345$

$\delta = 0.0000241$
 $8(1 - 1/\sqrt{3}) = 3.3811978464829938839268097559843$

$(\alpha\mu)^3 = 3.381222342$
 $(1.127)^2 = 1.270$

$8(1 - 1/\sqrt{3})/3 = 1.1270659488276646279756032519948$

$(1.270)^2 = (1.127)^4 = 1.613$

$[8(1 - 1/\sqrt{3})/3]^2 = 1.270277653006803941795809936563$

$\delta = 0.000008$

$1 + [8(1 - 1/\sqrt{3})/3]^2/10 = 1.1270277653006803941795809936563$

$5 - \sqrt{15} = 1.1270166537925831148207346002176$

$\delta = 0.0000575$ $25 + (\alpha\mu)^2 = 80 = 79.981$
 $\alpha\mu = 5 - \sqrt{15}$
 $S = 5(4 + \sqrt{15})$

$(5 - \sqrt{15})^2 = 1.270166537925831148207346002176$

$1 + (5 - \sqrt{15})^2/10 = 1.1270166537925831148207346002176$

log₁₀(cgs) values:

fine structure constant

$\alpha = -2.136834673$

proton mass

$m_p = -23.776602304$

electron mass

$m_e = -27.040511092$

ratio

$m_p/m_e = \mu = 3.263908788$

electron radius

$r_e = -12.550068214$

planck length

$l_0 = -32.791340829$

planck mass

$m_0 = -4.662403804$

$M = m_0/m_p = 19.114198500;$

$L = r_e/l_0 = 20.241272615$

$L - M = 1.127074115 = A;$

$L + A = 21.368346730 = -10\alpha$

$A - \alpha = 3.263908788 = \mu;$

$L = -10\alpha - \alpha - \mu = -11\alpha - \mu$

$M = L - A = -12\alpha - 2\mu;$

$S = L + M = 39.355471115 = -23\alpha - 3\mu$

$$\alpha\mu \left(\frac{m_0}{m_p}\right)^2 = S = \left(\frac{h_e}{l_0}\right)^2 \frac{1}{\alpha\mu} \Rightarrow m_0 l_0 = \frac{h}{c} = \frac{m_p r_e}{\alpha\mu} \quad 40$$

PARALLELS BETWEEN A RECURSION FORMULA
AND THE VALUES OF THREE FUNDAMENTAL CONSTANTS OF PHYSICS.

pure numbers

$A_{n+2} = 10A_{n+1} - 10A_n$ has the characteristic equation, $x^2 - 10x + 10 = 0$, whose solutions are $x = 5 - \sqrt{15}$ and $y = 5 + \sqrt{15}$; with numerical values : $x = 1.1270167$ and $y = 8.8729833$
 $y^2/2 = 39.3649167$

$$\begin{aligned} x + y &= 10 \\ x \cdot y &= 10 \\ y - x &= \sqrt{60} = 7.7459667 \\ (x + y) / (x \cdot y) &= 1 \end{aligned}$$

$$\begin{aligned} (x^2 + y^2)/2 &= 40 \\ x^2/2 \cdot y^2/2 &= 25 \end{aligned}$$

\log_{10} values of three fundamental constants:
The fine structure constant $\alpha = -2.1368346$
The proton/electron mass $\mu = +3.2639088$
with $\alpha\mu = 1.1270742$

The coulomb/gravity force $S = 39.3558802 = (\alpha\mu) \left(\frac{m_0}{m_p}\right)^2$
with $\sqrt{(2S)} = 8.8719649$

$$\begin{aligned} \alpha\mu + \sqrt{(2S)} &= 9.9990391 \\ \alpha\mu \cdot \sqrt{(2S)} &= 9.9993627 \\ \sqrt{(2S)} - \alpha\mu &= 7.7448907 \\ [\alpha\mu + \sqrt{(2S)}] / [\alpha\mu \cdot \sqrt{(2S)}] &= 1.0000324 \end{aligned}$$

$$\begin{aligned} (\alpha\mu)^2/2 + S &= 39.9910283 \\ (\alpha\mu)^2/2 \cdot S &= 24.9968136 \end{aligned}$$

$$\begin{aligned} \alpha\mu/x &= 1.0000510 \\ (y^2/2) / S &= 1.0002296 \\ y / \sqrt{(2S)} &= 1.0001148 \end{aligned}$$

$$\begin{aligned} \alpha\mu - x &= 0.0000575 \\ y^2/2 - S &= 0.0090365 \\ y - \sqrt{(2S)} &= 0.0010184 \end{aligned}$$

The explicit formula for the values of A_n is

$$A_n = (y^n - x^n)/(y - x)$$

This formula leads to the following series:

$$\begin{aligned} A_0 &= 0 \\ A_1 &= 1 \\ A_2 &= 10 \\ A_3 &= 90 \\ A_4 &= 800 \end{aligned}$$

An explicit formula for the values of C_n is

$$C_n = \{[\sqrt{(2S)}]^n - (\alpha\mu)^n\} / [\sqrt{(2S)} - \alpha\mu]$$

giving the following series:

$$\begin{aligned} C_0 &= 0 \\ C_1 &= 1 \\ C_2 &= 9.9990390 \\ C_3 &= 89.9814202 \\ C_4 &= 799.7437196 \end{aligned}$$

The many parallels between the fundamental physical constants $\alpha\mu$ and S with the solutions of the recursive equation $A_{n+2} = 10A_{n+1} - 10A_n$ suggest that some form of "continental drift" may be occurring. It has been proposed by several [see Dirac, 1935] that the fundamental constants do vary in time. It may be that the original values of $\alpha\mu$ and S were 1.1270167 and 39.3949167, respectively and have drifted over 13 billion years to their present values of 1.1270742 and 39.3558802. [$\alpha\mu$ increasing and S decreasing]. However, the drift may be in the opposite direction with the present values converging to the $5 \pm \sqrt{15}$ values. [$\alpha\mu$ decreasing and S increasing]. Was there a formation template from which the universe has diverged, or is the universe converging toward a template?

formal mathematical or oscillations around a template?

or a local terrestrial effect on our measurements

$$u \cdot v = 10$$

$$\frac{1}{u} = \frac{v}{10}$$

$$\frac{1}{v} = \frac{u}{10}$$

$$\frac{1}{u} + \frac{1}{v} = 1$$

$$v = \frac{10}{u}$$

$$\frac{v^2}{2} = \frac{50}{u^2}$$

$$S = \frac{50}{(\alpha\mu)^2} = \alpha\mu \frac{\cancel{G} m_p^2}{\cancel{h} c} \frac{h c}{G m_p^2}$$

$$\frac{(\alpha\mu)^3 G m_p^2}{h c} = 50 = \frac{(\alpha\mu)^3 m_p^2}{m_0^2}$$

$$\boxed{(\alpha\mu)^3 \cdot \frac{m_0^2}{m_p^2} = 50}$$

$$m_p = \frac{(\alpha\mu)^{3/2}}{\sqrt{50}} \cdot m_0 = \sqrt{\frac{(\alpha\mu)^3}{50}} m_0$$

Approximations & Coincidences

Intent

Accident

THE $Z_{n+2} = 10 Z_{n+1} + B Z_n$ CONSPIRACY THEORY

$$Z_{n+2} = 10 Z_{n+1} + B Z_n \rightarrow z^2 - 10z - B = 0$$

$$z = 5 \pm \sqrt{25 - B} \quad B \leq +25$$

The values of the fundamental physical constants, α the fine structure constant, μ the ratio of proton mass to electron mass, and S the ratio of coulomb force to gravity are $\log_{10}(\text{cgs})$ values. // [0]

B = 10

$5 - \sqrt{15} = 1.127017$	$\alpha + \mu = 1.127074$	$\delta = 0.000057$
$5 + \sqrt{15} = 8.872983$	$10/(\alpha + \mu) = 8.872532$	$\delta = 0.000451$

B = 22

$5 - \sqrt{3} = 3.267949$	$\mu = 3.263909$	$\delta = 0.004040$
$5 + \sqrt{3} = 6.732051$	$22/\mu = 6.740384$	$\delta = 0.008333$

from above

$\sqrt{3} - \sqrt{15} = -2.140933$	$\alpha = -2.136835$	$\delta = 0.004098$
$\sqrt{3} + \sqrt{15} = 5.605033$	$-12/\alpha = 5.615782$	$\delta = 0.010749$
$(5 + \sqrt{15})^2/2 = 39.364917$	$S = 39.355478$	$\delta = 0.009439$

Since the values of the δ 's differ, there is clearly no constant difference between the measured values and the solutions to the equation, $z^2 - 10z - B = 0$. Further, there is no constant factor relating the values of these roots to measured values, nor is there a constant exponential or power relation. The differences between the recursion equation roots and the measured values may be due to local conditions. That is, the "earth measured" values may differ from those that would be found when measured in low density space. Or perhaps the measured values have drifted over time in an irregular manner from some original template like a recursion equation such as $Z_{n+2} = 10 Z_{n+1} + B Z_n$. But most likely, the approximations are only one of those curious coincidences.

A Special Case

The measured value of μ is 3.263 908 788;

$$5 - \sqrt{3} = 3.267 949$$

but $5 - \sqrt{3} - 4/990 = 3.263 908 788$

is correct to nine decimal places.

Suspended

REDIMEN1.WPD

February 4, 2007

THE $Z_{n+2} = 10 Z_{n+1} + B Z_n$ CONSPIRACY THEORY

$$Z_{n+2} = 10 Z_{n+1} + B Z_n \rightarrow z^2 - 10z - B = 0$$

$$z = 5 \pm \sqrt{(25 - B)} \quad B \leq +25$$

$5 - \sqrt{15} = 1.127017$	$\alpha + \mu = 1.127074$	$\delta = 0.000057$
$5 - \sqrt{3} = 3.267939$	$\mu = 3.263909$	$\delta = 0.004040$
$\sqrt{3} - \sqrt{15} = -2.140933$	$\alpha = -2.136835$	$\delta = 0.004098$
$5 + \sqrt{15} = 8.872983$	$10/(\alpha + \mu) = 8.872532$	$\delta = 0.000451$
$5 + \sqrt{3} = 6.732051$	$22/\mu = 6.740384$	$\delta = 0.008333$
$\sqrt{3} + \sqrt{15} = 5.605033$	$-12/\alpha = 5.615782$	$\delta = 0.010749$

Special Case 1) $Z_{n+2} = 10 Z_{n+1} - 10 Z_n$

$p = 5 - \sqrt{15} = 1.127017$; $q = 5 + \sqrt{15} = 8.872983$

$\alpha + \mu = 1.127074$; $q^2 = 78.729833$

$\delta = 0.000057$; $S^2 = 78.710956$

$\delta = 0.018877$

Special Case 2) $Z_{n+2} = 10 Z_{n+1} - 22 Z_n$

$P = 5 - \sqrt{3} = 3.267949$; $Q = 6.732051$

$\mu = 3.263909$; $\sqrt{3} - \sqrt{15} = -2.140933$

$\delta = 0.004040$; $(\alpha + \mu) - \mu = \alpha = -2.136835$

$\delta = 0.004098$

Special Case 3) $(\sqrt{3} - \sqrt{15})(\sqrt{3} + \sqrt{15}) = -12$

$R = (\sqrt{3} + \sqrt{15}) = 12/(\sqrt{15} - \sqrt{3}) = 5.605033$

$R^2/3 = 10.472132$ **2

$c = 10.476821$

$\delta = 0.004689$

$\sqrt{2}(\delta + \sqrt{5}) = 12.548293$

$r_e = 12.550068$

$\delta = 0.001775$

^{1*} The measured value of μ is 3.263 908 788; while $5 - \sqrt{3} - 4/990 = 3.263 908 788$ correct to nine decimal places. $\delta = 0.000 000 000$

^{2**} This "numerical coincidence" involves a pure number vs c , which has the dimensionality of $[L/T]$. The other approximations are between pure numbers.

$$\delta = 0.000057$$

$$\alpha_M = 1.127074$$

$$5 - \sqrt{5} = 1.127017$$

$$S = 39.355478$$

$$5 + \sqrt{5} = 8.872983$$

$$10 - \alpha_M = 8.872926$$

$$\frac{(5 + \sqrt{5})^2}{2} = 39.364917$$

$$\frac{(10 - \alpha_M)^2}{2} = 39.364105 \quad \delta = 0.000509$$

$$S = 39.355478$$

$$\sqrt{25} = 8.8719195$$

$$10 - \sqrt{25} = 1.1280805$$

$$a \log \log (\alpha_M) = -1.284394$$

$$A = \frac{a}{10} - 28 = -28.128439$$

$$\frac{C^2}{G} = 28.128945$$

$$A = \log \log (L_{\alpha_M}) - 3^3 = -28.128394$$

$$B = \log \log (5 - \sqrt{5}) - 3^3 = -28.128$$

$$\frac{C^2}{G} + A = +0.000551$$

$$B = \log \log (5 - \sqrt{5}) = A$$

$$B = \frac{b}{10} - 28, \quad b = 1.128579$$

$$\frac{C^3}{G} + B = +0.000366$$

Part I 1998 #40
Part III 2004 #57

NUMAPRX2.WPD

June 2, 2004

SOME NUMERICAL APPROXIMATIONS II

Measured values: $\alpha = 0.007297353$, $1/\alpha = 137.0359895$

$$\log_{10} S^{-1} = Gm_e m_p / \alpha c h = 39.355882$$

where G = 6.67259	Cgs log ₁₀ -7.175706
m _e = 9.1093897	-27.04051072
m _p = 1.6726231	-23.77660191
h = 1.05457266	-26.97692349
α = 0.00729735	-2.13683465
c = 299 792 458	10.47682070

$$m_p/m_e = 1836.152756, \quad 6 \pi^5 = 1836.118109, \quad \delta = 0.034647, \quad Q = 1.0000189$$

The following approximations or "coincidences" from P.L. Kannappan:

$$\text{Define } \omega = \pi^4 \ln 4 = 135.0376736, \quad \omega + 2 = 137.0376736, \quad \delta = 0.001684, \quad Q = 1.0000118$$

$$\alpha = 1/(\omega + 2) = 0.007297263 \quad \delta = 0.00000009, \quad Q = 1.0000123$$

$$S = 2^\omega / 2\pi^2 = 2.264960107 \times 10^{39}, \quad \text{Log } S = 39.355060557, \quad \delta = 0.000821, \quad Q = 1.0000208$$

$$\Phi = 1.6180339887, \quad 2 - 1.2/\pi = 1.618028, \quad \delta = 0.000006$$

from NUMAPROX.WPD 1998 # 40 $e = 2.718281828$

BOB WILLIAMS

$$e \Phi / \pi \approx 7/5, \quad \Phi^{-1/2} \approx \pi/4,$$

$$6\Phi^2 \approx 5\pi$$

$$\text{eliminating } \Phi, \quad e = 7 \pi^3 / 80 = 2.71305$$

$$6\Phi^2 = 15.70820393$$

$$\text{Eliminating } \pi, \quad e = \Phi^{-3/2} 28/5 = 2.70862$$

$$5\pi = 15.70796327$$

$$\Delta = 0.00024066$$

$$\text{ratio} = 1.000015321$$

$$10^5 / 9^3 = 137.1742 \quad Q = 1.001009$$

$$\sqrt{51} = 7.1414284, \quad \sqrt{2} = 1.4142136, \quad 10(\sqrt{51} - 7) - \sqrt{2} = 0.000070 \quad Q = 1.0000495$$

c^n
 10.476 820 7029
 20.953 641 4058
 31.430 462 1087
 41.907 282 8116
 52.384 103 5145
 62.860 924 2174
 73.337 744 9203
 83.814 565 6232

1.127 016 6538	=	$5 - \sqrt{15}$	\approx	$\alpha\mu$
8.872 983 3462	=	$5 + \sqrt{15}$	\approx	$\sqrt{25}$
78.729 833 4620	=	$(5 + \sqrt{15})^2$	\approx	$2S$
39.364 916 7310	=	$(5 + \sqrt{15})^2/2$	\approx	S
12.548 293 3869	=	$\sqrt{2}(5 + \sqrt{15})$	\approx	r_e
-2.140 932 5386	=	$\sqrt{3} - \sqrt{15}$	\approx	α
3.267 949 1924	=	$5 - \sqrt{3}$	\approx	μ
10.472 135 9550	=	$(\sqrt{3} + \sqrt{15})^2/3$	\approx	c
$\frac{6 + \sqrt{20}}{6 + \sqrt{20}}$	=	$12(5 - \sqrt{3})$	\approx	S

49.241 448 3887 = $23(\sqrt{3} - \sqrt{15})$
 9.803 847 5773 = $3(5 - \sqrt{3})$
 39.437 600 8114 = Difference

product of $\sqrt{15} \Rightarrow [L] \text{ or } [\frac{L}{2}] \text{ etc}$

$$\frac{3 + 2\sqrt{45} + 15}{3} = 8 + 2\sqrt{5}$$

~~$6 + \sqrt{20}$~~
 $6 + \sqrt{20}$

10.476821
 10.472136 c
 $\delta = 0.004685$

\therefore meaningless
 "Close fit Gmm"

RATIOS.WPD

March 27, 2007

		Δ	$\frac{1}{\Delta}$	
-2.136 834 6726	$\log_{10}(\text{cgs})$	1.001 917 7272	0.998 085 9434	α
-2.140 932 5386	$\sqrt{3} - \sqrt{15}$			
3.263 908 7879	$\log_{10}(\text{cgs})$	0.998 763 6269	1.001 237 9036	μ
3.267 949 1924	$5 - \sqrt{3}$			
1.127 074 1153	$\log_{10}(\text{cgs})$	1.000 050 9855	0.999 949 0176	$\alpha\mu$
1.127 016 6538	$5 - \sqrt{15}$			
-12.550 068 2143	$\log_{10}(\text{cgs})$	1.000 141 4397	0.999 858 5803	r_e
-12.548 293 3869	$[\sqrt{2}(5 + \sqrt{15})]^{-1}$			<i>X ? pure #? a second V</i>
39.355 471 4061	$\log_{10}(\text{cgs})$	0.999 760 0573	1.000 240 0003	S <i>→ [L]</i>
39.364 916 7310	$(5 + \sqrt{15})^2/2$			
10.476 820 7029	$\log_{10}(\text{cgs})$	1.000 447 2536	0.999 552 8464	C
10.472 135 9550	$(\sqrt{3} + \sqrt{15})^2/3$			
-2.136 834 6726	$\log_{10}(\text{cgs})$	1.000 053 4021	0.999 946 6008	α
-2.136 720 5672	$-\log_{10}(137)$			
39.355 471 4061	$\log_{10}(\text{cgs})$	1.003 572 0949	0.996 440 6195	S
39.215 390 3092	$12(5 - \sqrt{3})$			
39.355 471 4061	$\log_{10}(\text{cgs})$	0.997 917 4847	1.002 086 8612	S
39.437 600 8114	$23(\sqrt{3} - \sqrt{15}) - 3(5 - \sqrt{3})$			

COSMIC CURIOSITIES PART II

VALUES MEASURED ON EARTH

$$\log_{10}(\alpha\mu) = 1.127074$$

$$\log_{10} S = 39.355880$$

ROOTS OF THE RECURSIVE EQUATION

$$A_{n+2} = 10 A_{n+1} - 10 A_n$$

$$q = 5 - \sqrt{15} = 1.1270166..$$

$$p = 5 + \sqrt{15} = 8.8729833...$$

$$p^2/2 = 5(4 + \sqrt{15}) = 39.364917$$

Where α = the fine structure constant
 μ = the proton/electron mass ratio
 S = the coulomb/gravity force ratio
 $= \hbar\alpha c / Gm_e m_p = \alpha\mu m_o^2 / m_p^2$

Explicit Formula:

$$A_n = (p^n - q^n) / (p - q)$$

$$(p + q)^n = (p \times q)^n = 10^n$$

$$\log_{10}(\alpha\mu) - q = 0.000057 \quad \log_{10}(\alpha\mu)/q = 1.000051$$

$$p^2/2 - \log_{10} S = 0.009035 \quad p^2/2 \log_{10} S = 1.000230$$

see 2003#40, 2004#39, 2004#57

TWO TERRESTRIAL CYCLES

		Value in seconds	\log_{10} value in seconds
T	The Schuster Period	5060.24	3.704171
D	The mean solar day	86400.00	4.936514

The Schuster period is determined by the mass M and radius R of the earth and is the time period in which a satellite would circle a spherical earth at its surface were there no atmosphere or other obstructions. The above values are derived from a mean earth radius 6.371000×10^8 cm and Earth mass of 5.9737×10^{27} g [Cox, Astrophysical Quantities 1999]; $G = 6.674215 \times 10^{-8}$ cm³/g s² [Physics Today July 2000 p 21]

$$T = 2\pi \sqrt{(R^3/GM)}$$

$$\log_{10} T = -7.175600$$

redo with new G

Note that

$$\log_{10}(T)/\log_{10}(D) = 0.750361$$

which to about 4 parts in 10^4 is equal to 3/4.

$$\frac{\log D}{\log T} = 1.3326919$$

$$\frac{SG}{C^3} = 0.749712 \approx \frac{3}{4} \left[\frac{T}{M} \right]$$

Hence,

$$T^4 = D^3$$

$$\frac{C^3}{SG} = 1.3338455$$

see 1991#88, 1994#7, 1994#13, 1994#15, 2000#22, 2000#43

$$\alpha^3 \mu^{5/2} = 1.749267$$

$$\frac{3}{5} = 0.6$$

$$-1.667586445 = \alpha^3 \mu^5 = -\frac{5}{3}$$

An analogy with Music

Just Intonation scale \sim Template
 $2 \times \text{freq.} = \text{Octave}$ \sim $\sqrt{5}$
 note on $3, 5$ etc \sim $2H$

Equal Temperament \sim Sequence
 $2 \times f = \text{Octave}$ Octave $5 + \sqrt{5} \sim \sqrt{5} = \frac{(5 + \sqrt{5})^2}{2} = 19.682458$
 note $\sqrt[12]{2}$ note $\frac{5 - \sqrt{5}}{2} \sim \sqrt{2H}$ 1.563508
 20.245966
 19.118952

$$\log S = 39.355880$$

$$\times 2 = 78.711760$$

$$\sqrt{\quad} = 8.8719048$$

$$+ \log \mu \quad \frac{1.127074}{9.999039}$$

value of G¹

#

COSCUR2.WPD

January 24, 2005

$$(\alpha \mu) \times \sqrt{25} = 9.999361$$

COSMIC CURIOSITIES PART II

VALUES MEASURED ON EARTH

ROOTS OF THE RECURSIVE EQUATION

$$A_{n+2} = 10 A_{n+1} - 10 A_n$$

$$\log_{10}(\alpha \mu) = 1.127074 = B$$

$$q = 5 - \sqrt{15} = 1.1270166..$$

$$p = 5 + \sqrt{15} = 8.8729833...$$

$$p^2 = 78.729833$$

$$A^2 \times (B-1) \times 10^{1002} \log_{10} S = 39.355880 = A$$

$$p^2/2 = 5(4 + \sqrt{15}) = 39.364917$$

$$= 5(p-1)$$

Where α = the fine structure constant
 μ = the proton/electron mass ratio
 S = the coulomb/gravity force ratio
 $= \hbar ac / G m_e m_p = \alpha \mu m_o^2 / m_p^2$

Δ's are like beat periods

Explicit Formula:

$$A_n = (p^n - q^n) / (p - q)$$

$$p^2(q-1) = 10$$

$$(p + q)^n = (p \times q)^n = 10^n$$

each term, dimensions

$$\log_{10}(\alpha \mu) - q = 0.000057$$

$$\log_{10}(\alpha \mu) / q = 1.000051$$

} beats

$$p^2/2 - \log_{10} S = 0.009035$$

$$p^2/2 \log_{10} S = 1.000230$$

$$G = -7.175363$$

$$\frac{3.704122}{4}$$

see 2003#40, 2004#39, 2004#57

$$\frac{14.816488}{3}$$

$$\div 0.750356$$

TWO TERRESTRIAL CYCLES

$$\frac{14.816488}{14.809542} = \frac{0.006946}{0.006946}$$

$$\frac{4.936514}{3}$$

$$14.809542$$

		Value in seconds	log ₁₀ value in seconds
T	The Schuster Period	5060.24	3.704171
D	The mean solar day	86400.00	4.936514

The Schuster period is determined by the mass M and radius R of the earth and is the time period in which a satellite would circle a spherical earth at its surface were there no atmosphere or other obstructions. The above values are derived from a mean earth radius 6.371000×10^8 cm and Earth mass of 5.9737×10^{27} g [Cox, Astrophysical Quantities 1999]; $G = 6.674215 \times 10^{-8}$ cm³/g s² [Physics Today July 2000 p 21]

$$T = 2\pi \sqrt{R^3/GM}$$

Note that

$$\log_{10}(T) / \log_{10}(D) = 0.750361$$

re-check

$$2192832 \text{ sec}$$

$$\odot_{rot} = 25.38 \text{ days (A110n)}$$

$$\odot_{Sch} = 10003.7539 \text{ sec}$$

which to about 4 parts in 10⁴ is equal to 3/4.

Hence,

$$T^4 = D^3$$

$$Sch^4 = rot^3$$

$$\text{ratio} = 219.201$$

$$\log = 2.3408$$

$$\div \frac{7}{3}$$

see 1991#88, 1994#7, 1994#13, 1994#15, 2000#22, 2000#43

$$\text{Note } D = \frac{1}{(GP)^{3/2}}$$

$$\oplus rot^3 = Sch^4$$

$$\ominus rot^3 = Sch^7$$

$$\text{for } \odot \text{ i.e. } rot^3 = 8^7$$

What change in d would be required to bring $1.127074 \xrightarrow{\alpha_0} 1.1270166 \xrightarrow{\alpha_m}$?

$$\frac{17}{0.00005?}$$

↓ a decrease of 6 parts in 100,000

$$S = \frac{Gmpme}{e^2} = \frac{Gmpme}{hc\alpha} = \frac{Gm_p^2}{hc\alpha_m}$$

Using $\alpha = 1.127017$ gives

$$\uparrow S =$$

$$S_0 = \frac{P_0}{\alpha_0}$$

$$S_u = \frac{P_0}{\alpha_m}$$

$$\frac{S_m}{S_0} = \frac{\alpha_0}{\alpha_m}$$

$$S_a = \frac{\alpha_0}{\alpha_m} S_0$$

$$1.000051 \times S_0$$

$$= 39.360791$$

$$\approx 39.364917$$

$$0.004126$$

$$\frac{4}{1000}$$

discriminat α, α_m

$$\text{New } G = 7.175303$$

$$S = 39.355478$$

$$S^2 = 78.127074$$

$$S^2(0.127074) \approx 0.002103$$

$$r_{\oplus} = 2\pi \sqrt{\frac{R^3}{GM}}$$

$$R_{\oplus} = 8.8042076$$

$$\frac{26.4128228}{3}$$

$$M_{\oplus} = 27.7762434 - 7.175303$$

$$20.600940$$

$$26.412823$$

$$215.811893$$

$$2.905942$$

$$0.798180$$

$$3.704122$$

(log 2π)

from other side

$$A_{n+2} = 10(A_{n+1} - A_n) \sim \text{The "Template"}$$

THE TEMPLATE FORMULA $\log A_{n+2} = 1 + \log(A_{n+1} - A_n)$

$$\log\left(\frac{A_{n+2}}{A_{n+1} - A_n}\right) = 1$$

COINTS

d, μ changing over 12 billion years - 2007 Year Book p.280

α 0.7 parts in 10^9

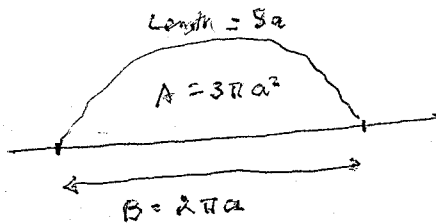
S by 0.002%

COINTS are ^{numerical} coincidences ^{in which} where several are mathematically related

REDIMEN 2 - in ^{C!} MATHEMO

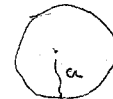
Add NUMAPRX4.WPD 2004

CYCLOID



$$\frac{L}{B} = \frac{8}{2\pi} = \frac{\pi}{4} = 1.27323945$$

a = radius



$$V = 1.128379167$$

□□ where?

local validity of 11^n
but $(a+b)^n$ all n

POWERS OF ELEVEN

PASCAL TRIANGLE

(4)

0	1	1
1	11	2
2	121	4
3	1331	8
4	<u>14641</u>	16
5	161 <u>051</u>	14
6	1771 <u>561</u>	28
7	19487 <u>171</u>	38
8	214358 <u>881</u>	46
9	2357947 <u>691</u>	43
10	<u>25937424601</u>	43
11	285311670611	41
12		

1
11
121
1331
<u>14641</u>
1510 <u>1051</u> 14
1615 <u>201561</u> 28
1721 <u>35352171</u> 28
1828 <u>5670562881</u> 47
<u>193684126126843691</u> 80
1104512021025221012045101 43
11155 <u>16533046246233016555111</u> 86
127

rule for
 $11^n \rightarrow$ pascal
= ?

16 1051 \rightarrow 15101051
17 21561 1615201561
1615201561

16105100
15101051 \div 99.76
1004049

"There is no idea, however ancient or absurd, that is not capable of improving our knowledge."

Paul Feyerabend

The epistemological anarchist, Feyerabend, supports any source for obtaining hypotheses, even buying them from the leprechauns provided the price is right. The following is an attempt to find a hypotheses by putting two equations in juxtaposition: a well known arithmetic relation and Kepler's third law, with the hope that they will start a dialogue.

First, the arithmetic relation:

$$(1+2+3+\dots+n)^2 = 1^3+2^3+3^3+\dots+n^3$$

time aggregation

space aggregation

*Prove by
Mathematical Induction*

Next, Kepler's Third Law:

$$GM T^2 = R^3$$

A parallel is suggested when we adopt the following forms:

$$\frac{(\sum m)^2}{\sum m^3} = \frac{(\sum n)^2}{\sum n^3}$$

and,

$$\frac{T_m^2}{R_m^3} = \frac{T_n^2}{R_n^3}$$

If there is a dialogue, it says that both time and three dimensional space aggregate linearly, but the square root of space must be taken to obtain dimensional correspondence with time. Something here suggests that Pythagoras was right when he claimed that at the root of all physical laws are the properties of number.

$$\frac{(\sum m)^2}{\sum m^3} \sim \frac{T_m^2}{R_m^3} = \frac{1}{GM}$$