

SYMMETRY AND SYMMETRIES

FOUR SYMMETRIES

$\sim +$ NEG

$\frac{1}{x} \propto$ INVERSE

THE SPECIES
OF
SYMMETRY.

$\nabla \wedge$ COUNTER

$\wedge \log X$ anti

FULCRUMS

$$\frac{dM}{dm} \rightarrow S \quad \left(\frac{S}{dm} \right)^3 \sim \frac{C}{G^2 h}$$

$$S = \alpha^{-23} \mu^{-3}$$

MIRROR

THING GAP

EXISTE UCB NON-EXTENDED SPEED
ING INC TIME

SOMETHING NOTHING \sim CONVEXITY - DISCRETE

\checkmark DURATION INTERVAL

AGE EXTENSION GAP

?

Inverse Time \propto Frequency

Neg entropy \propto information
order

Inverse Length \propto Curvature

Inverse Velocity \propto Resistance

antitime $= \sqrt{t}$

REGRESSION
OM MANI PADME HUM

EXPO NENT, ALL 4

$$\begin{array}{lll} C & M^0 L^1 T^{-1} & \Sigma = 0 \\ h & M^1 L^2 T^{-1} & \Sigma = 2 \\ G & M^{-1} L^3 T^{-2} & \Sigma = 0 \end{array}$$

δ follows

DIRAC

$$\begin{array}{lll} M \sim \frac{S}{\alpha \mu} & h \sim S^2 C & S^2 \\ L \sim \frac{\alpha \mu S}{c} & C \sim C & 1 \\ T \sim \frac{\alpha \mu S}{c} & G \sim (\alpha \mu)^2 C^2 & (\alpha \mu)^2 \end{array}$$

$c = 1$

$$ML \sim S^2 \sim \frac{h}{c}$$

$$\frac{M}{L} \sim (\alpha \mu)^{-2} \sim \frac{C^2}{G}$$

$$M^2 \equiv \frac{e h}{G} = m_0^2$$

$$L^2 = \frac{G h}{c^3} = l_0^2$$

$$\frac{G h}{c^3} = l_0^2$$

$$\frac{e h}{G} = m_0^2$$

$$\frac{G h}{c^5} = t_0^2$$

EMMY NOETHER

SYMMETRY \longleftrightarrow CONSERVATION LAW

SYMMETRY AND ASYMMETRY

We must abandon the 2500 year old tradition extending from the time of Democritos that leads physicists to search for the fundamental elementary particles: We should accept instead the concept of fundamental symmetries, which is a concept of the philosophy of Plato

Werner Heisenberg

Every law of physics, we think today, goes back in one way or another to some symmetry of nature

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Something must have asymmetry to be complex.
von Franz

There is a basic asymmetry between the elements connected by a feedback loop. One of the elements (e.g. prey) gives a surplus of energy, and the other (e.g. predator) uses a small part of such energy to maintain a more stable (internal) state.

ANON

BOOKS ON SYMMETRY

SIX NOT-SO-EASY PIECES

Feynman, Richard P.

1963

I-C-3

SYMMETRY ASPECTS OF M.C. ESCHER'S PERIODIC DRAWINGS

Caroline H. Macgillavry

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MODULE PROPORTION SYMMETRY RHYTHM

Gyorgy Kepes (ed.)

1966

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ORDER IN THE UNIVERSE

Amstutz, Dr. G.C.; Kunz, F.L.; Charon, Jean E.

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SHAPES, SPACE, AND SYMMETRY

Holden, Alan

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SYMMETRY

Hermann Weyl

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V-D-2

PERFECT SYMMETRY

Heinz Pagels

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V-C-1

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A. Zee

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CRYSTAL & DRAGON

David Wade

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IAN STEWART, MARTIN GOLUBITSKY

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THE FORCE OF SYMMETRY

Vincent Icke

1995

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THE SEARCH FOR SUPERSTRINGS, SYMMETRY, AND THE THEORY OF

John Gribbin

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THE NEW AMBIDEXTROUS UNIVERSE [3RD EDITION REVISED

MARTIN GARDNER

2005

V-E-1

THE EQUATION THAT COULDN'T BE SOLVED

MARIO LIVIO

2005

V-E-4

BOOKS ON SYMMETRY

CHAOS A VERY SHORT INTRODUCTION
LEONARD SMITH

2007

V-E-1

WHY BEAUTY IS TRUTH A HISTORY OF SYMMETRY
IAN STEWART

2007

V-E-1

January 29,

ONTOLOGICAL DICHOTOMIES

There are two kinds of existence:

There is the Vairachona-Akshobya existence coming ex-nihilo from the Sunyata. This is sustained, serving all others, requiring no support. It is Sat.

There is derived existence, dependent on other, serving itself, requiring support.

There are two kinds of non-existence:

There is Dirac non-existence. When A and no-A are brought together the join results in zero, in nothingness.

There is Eddington non-existence. When there is AAAAAA..., uniform sameness, there is no awareness.

There is Pythagorean non-existence. One does not exist because it is a special case of Eddington non-existence.

Thus both 0 and 1 are symbols of non-existence

When self is joined with no-self, there is a Diracean union resulting in nothingness. When self is joined with not-self there is an Aristotelean union resulting in a plenum, i.e. in 1, which is according to Pythagoras also non-existent

Dirac: $A + \text{no-}A = 0$ e.g. matter and anti-matter

Aristotle: $A + \text{not-}A = 1$ for 1 read everything.

When + and - are joined in one world the result is 0, in the second world the result is energy release.

There are two kinds of truth:

There is sat truth, stand alone truth. It is just so.

There is contingent truth, truth that must be renewed or repeated to survive, else it is eroded by the second law. cf the Persian adage.

There are two realms:

The realm of space and time, a competitive zero-sum realm, the realm of struggle, work and learning.

The realm of spirit, of Love and beauty, giving, diffusing,

non-zero-sum world. the world of grace, support and refuge.

Humans inhabit both worlds.

There are two times:

Chronos

Kairos

On Symmetry

All symmetries are forms of Dirac separation, i.e. ex-nihilo.

Joining a symmetry $\rightarrow 0$, cancels the symmetric parameter.

Joining clones \rightarrow summation.

Thus joining either cancels or totals,

Separation either creates a symmetry (Dirac ex-nihilo) or truncates.

The world is made of symmetries and clones, unlikes and likes, Mitosis is horizontal separation resulting in clones Dirac separation results in 2 bodies that are in some aspect symmetric.

Does the pain in separation result from separating likes or unlikes?

We are all a blend of like and unlike, clones and symmetries. In separation, I still have the like with me, it is the unlike (the symmetric) whose removal in separation causes pain.

MORE ON EDDINGTON AND WHITEHEAD

THREE ONTOLOGICAL AXIOMS:

Pythagoras speaks of the necessity for there to be more than one in order for there to be existence.

Whitehead speaks of the necessity for recurrence in order for there to be recognition and perception.

Eddington speaks of the necessity for difference, for non-sameness in order for there to be detection and perception.

Building on Pythagoras:

For Pythagoras the cardinal number one did not exist. Only when cardinal number two came along did one and two both come into existence. (It is easier to see that ordinal number one could not exist by itself.) Similarly the notion of universe, meaning one totality, is meaningless. There can be no one universe, it is a misleading concept. There can, however, be many universes, but this negates the 'uni' in universe. Totality of everything cannot exist until it in some way divides itself into (at least) two parts, where there is both an element of similarity and an element of difference in the parts. i.e. there is some form of symmetry. For the concept of symmetry implies the existence of both a difference and a sameness in the parts. Thus symmetry is seen to be a foundation stone of existence.

The notion of 'degrees' of existence can be introduced as a measure of the number of symmetries that exist. Whenever two 'opposite' parts possessing a symmetry come together in such a way as to effect oneness by obliterating the symmetry, the lose one of their degrees of existence.

These pythagorean concepts are implicit in the creation story given in Genesis 1. The void, the nothingness, the emptiness, the sunyata does not exist. The separation of the emptiness into light and dark, into firmament and waters, ... brought the world into existence. Light and dark, firmament and waters, possess symmetry. But there are also 'meta-symmetries' the symmetry between void and existence, and the symmetry between Creator and creation, that underlie all else. These meta-symmetries are symbolized in the Tibetan Book of the Dead by the symmetric Tathagatas, Vairachona and Akshobya who also demonstrate the necessity of self-reference for all existence.

We can only surmise that 'in the beginning' the nothingness or void resolved itself into four: Into the dyad of void and existence and into the dyad of Creator and creation. But the void was there both before and after creation. It is the symmetrical component to all existence which sustains and preserves existence. On the other hand, Creator and creation both are sub-components of existence. The Creator, God, came into existence only when creation came into existence. But the void remains, it is outside time. It is the external to all creators and creation from which innovation and change arises. Only from the void can come the new symmetries leading to further creators and creation, to new theophanies and metanoias, to new heavens and new earths.

Building on Whitehead:

Whitehead develops the similarity part of Pythagoras' ontological dyad.

code1 [
code3 [
NUMLEV2.WPD

] code2 [
October 27, 1998 October 28, 1998

THE BASIC DESIGN INGREDIENTS OF THE COSMOS.

There is an interesting parallel between the discovery of the various kinds of numbers and the increase of human understanding both of the physical world of determinism and of the moral world of choice. This parallelism is not only an affirmation of the role of mathematics as a valid and extensive symbolism for the nature of the world, but also that mathematics can serve as a useful guide on a spiritual path. But Pythagoras understood this many centuries ago and organized communities dedicated to the mathematical path to knowledge and spiritual growth. Over time the fullness of the power of mathematics was ignored, as the doctrines of competing religious institutions prevailed over the philosophy of Pythagoras, relegating mathematics to a purely secular role. But in the present century the extensive implications of the role of mathematics in such realms as aesthetics and ethics are liberating it from its long confinement solely to matters of quantity. It is timely to reopen the qualitative aspects of number, not in the sense of the pseudo science of numerology, but in the sense of seeking deeper interpretations for what the numbers found in nature have to tell us. The grammar of mathematics, after all, underlies the grammars of music and art as well as of physics and biology. It is our best symbolism for representing the cosmos.

This approach to cosmic structure is based on levels of numerical symmetry.

Arithmetic Symmetry

In the first Pythagorean level, the structure's essence is symmetry and balance. The numbers involved are the positive and negative integers. The null or fulcrum of the first level is symbolized by the quantity *zero*. [-x _0_+x] The conservation laws of physics such as conservation of charge, angular momentum, or energy all derive from some basic symmetry. [The relation between symmetry and conservation was pioneered by Emmy Noether]. Symmetry-balance appears in modern game theory in the, "tit for tat" strategy. In the fields of morality and ethics symmetry-balance takes the forms of justice, level playing field, middle way (Madyamika). Many religions have this first level ingredient in their teachings, as for example, in orthodox Judaism, the teaching, "an eye for an eye, a tooth for a tooth". The logic of this level is Aristotelean two value logic based on the law of the excluded middle. The operation involved is negation. This level is cyclic (repetitive) and reversible.

Geometric Symmetry

The second Pythagorean level is based on reciprocity or inversion. The numbers involved are the rational numbers. The null is symbolized by the quantity *one*. [$x^{-1}_1_x^{+1}$] Inversion in the unit circle or unit sphere maps the exterior in a one to one manner onto the interior (and vice versa).

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ANON

LMMY NOETHE R
SYMMETRY \approx CONSERVATION

MUTUALITY \neq SYMMETRY

GEO METRIC MEANS and SYMMETRY

TIME TABLE: $T=T(G, M, L, \hbar, c)$
 $[T] = 1$

ML	0	0.5	+1	1.5	+2	+2.5	+3
+3	$G^2 M^3 / h c^4$		$\sqrt{G^3 M^6 L^2 / h^3 c^5}$		$GM^3 L^2 / h^2 c$		$\sqrt{GM^6 L^6 c / h^5}$
+2.5		$\sqrt{G^3 M^5 L / h^2 c^6}$		$\sqrt{G^2 M^3 L^3 / h^3 c^3}$		$\sqrt{GM^5 L^5 / h^4}$	
+2	$\sqrt{G^3 M^4 / h c^7}$		$GM^2 L / h c^2$		$\sqrt{GM^4 L^4 / h^3 c}$		$M^2 L^3 c / h^2$
+1.5		$\sqrt{G^2 M^3 L / h c^5}$		$\sqrt{GM^3 L^3 / h^2 c^2}$		$\sqrt{M^3 L^5 c / h^3}$	
+1	GM / c^3		$\sqrt{GM^2 L^2 / h c^3}$		ML^2 / h		$\sqrt{M^2 L^6 c^3 / Gh^3}$
+1/2		$\sqrt{G M L / c^4}$		$\sqrt{ML^3 / hc}$		$\sqrt{ML^5 c^2 / Gh^2}$	
0	$\sqrt{G h / c^5}$		L/c		$\sqrt{L^4 c / Gh}$		$L^3 c^2 / Gh$
-1/2		$\sqrt{L h / M c^3}$		$\sqrt{L^3 / GM}$		$\sqrt{L^5 c^3 / G^2 M h}$	
-1	$h / M c^2$		$\sqrt{L^2 h / GM^2 c}$		$L^2 c / GM$		$\sqrt{L^6 c^5 / G^3 M^3 h}$
-3/2		$\sqrt{L h^2 / GM^3 c^2}$		$\sqrt{L^3 h c / G^2 M^3}$		$\sqrt{L^5 c^4 / G^3 M^3}$	
-2	$\sqrt{h^3 / GM^4 c^3}$		$L h / GM^2$		$\sqrt{L^4 h c^3 / G^3 M^4}$		$L^3 c^3 / G^2 M^2$
-5/2		$\sqrt{L h^3 / G^2 M^5 c}$		$\sqrt{L^3 h^2 c^2 / G^3 M^5}$		$\sqrt{L^5 h c^5 / G^4 M^5}$	
-3	$h^2 / GM^3 c$		$\sqrt{L^2 h^3 c / G^3 M^6}$		$L^2 h c^2 / G^2 M^3$		$\sqrt{L^6 h c^7 / G^5 M^6}$

Notation: In the above table h is used for \hbar , the Planck constant / 2π .

$\sqrt{\quad}$ is for entire expression

TIME TABLE: $T=T(G, M, L, h, c)$
 $[T] = 1$

ML	-3	-2.5	-2	-1.5	-1	-0.5	0
+3	$\sqrt{G^7 M^6 h / L^6 c^{17}}$		$G^3 M^3 / L^2 c^7$		$\sqrt{G^5 M^6 / L^2 h c^{11}}$		$G^2 M^3 / h c^4$
+2.5		$\sqrt{G^6 M^5 h / L^5 c^{15}}$		$\sqrt{G^5 M^5 / L^3 c^{12}}$		$\sqrt{G^4 M^5 / L h c^9}$	
+2	$G^3 M^2 h / L^3 c^8$		$\sqrt{G^5 M^4 h / L^4 c^{13}}$		$G^2 M^2 / L c^5$		$\sqrt{G^3 M^4 / h c^7}$
+1.5		$\sqrt{G^5 M^3 h^2 / L^5 c^{14}}$		$\sqrt{G^4 M^3 h / L^3 c^{11}}$		$\sqrt{G^3 M^3 / L c^8}$	
+1	$\sqrt{G^5 M^2 h^3 / L^6 c^{15}}$		$G^2 M h / L^2 c^6$		$\sqrt{G^3 M^2 h / L^2 c^9}$		GM / c^3
+1/2		$\sqrt{G^4 M h^3 / L^5 c^{13}}$		$\sqrt{G^3 M h^2 / L^3 c^{10}}$		$\sqrt{G^2 M h / L c^7}$	
0	$G^2 h^2 / L^3 c^7$		$\sqrt{G^3 h^3 / L^4 c^{11}}$		$G h / L c^4$		$\sqrt{G h / c}$
-1/2		$\sqrt{G^3 h^4 / M L^5 c^{12}}$		$\sqrt{G^2 h^3 / M L^3 c^9}$		$\sqrt{G h^2 / M L c^6}$	
-1	$\sqrt{G^3 h^5 / M^2 L^6 c^{13}}$		$G h^2 / M L^2 c^5$		$\sqrt{G h^3 / M^2 L^2 c^7}$		$h / M c^2$
-3/2		$\sqrt{G^2 h^5 / M^3 L^5 c^{11}}$		$\sqrt{G h^4 / M^3 L^3 c^8}$		$\sqrt{h^3 / M^3 L c^5}$	
-2	$G h^3 / M^2 L^3 c^6$		$\sqrt{G h^5 / M^4 L^4 c^9}$		$h^2 / M^2 L c^3$		$\sqrt{h^3 / G M^4 c^3}$
-5/2		$\sqrt{G h^6 / M^5 L^5 c^{10}}$		$\sqrt{h^5 / M^5 L^3 c^7}$		$\sqrt{h^4 / G M^5 L c^4}$	
-3	$\sqrt{G h^7 / M^6 L^6 c^{11}}$		$h^3 / M^3 L^2 c^4$		$\sqrt{h^5 / G M^6 L^2 c^5}$		$h^2 / G M^3 c$

Notation: In the above table h is used for \hbar , the Planck constant / 2π .

$\sqrt{\quad}$ is for entire expression

TIME TABLE: T=T(G,M,L,h,c) $[T] = 1$

ML	-1	-0.5	0	+0.5	+1	+1.5	+2
+3	$\sqrt{G^5 M^6 / L^2 h c^{11}}$		$G^2 M^3 / h c^4$		$\sqrt{G^3 M^6 L^2 / h^3 c^5}$		$GM^3 L^2 / h^2 c$
+2.5		$\sqrt{G^4 M^5 / L h c^9}$		$\sqrt{G^3 M^5 L / h^2 c^6}$		$\sqrt{G^2 M^3 L^3 / h^3 c^3}$	
+2	$G^2 M^2 / L c^5$		$\sqrt{G^3 M^4 / h c^7}$		$GM^2 L / h c^2$		$\sqrt{G M^4 L^4 / h^3 c}$
+1.5		$\sqrt{G^3 M^3 / L c^8}$		$\sqrt{G^2 M^3 L / h c^5}$		$\sqrt{G M^3 L^3 / h^2 c^2}$	
+1	$\sqrt{G^3 M^2 h / L^2 c^9}$		GM / c^3		$\sqrt{G M^2 L^2 / h c^3}$		ML^2 / h
+0.5		$\sqrt{G^2 M h / L c^7}$		$\sqrt{G M L / c^4}$		$\sqrt{M L^3 / h c}$	
0	$Gh / L c^4$		$\sqrt{G h / c}$		L / c		$\sqrt{L^4 c / Gh}$
-0.5		$\sqrt{G h^2 / M L c^6}$		$\sqrt{L h / M c^3}$		$\sqrt{L^3 / GM}$	
-1	$\sqrt{G h^3 / M^2 L^2 c^7}$		$h / M c^2$		$\sqrt{L^2 h / G M^2 c}$		$L^2 c / GM$
-1.5		$\sqrt{h^3 / M^3 L c^5}$		$\sqrt{L h^2 / G M^3 c^2}$		$\sqrt{L^3 h c / G^2 M^3}$	
-2	$h^2 / M^2 L c^3$		$\sqrt{h^3 / G M^4 c^3}$		$L h / G M^2$		$\sqrt{L^4 h c^3 / G^3 M^4}$
-2.5		$\sqrt{h^4 / G M^5 L c^4}$		$\sqrt{L h^3 / G^2 M^5 c}$		$\sqrt{L^3 h^2 c^2 / G^3 M^5}$	
-3	$\sqrt{h^5 / G M^6 L^2 c^5}$		$h^2 / G M^3 c$		$\sqrt{L^2 h^3 c / G^3 M^6}$		$L^2 h c^2 / G^2 M^3$

TIME TABLE: T=T(G,M,L,h,c)
 $[T] = 1$

ML	-3/2	-1	-1/2	0	1/2	1	3/2
+3		$\sqrt{G^5 M^6 / L^2 h c^{11}}$		$G^2 M^3 / h c^4$		$\sqrt{G^3 M^6 L^2 / h^3 c^5}$	
2.5	$\sqrt{G^5 M^5 / L^3 c^{12}}$		$\sqrt{G^4 M^5 / L h c^9}$		$\sqrt{G^3 M^5 L / h^2 c^6}$		$\sqrt{G^2 M^5 L^3 / h^3 c^3}$
+2		$G^2 M^2 / L c^5$		$\sqrt{G^3 M^4 / h c^7}$		$GM^2 L / h c^2$	
1.5	$\sqrt{G^4 M^3 h / L^3 c^{11}}$		$\sqrt{G^3 M^3 / L c^8}$		$\sqrt{G^2 M^3 L / h c^5}$		$\sqrt{G M^3 L^3 / h^2 c^2}$
+1		$\sqrt{G^3 M^2 h / L^2 c^9}$		GM / c^3		$\sqrt{G M^2 L^2 / h c^3}$	
+1/2	$\sqrt{G^3 M h^2 / L^3 c^{10}}$		$\sqrt{G^2 M h / L c^7}$		$\sqrt{G M L / c^4}$		$\sqrt{M L^3 / h c}$
0		$G h / L c^4$		$\sqrt{G h / c^5}$		L / c	
-1/2	$\sqrt{G^2 h^3 / M L^3 c^9}$		$\sqrt{G h^2 / M L c^6}$		$\sqrt{L h / M c^3}$		$\sqrt{L^3 / G M}$
-1		$\sqrt{G h^3 / M^2 L^2 c^7}$		$h / M c^2$		$\sqrt{L^2 h / G M^2 c}$	
-3/2	$\sqrt{G h^4 / M^3 L^3 c^8}$		$\sqrt{h^3 / M^3 L c^5}$		$\sqrt{L h^2 / G M^3 c^2}$		$\sqrt{L^3 h c / G^2 M^3}$
-2		$h^2 / M^2 L c^3$		$\sqrt{h^3 / G M^4 c^3}$		$L h / G M^2$	
-5/2	$\sqrt{h^5 / M^5 L^3 c^7}$		$\sqrt{h^4 / G M^5 L c^4}$		$\sqrt{L h^3 / G^2 M^5 c}$		$\sqrt{L^3 h^2 c^2 / G^3 M^5}$
-3		$\sqrt{h^5 / G M^6 L^2 c^5}$		$h^2 / G M^3 c$		$\sqrt{L^2 h^3 c / G^3 M^6}$	

Notation: In the above table h is used for \hbar , the Planck constant / 2π .

$\sqrt{\quad}$ is for entire expression

TIMATRX0.WPD

UNIVERSE

TIME TABLE: $T=T(G, M, L, \hbar, c)$
 $[T] = 1$

$$\begin{array}{c} \leftrightarrow (GM)^{3/2} \\ \leftrightarrow (GM^3)^{3/2} \\ \xleftarrow{S^{3/2}} \quad \downarrow \left(\frac{S}{GM} \right)^{3/2} \end{array}$$

ML	-3/2	-1	-1/2	0	1/2	1	3/2
+3							
2.5	9.002100						
+2		10.692816					
1.5			12.383827				
+1				7 14.074438	44.435845	74.797252	
+1/2	7 -105.682591				7 15.765045		
0		7 -103.991979		-43.268162	-12.906253	7 17.455655	
-1/2			-102.301369				7 19.146267
-1				K -100.610759			
-3/2							
-2							
-5/2							
-3							

$$\begin{aligned} T &\sim 3.761 \text{ My} & (\times 10^4) \\ t &\sim 9.047 \text{ By} \times 3/2 = 13.57 \text{ By} & (\times 10^9) \\ \tau &\sim 444 \text{ By} & (10^{-9}) \end{aligned}$$

TIME TABLE: $T=T(G, M, L, \hbar, c)$
 $[T] = 1$

$\frac{L}{c} \propto T_{ab1\alpha}$

ML	-3/2	-1	-1/2	0	1/2	1	3/2
+3				$\frac{MR^2}{L^2} = \frac{\hbar}{c}$			
2.5	$\frac{M}{L} = \frac{C^2}{\sigma}$						
+2		$\frac{R^2}{L^2} = t$				$M^2 = m_0^2$	
1.5			$\frac{M}{L} = \frac{C^2}{\sigma}$				
+1		$\frac{L^2}{R^2} = \frac{t_0^2}{t^2}$		$\frac{M}{L} = \frac{C^2}{G} / L = \frac{GM}{C^2} = R$		$M^2 = m_0^2$	
+1/2			$L^3 = \lambda^3 R^2 = t_0$		$\frac{M}{L} = \frac{C^2}{G}$		$ML = \frac{t}{c}$
0		$L^2 = l_0^2$		$L^2 = l_0^2$		1	
-1/2			$ML^3 = m_0 l_0^3$		$ML = \frac{t}{c}$		$\frac{M}{L} = \frac{C^2}{G}$
-1		$ML^4 = m_0 l_0^4$		$ML = \frac{t}{c}$		$M^2 = m_0^2$	
-3/2			$ML = \frac{\hbar}{c}$		$M^3 L = \frac{\hbar^2}{G}$		
-2		$ML = \frac{\hbar}{c}$		$* \frac{\hbar^3}{Gc} = L^2 M^4$		$M^2 = m_0^2$	
-5/2	$ML = \frac{\hbar}{c}$						
-3							

$* ML = \frac{\hbar}{c}$ multiply
 $M^3 L = \frac{\hbar^2}{c}$

$$\text{Constitutive to } \frac{G \cdot M^2}{L^2}$$

FORCE TABLE: F=F(G,M,L,h,c)

ML	-1	-0.5	0	+0.5	+1	+1.5	+2
+3							
+2.5							
+2							
+1.5							
+1							
+0.5							
0							
-0.5							
-1							
-1.5							
-2							
-2.5							
-3							

May 17, 2010

FORCE VALUES

 $\hbar = 0$ FORCES

3

35,557694

Δ_{B-P}	M, L	FORCE	BARYON	PLANCK	DARK	STELLAR	UNIVERSE
S^4	-1.5, +2.5	$G^3 M^4 / C^4 L^4$	-108.339816	49.082578	44.574284	40.065988	40.800872
S^3	-1, +2	$G^2 M^3 / C^2 L^3$	-68.983845	49.082578	45.701358	42.320136	38.938915
S^2	-0.5, +1.5	$G M^2 / L^2$	-29.628374	49.082578	46.828432	44.574284	42.320136
S^1	0, +1	$M C^2 / L$	9,727107	49.082578	47.955505	46.828431	45.701357
S^0	+0.5, +0.5	C^4 / G	49.082578	49.082578	49.082578	49.082578	49.082578
S^{-1}	+1, 0	$C^6 L / G^2 M$	88.438049	49.082578	50.209652	51.336726	52.4163799
S^{-2}	+1.5, -0.5	$C^8 L^2 / G^3 M^2$	127.793520	49.082578	51.336726	53.590874	55.845021
S^{-3}	+2, -1	$C^{10} L^3 / G^4 M^3$	167.148991	49.082578	52.4163800	55.845022	59.226243

S

O

 $(\alpha \mu)$ $(\alpha \mu)^3$ $(\alpha \mu)^3$

$\Delta_{B-P} = \alpha - \mu - v$
 $(\alpha \mu)^{-4}$
 $(\alpha \mu)^{-3}$
 $(\alpha \mu)^{-2}$
 $(\alpha \mu)^{-1}$
 $(\alpha \mu)^0$
 $(\alpha \mu)^1$
 $(\alpha \mu)^2$
 $(\alpha \mu)^3$

FORCE VALUES

 $G = 0$ FORCES

$\Delta B-C$	M, L	FORCE	BARYON	PLANCK	DARK	STELLAR	UNIVERSE	ΔB_{DDV}
$S(\alpha\mu)^3$	+1.5, +2.5	$\hbar^3/M^2 L^4 C$	6.345885	49.082578	-70.110911	-189.304400	-308.497589	$(\alpha\mu)^{-1} S^{-3}$
$S(\alpha\mu)^2$	+1, +2	$\hbar^2/M L^3$	7.472959	49.082578	-30.755540	-110.593458	-190.431476	$(\alpha\mu)^{-1} S^{-2}$
$S(\alpha\mu)$	+0.5, +1.5	$\hbar C/L^2$	8.600033	49.082578	8.600033	-31.882513	-72.365059	$(\alpha\mu S)^{-1}$
S	0, +1	$M P^2/L$	9.727107	49.082578	47.955505	46.828431	45.701357	$(\alpha\mu)^{-1}$
$S(\alpha\mu)^{-1}$	-0.5, +0.5	$M^2 C^3/\hbar$	10.854181	49.082578	87.310975	125.539368	163.757770	$(\alpha\mu)^{-1} S$
$S(\alpha\mu)^{-2}$	-1, 0	$M^3 C^4 L/\hbar^2$	11.981255	49.082578	126.666446	204.250310	281.834183	$(\alpha\mu)^{-1} S^2$
$S(\alpha\mu)^{-3}$	-1.5, -0.5	$M^4 C^5 L^2/\hbar^3$	13.108329	49.082578	166.021917	282.961252	399.900596	$(\alpha\mu)^{-1} S^3$
$S(\alpha\mu)^{-4}$	-2, -1	$M^5 C^6 L^3/\hbar^4$	14.235403	49.082578	205.377388	361.672194	517.967009	$(\alpha\mu)^{-1} S^4$
			$\alpha\mu$	0	S	S^2	S^3	
	Δ							

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FORCE VALUES

 $C = 0$ FORCES

$B-P$ $(\alpha\mu)^4$	M, L $(\alpha\mu)^2$	FORCE $\hbar^4/G M^4 L^4$	BARYON 44.574 082	PLANCK 49.082 578	DARK -108.339 312	STELLAR -265.761 200	UNIVERSE -423.183 088
$S(\alpha\mu)^2$	+1, +2	\hbar^2/ML^3	7.472 959	49.082 578	-30.755 440	-110.593 458	-190.431 476
S^2	-0.5, +1.5	$G M^2 / L^2$	-29.628 384	49.082 578	46.828 432	44.574 284	42.320 136
$S^3(\alpha\mu)^{-2}$	-2, +1	$G^2 M^5 / L \hbar^2$	-66.729 686	49.082 578	124.412 304	199.742 028	354.709 768 75.329 726
$S^4(\alpha\mu)^{-4}$	-3.5, +0.5	$G^3 M^8 / \hbar^4$	-103.831 008	49.082 578	201.996 176	354.909 768	152.913598 54.583872
Δ			37.101 323	$\Delta = 0$	77.583 872	155.167 742	232.751 612
$S(\alpha\mu)^2$	Δ						
\leftarrow							

$$\frac{S}{(\alpha\mu)^2} \downarrow$$

O:

$$\frac{S^2}{(\alpha\mu)} \uparrow$$

$$\frac{S^4}{(\alpha\mu)^2} \uparrow$$

$$\frac{S^6}{(\alpha\mu)^3} \uparrow$$

$$\frac{S^2}{(\alpha\mu)} \rightarrow$$

 $\Delta B-P \quad \Delta P, D, R, U$

$$\begin{aligned} S^0(\alpha\mu)^4 & S^{-4}(\alpha\mu)^0 \\ S(\alpha\mu)^3 & S^{-2}(\alpha\mu)^{-1} \\ S^2(\alpha\mu)^0 & S^0(\alpha\mu)^{-2} \\ S^3(\alpha\mu)^{-2} & S^2(\alpha\mu)^{-3} \\ S^4(\alpha\mu)^{-4} & S^4(\alpha\mu)^{-4} \end{aligned}$$

$$\begin{aligned} \Delta B-P & (\alpha\mu)^4 2.5, 2.5 \\ S(\alpha\mu)^2 & 1, 2 \\ S^2 & -1, 1 + \frac{3}{3} \\ S^3(\alpha\mu)^{-2} & -2, 1 \\ S^4(\alpha\mu)^{-4} & -3.5, +0.5 \end{aligned}$$

$$79.838018 = S^3(\alpha\mu)$$

$$\textcircled{B} 275.071 748$$

FORCEVAL.WPD

May 17, 2010

FORCE VALUES

May 17, 2010

FORCE VALUES

INTERSECTS

M, L	FORCE	BARYON	PLANCK	DARK	STELLAR	UNIVERSE
G, C=0 +1, +2	\hbar^2/ML^3	7.472959	49.082578	-30.755440	-110.593458	-190.481476
$\hbar, C=0$ - $\frac{1}{2}$, + $\frac{3}{2}$	GM^2/L^2	-29.628374	49.082578	46.828432	44.574284	42.320136
$\hbar, G=0$ 0, +1	$\frac{M}{L} c^3$	9.727107	49.082578	47.955505	46.828431	45.701357
G=0 $\frac{1}{2}, \frac{3}{2}$	$\hbar c/L^2$	8.600033	49.082578	8.600033	-31.882513	-72.365059

1 P-P

 $(\mu)^{25}$ S²

S

 μS

$$\frac{m_0}{l_0} = \frac{c^2}{G}$$

$$m_0 l_0 = \frac{\hbar^2}{G}$$

$$m_0^3 l_0 = \frac{\hbar^3}{G}$$

$$\frac{G^2 M^4}{\hbar^2 L}$$

$$\frac{\hbar^2}{ML^3}$$

April 29, 2010

FORCE TABLE: $F=F(G, M, L, \hbar, c)$

ML	-1	-0.5	0	+0.5	+1	+1.5	+2
+3							
+2.5	$\frac{L^3 C^4}{R^3 G}$						
+2		$\frac{C^4 L^2}{G R^2}$					
+1.5		$L^2 C^8 / M^2 G^3$	$\frac{L}{R} C^4 / G$				
+1			$\frac{L}{M} C^6$	$\frac{G M^2}{L^2} \frac{L^2}{R^2}$	$E \cdot \frac{ML}{m_0 l_0}$	electric	$\hbar^2 / M L^3 \cdot \frac{C^4}{G}$
+0.5				C^4 / G	centrifugal	$E = \hbar C / L^2 = \frac{C^4}{G}$	$\frac{l_0^3}{L^3}$
0			$ML \frac{C^3}{G \hbar}$		$\frac{M}{L} C^2 \cdot \frac{R}{L} \frac{C^4}{G}$		
-0.5				$M^2 C^3 / \hbar$	$\frac{GM^2 L}{L^2 R}$	$\frac{GM^2}{L^2}$	
-1			$-M^3 L C^4 / \hbar^2$	$\frac{GM^3}{L^2} = J$	$\frac{C^4}{G} \frac{l_0}{L} \frac{M}{m_0}$	$\frac{E^4}{G} \frac{R^3}{L^2}$	$\frac{G^2 M^3}{C^2 L^3} =$
-1.5		$\frac{M^4 L^2 C^5}{\hbar^3}$	$\frac{GM^3}{L^2} \cdot \frac{R L^3}{\hbar^4}$	$\frac{l_0^3}{L^4}$			
-2				$\frac{C^4 M^2}{G m_0^2}$	$G^2 M^6 / \hbar^2 L$		$\frac{C^4 R^3}{G L^3}$
-2.5							
-3							

 $\hbar = 0$ Force

$$F \left(\frac{R}{L} \right)^n = N \left(\frac{R}{L} \right)^{n-2}$$

$$R^2 F = L^2 N$$

$$\frac{F}{N} = \frac{L^2}{R^2} \quad L > R \uparrow$$

$$L < R \downarrow$$

$$\frac{M^2 C^2}{m_0 l_0}$$

$$\frac{M}{L} > \frac{C^2}{G} \downarrow$$

$$\frac{M}{L} < \frac{C^2}{G} \uparrow$$

$$\frac{M}{L} \propto \frac{C^2}{G}$$

$$L = \frac{GM}{C^2} = R$$

when $F = \frac{C^4}{G}$ Planck Force

$$N = \frac{GM^2}{L^2}$$

Gravity

$$R = \frac{GM}{C^2}$$

Schwarzschild radius

$$\frac{N}{E} = \frac{M^2}{m_0^2}$$

$$E = \frac{\hbar c}{L^2} = \text{Electron Rydberg}$$

$$\frac{G}{\hbar^2} \frac{GM^3}{L^2} \frac{M^4}{L^3}$$

$$E \cdot J = \frac{GM^2 C^4}{L^2 G}$$

$$\frac{ML^2}{h}$$

$$\frac{hc}{L^2} = \frac{C^4}{G} \frac{l_0^2}{L^2}$$

$$\frac{ML}{M^2 L^4} h^2 = \frac{h^2}{ML^3}$$

$$\frac{M^2 C^3}{h} \frac{C}{a}$$

$$\frac{C^4}{a} \frac{GM^2}{h}$$

~~$$\frac{C^4}{a} L \frac{GM^3}{h}$$~~

$$\frac{C^4}{G} \frac{GM^3}{h}$$

$$\frac{ML}{L^2} M C^3 = \frac{M^2 C^3}{h} \frac{C}{h} \frac{1}{m_{\text{veto}}}$$

$$\frac{M^2 C^3 G}{G h} = \frac{GM^3}{l_0^2}$$

$$\frac{M^2 C^4 G}{h C G}$$

$$\frac{M^2 C^3 G}{G h} \frac{GM^2}{l_0^2}$$

LENGTH

L_m	$L_p = r_e$	l_0	L_D	L_π	L_v	
						L_v
						L_π

FORCEVAL, WPD

COMMON
Force Values
~~C=0~~ $\eta=0$

M/L Force	FORCE	B	D	D	D	U
1, 2	$\frac{\eta^2}{ML^3}$				12.320	42.320136 136 also
$-\frac{1}{2}, \frac{3}{2}$		49.082		49.082578	49.082578	
-2, +1					55.845	55.845
$-\frac{7}{2}, +\frac{1}{2}$				52.463800		52.463299
				45.701358		45.701358
$\frac{5}{2}, \frac{5}{2}$	$\frac{\eta^4}{G-M^4 L^4}$	$C=0$ 44.574		44.574	44.574	
		$C=0$ 46.828		46.828	46.828	

51.336 51.336

7 x 10

$\frac{MC^2}{L}$ common to $\eta=0$
 $G=0$

$\frac{GM^2}{L^2}$ common to $\eta=0$
 $C=0$

$\frac{\eta^2}{ML^2}$ common to $G=0$
 $C=0$

3 RV

3 DU
4. D*

m, L

$0, 1$

$$t = \frac{L}{c} \quad \text{no } G, \text{ no } h \quad \text{ordinary time}$$

4-24-10

$\frac{1}{2}, \frac{3}{2}$

$$T = \sqrt{\frac{L^3}{GM}} \quad \text{no } c, \text{ no } h \quad \text{Kepler time}$$

$\frac{1}{2}, 2$

$$V = \frac{ML^3}{\hbar} \quad \text{no } c, \text{ no } G \quad \text{Brahmas time}$$

$L - M = 1$

$$\text{Grav: } t \cdot v = \frac{ML^3}{c \hbar} \quad x^2 = \frac{L^3}{GM}$$

$$\frac{\text{Grav}}{c^2} = \frac{t \cdot v}{x^2} = \frac{GM^2}{c \hbar} = \frac{M^3}{m_0^2}, \quad t \cdot v \cdot x^2 = \frac{L^6}{G \hbar c} = [T^4]$$

$$\frac{V}{t x^2} = \frac{GM^2 \frac{c}{\hbar}}{L^2} = \frac{GM}{L^3}$$

↓
Grav

$$G \hbar c = -23,675,398,846$$

$$M_{\oplus} = 27,776,243$$

$$L_{\oplus} = 8,804,694 \quad \oplus_t = -11,672,127$$

$$\oplus_T = \frac{GM}{c^3} = 10.829,515$$

$$\oplus_x = 2.906,567$$

Error $T x^2 \neq t^3$

$$\oplus_v = +72.632,555$$

$$\frac{L_{\oplus}^6}{c^2 \hbar} = 75.903,563 \quad \text{error}$$

$$M_p \cdot M_{\oplus} = 3.999641 \\ \Rightarrow 4 \quad [M^2]$$

For cos CUR.

U U_v

$$L \quad 27.932,478$$

$$\frac{U_v}{U_e} =$$

$$L^2 \quad 55,864,956$$

$$\frac{U_v}{U_e} = \frac{135.522,074}{12.455,657} = 118.066,417 = S^3$$

$$M \quad 52.680,194$$

$$\frac{U_v}{t_e} = S^{9/2} (\mu) ^{3/2} \quad \checkmark$$

$$108.545,150$$

$$\frac{U_e}{U_T} = (\mu_s)^3$$

$$h \quad -26.976,924$$

$$U_T = 14.074,436$$

$$135.522,074 = U_v$$

$$\frac{U_T}{U_T} = 121.447,038 = (\mu_s s)^3$$

$$+ 43.268,162 = t_e$$

$$178.790,236$$

$$177,099,626 = 5^{9/2}$$

$$1.690,616 = (\mu_s)^3$$

Fraisse, Yves Goussault, Pierre Kende, J. W. Lapierre, Michel Panoff, Henri Pequignot, Jean Marie Domenach, and Paul Thibaud. A third version served me and my deceased friend Greer Taylor as the basis for our participation in the Canadian Conference on the Law in January 1972 in Ottawa. Comments by David Weisstub, Nils Christie, Allen M. Linden, J. G. Castel, H. w. Arthurs, José Antonio Viera-Gallo, J. C. Smith, and Bonaventura de Sousa Santos, and other critical papers by jurists, will be published in mid-1973 in Toronto. During the summer of 1972, participants in my CIDOC seminar contributed very helpful papers. I'm especially grateful for the assistance of John Bradley, John Brewer, José Maria and Veronica Bulnes, Martin Cohen, Irene Curbelo de Diaz, Dennis Detzel, Joseph Fitzpatrick, Amnon Goldworth, Conrad Johnson, Hartmut von Hertzig, John MacKnight, Michael MacCoby, Leslie Marcus, Francisco Miró Quesada, Marie-Noëlle Monteil, William Ophuls, Marta H. Reed, Everett Reimer, Francisco Varela, Etienne Verne, Jacques Vidal and German Zabala. Dennis Sullivan has patiently and critically assisted me in editing the final version. After I had delivered this manuscript to the publisher, I received valuable suggestions from J.P. Naik and his friends in India. These have seeped into the text to the extent this can happen in the correction of proofs. Second only to Valentina Borremans and Greer Taylor, Heinz von Foerster, Erich Fromm, Hermann Schwember and Abraham Diaz Gonzales have exerted the most decisive influence on the formulation of my ideas.

Introduction

ASYMMETRIES

AND
BROKEN
SYMMETRIES

THE ESCALATION OF ASYMMETRIES

MATTER ↑ | ANTIMATTER ↓

CHAOS THEORY

DARK MATTER | BARYONIC MATTER

INNOVATIONS

e.g. MICROSOFT

POPPER'S VERIFICATION | FALSIFICATION

PROCESS ASYMMETRY → PRODUCT ASYMMETRY

ECONOMICS RICH↑ | POOR↓

CONTINUOUS | DISCRETE

cause of
pseudo forces?

{

ASYMMETRY AS SOURCE OF DYNAMICS, CHANGE

ASYMMETRIC DIALECTICS [PROCESSES, STATES]

QUESTIONS | ANSWERS

DEPARTURE | RETURN

ISOLATION | SOCIALIZING

BEING | DOING

The Being of Being

HCGS

Published: May 20, 2010

Why is there something instead of nothing? That is a child's question, but it also haunts the imaginations of physicists and mathematicians. What they know is that the matter and antimatter created in the Big Bang should have canceled each other out, leaving nothing instead of the something we call the universe. Why that didn't happen may have been partially revealed in a recent experiment in the Tevatron — a particle accelerator — at Fermilab, in Batavia, Ill.

We proceed gingerly when interpreting the results of high-energy physics experiments. The way it has been explained is that it all comes down to a very slight bias, an asymmetry, in the behavior of a subatomic particle, the neutral B-meson. As it oscillates between its matter and antimatter states, it shows a slight predilection for matter, a result predicted by Andrei Sakharov.

That preference for one state over another — becoming matter more readily than it becomes antimatter — is small, about 1 percent. But that may be enough to explain the preponderance of matter. We expect more news on this front from the Tevatron and its larger European cousin, the Large Hadron Collider.

What these physicists are searching for is a model of the universe and its origins. We are, as we know, made of stardust, of elements formed in the Big Bang and in the subsequent creation and destruction of stars. The very existence of this universal stuff called matter may depend on a slight bias in the frenetic variation of a particle we can only momentarily detect, in the hottest kilns humanity has so far created.

=

The escalation of asymmetry: MATTER ↑ | ANTIMATTER ↓
(also in economics and finance)

INVERSIONS
AND
SYMMETRIES

KRASNIK 77¹

Recently several important research physicists have said that to better understand the world our traditionsl foccus on finding new particles and sub-particles should be replaced with a search for new symmetries.

We know ssymmetries are important constituents of all structures and patterns. Many symmetries are obvious, as for example, those in a suspension bridge. But the majority of symmetries in physical, bio, social and other systems are not manifest until basic internal and contextual relations are explored. (Indeed, **internal-contextual** itself is the root of many fundamental symmetrues.)

¹ This is a special anniversary. From 1934 to 2011 is seventy seven years. Include the 23 of May 23 and we have $77 + 23 = 100$.

So, If symmetry is to be the new paradigm
What is symmetry?

Quotations
Lama Wzyo CIT ORAL EXAM

SYMMETRY

SPECIFIC, ABSTRACT

The Ancients

Apollo, Dionysius

Yin Yang

Mosaic in Furniture

Plato Protagoras

Earth Sky Gods

Gods Mortals

Dionysius, Pericles

Agriculture Hunting

Nomads

Symmetry ≠ Opposites?

Must have a fulcrum?

Species of SYMMETRY

Symmetry vs DYADS, DIALECTICS

Same Different

What is Antisymmetry

Exists Doesn't Exist

I

O

 $- \quad O \quad + \quad mes$
 $\frac{1}{x} \quad I \quad X \quad inv$ $\sqrt{x} \quad x^2 \quad anti$

Complement

 $ln x \quad e^x \quad x$

+

$$\frac{ML^3}{T} \leftrightarrow \frac{ML}{T^2}$$

$$t = f$$

Fulcrums

Past Present Future

TILINGS

MUSIC: PITCH - RHYTHM

Examples to characterize

SOURCE DESTINY
PAST FUTUREdm, s
EXPMOD CONTRACT+ CURVATURE FLAT - CURVATURE
CONVEX O CONCAVE

DIVERSITY HOMOGENEITY

RICH POOR

CONVEX CONCAVE

DISCRETE CONTINUOUS

GIVE RECEIVE

RIGHT LEFT

UP DOWN

Me⁶ RANGE DIRECTION

VS THEM

ALIKE DIFFERENT [if all same → non existence]
opposites

$$\begin{array}{c|cc}
 \frac{ML}{T^2} \text{ & } \frac{ML^2}{T} & \times L^2/T^2 & \times L/T \\
 \hline
 t & F & \frac{E}{V} \\
 & & \frac{F}{A} \\
 & & \rho C^2 \text{ PRESSURE}
 \end{array}$$

SEARCH FOR SYMMETRIES

What is the unit used for atomic weights? $H = 1.01$

$$\frac{hc}{G} = -9.324807608 = [M^2] = m_0^2$$

$$M_0^{-2} \left(\frac{S}{dm} \right)^3 = \frac{hc}{G}$$

$$m_p^3 \left(\frac{S}{dm} \right)^2 = \frac{hc}{G}$$

$$m_0^2 \left(\frac{S}{dm} \right)^0 = \frac{hc}{G}$$

$$m_p^2 \left(\frac{S}{dm} \right)^1 = \frac{hc}{G} = m_0^2$$

$$M_0 = m_p \left(\frac{S}{dm} \right)^2$$

$$m_0^2 \left(\frac{S}{dm} \right)^0 = \frac{hc}{G}$$

$$M_0^2 \left(\frac{S}{dm} \right)^{-1} = \frac{hc}{G}$$

$$M_0^2 \left(\frac{S}{dm} \right)^{-2} = \frac{hc}{G}$$

$$M_0^2 \left(\frac{S}{dm} \right)^{-3} = \frac{hc}{G}$$

$$\text{Number of protons in } U = \frac{M_U}{m_p} = \frac{52.680}{-23.770} = 76456796 = \left(\frac{S}{dm} \right)^2$$

$$\text{Space of size } q \text{ proton } L_U = \frac{27.953}{re - 12.550} = 40,482,546 = (\mu s)$$

3 DIM SPACE	$(\mu s)^3$	Protons taken
$121,447,638$	$78 \left(\frac{S}{dm} \right)^2$	$44,990,842$
	$76,456,796$	$5 \left(\mu s \right)^3$

2 DIM SPACE	$(\mu s)^2$	empty space left
$80,965,092$	$76,456,796$	$4,508,296$
	$\left(\frac{S}{dm} \right)^2$	$5^0 (\mu s)^4$

1 DIM SPACE	μs	empty space left
$40,482,456$	$40,482,456$	$35,974,250$
	(μs)	$S^{-1} (\mu s)^3$

0 DIM		empty space left
		$S^{-2} (\mu s)^2 \text{ i.e. } 0$

The interesting value here is 2 dim

all protons are full - with only a few spaces left open

i.e. Cosmic MASS-SPACE \sim 2 dim space
e.g. Surface of sphere

$$\text{empty } \frac{dm}{S^3} \frac{1.127}{121,448} = 0.009279692 \text{ empty}$$

$$\log_{10} \text{empty} = 1.0215$$

$$\log_{10} 1.0215 = 0.0992$$

$$\text{Assume the strong force} = \frac{C^8 L^2}{G^3 M^2} \text{ which} = \left(\frac{C^4}{G}\right)^2 \frac{L^2}{M^2} \quad 8-23-10$$

$$\sum \Gamma = P^2 \Gamma^{-1} \text{ gravity}$$

$$\sum \Gamma = P^2 \text{ Planck}$$

$$E = \text{Electric force} \uparrow = \frac{h c}{L^2} \quad w \sum \downarrow = \frac{C^8 L^3}{G^3 M^2}$$

$$E = \sum \Rightarrow \frac{G^3 h}{C^7} M^2 = L^4 \quad M \propto L^2$$

$$(\log_{10} \text{cgs}) \frac{G^3 h}{C^7} = -121.840555708 \quad \frac{G^3 \left(\frac{C^2}{E}\right)}{C^7} = l_0^2 \left(\frac{G}{C^2}\right)^2$$

$$\begin{cases} G = -7.175295619 \\ C = 10.476826703 \\ h = -26.976923930 \end{cases}$$

$$\frac{G}{C^2} = -28.128937025$$

$$\begin{cases} -56.257874050 \\ -65.582681658 \end{cases} = l_0^2$$

Find L for proton mass

$$m_p = -23.770602304$$

$$\frac{G^3 h}{C^7} m_p^2 = -169.393760316 = L_p^4$$

$$L_p = -42.348440079$$

$$l_0^2 = -84.696880158$$

$$\frac{v_{el0}}{l_0^2} = 39.355471115 = \beta$$

$$\frac{S}{l_0} = \frac{h_0}{l_0^2} = 72.146811944 = b$$

$$\frac{v_e}{S} = \frac{l_p^2}{l_0} = \frac{G m_p}{C^2} = -51.905539 = a$$

$$\sum = \left(\frac{G}{C^2}\right)^2 l_0^2 M^2 = L^4 \quad a \cdot b = (\mu_m s)^{1/2} = 20.241273 = \frac{l_0^2}{l_p^2} \frac{1}{S}$$

$$\sum^{1/2} = \frac{G}{C^2} l_0 M = L^2 = -60.920277854 M = L^2$$

$$\log_{10} 4\pi = 1.099209864$$

$$M \propto L^2$$

$$m_p \sim -42.348440079$$

$$m_0 \sim l_0^2 = -65.582681652$$

$$\Delta = -23.234241573$$

$$14.451796$$

$$M_0 \sim -46.468482$$

$$\Delta 4.120042 = M_0 m_p$$

$$52.680194$$

$$M_0 \sim -8.240084$$

$$\Delta M_0 M_0 = 19.114200$$

$$m_n$$

$$m_e$$

$$L_D^2 - L_p^2 = 4.020042$$

$$\sqrt{L_D^2} = \frac{L_D^2}{L_p^2}$$

$$1 < \frac{L_D^2}{l_0^2}$$

$$\frac{L_D^2}{L_0^2} = \left(\frac{S}{dH}\right)^{3/2}$$

COSMIC MASSES

$\delta = 1.19463740625$

$16 \delta = 19.114198500$

universe	52.680191696			
meta cluster	51.48555428975	Down	1	δ
galaxy cluster	50.2909168835		2	δ
blue galaxy	47.901642071		4	δ
red galaxy	43.123092446		8	δ
star cluster	38.344542821		12	δ
star	33.565993196		16	δ
planet	24.008893946		24	δ
dark	14.451794696		32	δ
Planck	-4.662403804		48	δ
baryon	-23.776602304		64	δ

star	33.565993196	star cluster	38.344542821
	32.371355789		37.149905414
	31.176718383		35.955268008
	29.982080977		34.760630602
	28.787443571	star	33.565993196
	27.592806164		
	26.398168758		
	25.203531352		
planet	24.008893946		

FORCE ARRAY: $F=F(M,L,G,\hbar,c)$ \hbar

ML	3	2	1	0	-1	-2	-3
-5							
-4							
-3	$L^3 c^{10}/G^4 M^3$		$L c^7 \hbar/G^3 M^3$		$c^4 \hbar^2/G^2 M^3 L$		$c \hbar^3/G M^3 L^3$
-2		$L^2 c^8/G^3 M^2$		$c^5 \hbar/G^2 M^2$		$c^2 \hbar^2/G M^2 L^2$	
-1	$L^3 c^9/G^3 M \hbar$		$L c^6/G^2 M$	$C^{9/2} \hbar^{1/2}/G^{3/2} M$	$c^3 \hbar/G M L$		$\hbar^2/M L^3$
0		$L^2 c^7/G^2 \hbar$		c^4/G		$c \hbar/L^2$	
1	$M L^3 c^8/G^2 \hbar^2$		$M L c^5/G \hbar$		$M c^2/L$		$G M \hbar/L^3 c$
2		$M^2 L^2 c^6/G \hbar^2$		$M^2 c^3/\hbar$		$G M^2/L^2$	
3	$M^3 L^3 c^7/G \hbar^3$		$M^3 L c^4/\hbar^2$		$G M^3 c/L \hbar$		$G^2 M^3/L^3 c^2$
4		$M^4 L^2 c^5/\hbar^3$		$G M^4 c^2/\hbar^2$		$G^2 M^4/L^2 c \hbar$	
5	$M^5 L^3 c^6/\hbar^4$		$G M^5 L c^3/\hbar^3$		$G^2 M^5/L \hbar^2$		$G^3 M^5/L^3 c^3 \hbar$
6							
7							

$$\text{FORCE} \quad C^{9/2} t^{1/2} / G^{3/2} M = \frac{K}{M} \quad K = +44.420 174 627$$

$$M \quad F = \frac{K}{M}$$

$$F = \left(\frac{S}{\alpha_M} \right)^{1/2} = 19.114 198 500$$

$$m_p = B = -23.776 602 304 \quad + 08.196 776 931$$

$$m_o = P = -4.662 403 798 \quad + 49.082 578 431$$

$$M_D = D = +14.451 794 696 \quad + 29.968 379 931$$

$$M_\pi = R = +33.585 993 196 \quad + 10.854 181 431$$

$$M_V \quad V = +52.080 191 696 \quad - 8.260 017 069$$

$$M_1 = K = +44.420 174 627 \quad + 1$$

red galaxy -7d 44.317 729

$M > 1 <$ expansion

$$\text{FORCE} \quad \sigma \downarrow \rightarrow \in \uparrow$$

$$\Delta = 9.557 099 250$$

$$\frac{G}{C^2} l_0 M = L^2, \quad \boxed{-60.920 277 854 M = L^2} = \left(\frac{S}{\alpha_M} \right)^{1/4}$$

$$m_p \quad L_B^2 = -84.696 880 158 \quad L_B = -42.348 440 079$$

$$m_o \quad L_B = l_0 = -32.791 340 829$$

$$M_D \quad R_i l_0 = \cancel{R_i} \lambda^3$$

$$\begin{aligned} \lambda L_D &= -23.234 241 579 \\ \lambda L_\pi &= -13.677 142 329 \\ \lambda L_V &= -4.120 043 079 \\ \cancel{\lambda L} &= -30.460 138 927 \end{aligned}$$

$$M = -60.920 277 854 \quad \alpha = -8.240 086 158$$

$$M_V = 52.080 191 696 \quad - 4.120 043 079$$

$$\frac{G}{C^2} M_v = 24.551 254 R_v \quad \overbrace{19.112}^B \quad \overbrace{19.114}^P$$

$$5l_0 \rightarrow 8.240 087 \quad \overbrace{l_0}^A$$

$$L_0 = 27.932 478 \quad \overbrace{-42}^U$$

if columns at P
and at D

$$R_v (\alpha_M)^3 = L_0 \quad \overbrace{19.114}^V$$

$$R_v l_0 = \lambda_v^3 \quad \overbrace{38.228}^S$$

$$L_0 l_0 = \lambda_0^3 (\alpha_M)^3 \quad \overbrace{\frac{S}{\alpha_M}}^M$$

TIME

$$K = \frac{h}{E} = \frac{h}{MC^2}$$

$$\frac{C^4}{G} = 49.082 578 431$$

$$E \cdot TIME > h = -26.976 923 930$$

$$h = h_0 \quad h^2 = -53.953 847 860$$

$$T = \frac{GM}{C^3}$$

$$\frac{GM^2}{C} > h \quad M > \sqrt{\frac{hc}{G}} = m_0 = -4.662 403 798$$

$$t = \frac{L}{c}$$

$$MLC > h \quad ML > \frac{h}{c} = -37.453 744 633 = m_0$$

$$x = \sqrt{\frac{L^3}{GM}}$$

$$c^2 \sqrt{\frac{ML^3}{G}} > h \quad ML^3 > \frac{Gh^3}{C^4} = m_0 l_0^3$$

$$\psi = \sqrt{\frac{GML}{C^4}}$$

$$\sqrt{GML} > h \quad M^3 L > \frac{h^2}{G} = -46.778 552 241 = m_0^3 l_0$$

$$M_p = -23.776 602 304$$

$$r_e = -12.550 068 214$$

$$m_p r_e = -36.326 670 518 > \frac{h}{c}$$

$$t \text{ OK}$$

$$M_p = -23.776 602 304$$

$$r_e^3 = -37.650 204 642$$

$$m_p r_e^3 = -61.426 806 946 > \frac{h^3}{C^4}$$

$$t \text{ OK}$$

$$M_p^3 = -83.329 806 912$$

$$r_e = -12.550 068 214$$

$$m_p^3 r_e^3 = 95.879 875 126$$

$$< \frac{h^3}{G} \text{ flunk}$$

$$m_p r_e^3 = \cancel{m_0 h^3} = m_0 l_0^3 \cdot S(xm)^2$$

$$m_p \sqrt{\frac{S}{xm}} = m_0$$

$$r_e = l_0 (\text{dms})^{1/2}$$

$$M_p = -27.040 511 092$$

$$r_e = -12.550 068 214$$

$$-39.590 579 306$$

$$< \frac{h}{c} \text{ flunk}$$

$$M_p = -27.040 511 092$$

$$r_e^3 = -37.650 204 642$$

$$-64.690 715 734 > \frac{h^3}{C^4} \checkmark \text{OK}$$

Proton passes 2 tests more stable
electron 1 test

$$H \text{ atom } M = -23.776$$

$$L = -8.276$$

$$-33.052 > \frac{h}{c} \checkmark$$

$$\checkmark 33.3$$

$$5t^2$$

What time \Rightarrow

$$\frac{M}{L} \propto \frac{C^3}{G}$$

~~graph~~

$$\text{Time} = \sqrt{G^3 M^2 h / L^2 C^9}$$

$$C^2 M \cdot \sqrt{\Gamma} = \frac{GM^2}{L} \sqrt{\frac{G \cdot R}{C^5}}$$

$$= \frac{G \cdot M^3}{L} t_0 > h$$

$$\frac{M^2}{L} > \frac{h}{G t_0} = +23.466 533 221 = \frac{m_0^2}{l_0}$$

G^4 TEST

$$\begin{array}{r} G \cdot t_0 = -7.175 295 619 \\ \quad \quad \quad l_0 = -43.268 161 532 \\ \hline G t_0 = -50.443 457 151 \\ \quad \quad \quad -26.976 923 930 \\ \hline + 23.466 533 221 \end{array}$$

Aug 15

The August 12th lecture of the physicist, Ransom Stephens, served to update many of our anachronistic world views. While the ancients held the world to consist of three domains, known as Heaven(abode of gods), Earth(abode of mortals), and Hell(abode of daemons); physicists now know that the three domains are properly designated: the Micro (abode of particle physicists), the Meso (abode of geophysicists), and the Macro (abode of astrophysicists). The particle physicists have created a STANDARD MODEL which allows them to explain not only everything in their own level but also what exists in the upper levels. [This is called reductionism]. However, as with ancient theologians, there is one name never to be spoken aloud. In the case of particle physicists: this name is GRAVITY.

fuzzy facts

The "War" between science and religion
did not arise over irreconcilable differences,
but over incomparable similarities.

How many angels on the point of a needle?	
Masses	Proton in a planet patch
1	10^{-23}
2	10^{-12}
3	10^{-32}
	10^{-5}
	10^{40}
	10^{60}
	$\approx \text{un} 10^{54}$

$$c^2 = 20,953,641,406$$

HEISENBERG'S
UNCERTAINTY PRINCIPLE as stability indicator

$$E \cdot T > \hbar \Rightarrow \text{stability} \quad P = \text{fulcrum}, M = m_0$$

$$Mc^2 \cdot T > -26,976,923,930 \quad < \hbar \text{ unstable}$$

$$\text{If } M = m_0 = 4,662,403,798$$

$$T = \frac{\hbar}{m_0} = -43,268,161,532 \quad \text{If } M = m_p = -23,776,602,304$$

$$-4,662,403,798$$

$$20,953,641,406$$

$$-16,291,237,608$$

$$-2,822,960,898 = E_B$$

$$-26,976,923,924 \text{ not } > \hbar$$

$$\text{but } \hbar = \hbar$$

~~we can't~~

$$\text{If } M = m_0, E \cdot T = \hbar$$

$$M = m_e = -27,040,511,091$$

$$20,953,641,406$$

$$-6,086,869,685$$

$$-26,976,923,930$$

Object with Mass $< m_0$

$$m_p \text{ if } T = \frac{GM}{c^3}$$

$$\frac{GM^3}{c^2} \sim \hbar$$

$$M^2 \text{ or } \frac{c^5}{\hbar} = m_0^3$$

What about other choices of Time ≈ 25

$$\frac{c}{\hbar e} = \infty$$

USE 3 TIMES

$$Mc^2 \frac{\hbar e}{c} = Mc \hbar e = \hbar$$

$$\frac{GM}{c^3}$$

$$\sqrt{\frac{L^3}{GM}}$$

$$L/c$$

$$\begin{aligned} &-12,650,068 \\ &\cancel{10,476,821} \\ &7,926,733 = c \hbar e \\ &-26,976,924 \\ &-34,903,657 \end{aligned}$$

$$\frac{ML^2}{T} > \hbar \quad \text{stable}$$

$$x = \sqrt{\frac{L^3}{GM}}$$

$$Mc^2 \sqrt{\frac{L^3}{GM}} > \hbar$$

$$c^2 L \sqrt{\frac{ML^2}{G}} > \hbar$$

$$\frac{C^4}{G} ML^3 > \hbar^2$$

$$\begin{aligned} h^{22} &= -53,953,848 \\ \frac{G}{c^2} &= -49,082,578 \\ &-103,036,426 \end{aligned}$$

$$Mc^2 \frac{GM}{c^3} = \frac{GM^3}{c}$$

$$\frac{GM^3}{c^2} = -17,652,116,322$$

$$M^2 = \frac{-26,976,923,930}{-17,652,116,322}$$

$$9,324,807,608$$

$$4,662,403,804$$

$$1-\alpha \quad M = m_0$$

$$M > m_0 > \hbar$$

whatever $\approx ?$

$$[5(GM)^2 \cdot 21 = 103]$$

$$\begin{aligned} M^{22} &= -103,036,426 \\ M^{37} &= -61,426,806 \\ M_p r^3 &= \text{OK} \end{aligned}$$

The August 12th lecture by physicist, Ransom Stephens, served to update many of our anachronistic world views. While the ancients held the world to consist of three domains, known as Heaven(abode of gods), Earth(abode of mortals), and Hell(abode of daemons); physicists now know that the three domains are properly designated: the Micro (abode of particle physicists), the Meso (abode of geophysicists), and the Macro (abode of astrophysicists).

The particle physicists have created a STANDARD MODEL which allows them to explain not only everything in their own domain but also what exists in the upper domains. [This is called reductionism]. However, as with ancient theologians, there is one name never to be spoken aloud. In the case of particle physicists, this word is "gravity".

Further updating informed us that the apocalyptic number is no longer 666, but has become 137. In fact, a power series based on the reciprocal of this number, (the fine structure constant), converges to the number, +3. (This result gives confirmation to the basic structures of both theology and physics).

Lastly, the most revolutionary update involved the overthrow of both Aristotle's law of the excluded middle and Popper's principle of falsification: Heisenberg's Uncertainty Principle has rendered all measurements "murky". No hypothesis or concept is any longer true or false. Propositions can now only possess a less than one probability of being valid. This has resulted in a new approach to what we have been calling reality, and to a new definition of the dichotomy: real vs. virtual.

calls for

For further details: read Ransom Stephens' THE GOD PATENT

Facts have become fuzzy
Measurement murky

$$RMc^2 = \frac{\hbar}{\tau}$$

$$\sqrt{GML} M \tau = \frac{\hbar}{\tau}$$

$$\frac{GM^2}{C} = \frac{\hbar}{\tau}$$

The foundations of H. V. P.

⇒ a Realit. of fuzzy facts
and Murky Measurements

$$U = \sqrt{\frac{GM}{C^4}}$$

~~$$MC^2 L = \hbar$$~~

$$Mc^2 \sqrt{\frac{L^3}{GM}} = \hbar$$

$$\frac{L^3}{GM} \propto \tau$$

$$GM \propto \tau$$

$$T = \frac{GM}{C^3}$$

$$\tau = \frac{L}{C}$$

$$x = \sqrt{\frac{L^3}{GM}}$$

$$\sqrt{\frac{GM}{C^4}}$$

$$\propto$$

$$\sqrt{\frac{L^3}{GM}}$$

$$M L C > \hbar$$

$$Mc^2 L$$

$$K = \frac{\hbar}{E} = \frac{\hbar}{mc^2}$$

$$M^2 C^2 G / U$$

$$N^2 G / U$$

The Second Law of Thermodynamics operates in two modes:

Mode I:

The Homogenization Mode.

Homogenization forces are those that tend to bring the range of values of a parameter to a single value. Gravity attempts to bring the positions of masses to a single point. The second law of thermodynamics attempts to bring temperature throughout the system to one value. Further, when a parameter contains only one value, then it ceases to be a parameter. Thus if homogenization succeeds in reducing all values to the same value it then effects the elimination of a parameter. If all parameters are eliminated, that is total sameness prevails, then extinctions results. Ultimate homogenization is the equivalent of non-existence, a principle recognized by both Pythagoras in saying that ONE does not exist, and by Eddington in saying that uniform sameness is the philosophical equivalent of non-existence..

Mode II:

The Fragmentation Mode:

Fragmentation forces are those that lead to decay and the destruction of complexity and order. The second law of thermodynamics holds that entropy or disorder must in the large always increase. Fragmentation (expansion in B-SPACE), scattering (expansion in P-SPACE), diversification (expansion in H-SPACE) all represent an increase in disorder. Diversification effects an increase in disorder through the increase in difficulty of communication as elements become more diverse, thus inhibiting the emergence of complexity.

It seems paradoxical that the destruction of order is achieved both through homogenization and through diversification. It is counter intuitive to think of uniformity as disorder. However, the second law in stating increase of entropy is simultaneously stating decrease of information. and the amount of information implicit in a uniform ordering may be less than in a more diverse ordering. On the other hand as diversification appears to involve more information, what is the second law up to? In this case the second law is operating in an inhibitory mode by reducing the likelihood of the building of complexity which would be a definite increase in information.

The ultimate definition of homogenization is the destruction of uniqueness. Thus both the increase of order and the increase of disorder can result in loss of uniqueness. We may think of there being Yin homogenization, scattering to one condition and Yang homogenization, focusing or gathering to one condition. Gravity is a Yang homogenization, decay is a Yin homogenization.

SYMMETRY

ADDED

NOTES

$$S = \alpha M \frac{m_0^3}{m_p^2}$$

$$M_K = m_0 \Delta^K = m_p \Delta^{K+1}$$

$$M_K = M_K - g \Delta^0$$

MASS

$$\frac{m_0}{m_p} = \Delta = 19,114,198 = \sqrt{\frac{S}{\alpha h}} \approx \alpha^{-1/2} \mu^{-2}$$

$$\Delta^2 = 38,228,896$$

$$\Delta^3 = 57,342,594$$

$$\Delta^4 = 76,456,792$$

$$\Delta^5 = 95,570,990$$

M_{-2}	m_B m_p	$K=1$	m_0	$K=0$	M_K	$K=2$	M_U	$K=3$
								M_U
	-2					1		M_K
	3				2		-1	M_D
-1	0	1	2	3	-1	4	1	m_0
-2	-1	0	-1	-2	-3	-1		m_B or m_p
	$m_0 \Delta^1 = m_p \Delta^0$	$m_0 \Delta^0 = m_p \Delta$	$m_0 \Delta = m_p \Delta^2$	$m_0 \Delta^2 = m_p \Delta^3$	$m_0 \Delta^3 = m_p \Delta^4$			M_B or m_p
-42,890,801	-23,776,602	-4,662,404	14,451,796	33,565,995	52,680,194			

$$\begin{array}{ccccccc}
-85,281,602 & -47,553,205 & -9,324,808 & 28,903,592 & 67,131,990 & 105,360,388 \\
-128,672,403 & -71,329,807 & -13,987,211 & \boxed{43,355,388} & 100,697,785 & 158,040,582 \\
& -95,106,409 & -18,649,615 & 57,807,184 & 134,263,980 \\
& -118,883,010 & -23,312,019 & 72,258,980 & 167,829,975 \\
& & -27,974,423 & 86,710,776 \\
& & -32,636,827 & 101,162,572
\end{array}$$

$$\frac{M_D^3}{S} = 3.999917$$

43,355,388

$$\frac{M_D^4}{\Delta^3} = 0.464590 = m_p^4 \Delta^5$$

$$\Rightarrow M_D = m_p \Delta^2$$

The "Triangle Force"

$\frac{M}{L} C^2$	$\frac{\hbar c}{L^2}$	$\frac{\hbar^2}{ML^3}$	$\frac{GM^3}{L^2}$	$\frac{C^4}{G}$
$\frac{M}{L} C^2$	$ML = \frac{\hbar}{C}$	$M^2 L^2 = \frac{\hbar^2}{C^2}$	$\frac{M}{L} = \frac{C^2}{G}$	$\frac{M}{L} = \frac{C^2}{G}$
$\frac{\hbar c}{L^2}$		$ML = \frac{\hbar}{C}$	$M^2 = \frac{\hbar c}{G}$	$L^2 = \frac{G\hbar}{C^3}$
$\frac{\hbar^2}{ML^3}$			$M^3 L = \frac{\hbar^2}{G}$	$ML^3 = \frac{G\hbar^2}{C^4}$
$\frac{GM^3}{L^2}$				$\frac{M^2}{L^2} = \frac{C^4}{G^2}$
$\frac{C^4}{G}$				

Treatment of ±

$$\left\{ \begin{array}{l} ML = \frac{\hbar}{C} \\ \frac{M}{L} = \frac{C^2}{G} \end{array} \right. \rightarrow M = m_0 \quad \text{or} \quad L = l_0$$

all forces → $ML = \frac{\hbar}{C}$
equated

or
 $\frac{ML}{L} = \frac{C^2}{G}$

denouement

or $M = m_0$

or $L = l_0$

or their product

$$M^2 = M_1 \cdot M_3$$

$$M^3 = M_1 M_2 M_3$$

$$L^2 = L_1 \cdot L_2$$

$$M_1 M_2 \dots$$

$$\textcircled{1} \oplus \textcircled{2} \cdot L = \frac{\hbar^3}{G} = -47$$

33 27
+ 2

$$M^{\frac{4}{3}} L^3 = m_0 \frac{\hbar^3}{C^3}$$

$$ML \frac{L}{h} = \sqrt[3]{\frac{m_0}{M}}$$

$$\frac{C^4}{G}$$

FORCE TABLE: $F=F(G, M, L, h, c)$

ML	-1	-0.5	0	+0.5	+1	+1.5	+2
+3							
+2.5							
+2	$C^4/G \cdot L^3/R^3$						
+1.5		$C^4/G \cdot L^2/R^2$					
+1			$C^4/G \cdot L/R$				
+0.5				C^4/G	$\frac{GM}{L} \frac{R}{l_0}$	$hC/L^2 = E =$	$\frac{C^4}{G} \frac{l_0^3}{L^3}$
0				$M^2 C^3/h$	$C^4/G \cdot R/L$		
-0.5				$G M^2 \frac{h}{l_0^2}$		$C^4/G \cdot R^2/L^2$	
-1			$M^3 L C^2/h^3$	$S^4 G \frac{h^2}{l_0^2} / M^2$			$C^4/G \cdot R^3/L^3$
-1.5				$C^4 L M^3 \frac{h^3}{l_0^2 m_0^3}$			
-2							
-2.5							
-3							

 $h=0$ alternative

$$\frac{GM^2}{L^2} \frac{L^5}{R^5}$$

$$\frac{GM^3}{L^2} \frac{L^4}{R^3}$$

$$\frac{GM^2}{L^2} \frac{L^3}{R^3}$$

$$\frac{GM^2}{L^2} \frac{L^2}{R^2}$$

$$\frac{GM^2}{L^2} \frac{L}{R}$$

$$\frac{GM^2}{L^2}$$

$$\frac{GM^3}{L^2} \frac{R}{L}$$

$$\text{Planck If } P = \frac{C^4}{G}$$

$$\text{Gravity, } N = \frac{GM^2}{L^2} \text{ then } P \left(\frac{R}{L}\right)^n = N \left(\frac{R}{L}\right)^{n-2}$$

$$\text{Schwarzschild } R = \frac{GM}{C^2}$$

$$R^2 P = L^2 N$$

$$\frac{P}{N} = \left(\frac{L}{R}\right)^2 \quad P \neq N$$

$$L > R \uparrow$$

$$L < R \downarrow$$

$$E = \frac{C^4}{G} \frac{l_0^2}{L^2}$$

$$N = \frac{C^4}{G} \frac{R^2}{L^2} \quad R^2 E = \rho_0^2 N$$

$$\frac{E}{N} = \frac{l_0^3}{R^2} \quad R_B = l_0^{52}$$

FORCE TABLE: $F=F(G, M, L, h, c)$

ML	-1	-0.5	0	+0.5	+1	+1.5	+2
+3							
+2.5							
+2	$\frac{L^3 C^{10}}{M^3 G^4}$						
+1.5		$\frac{L^2 C^8}{M^2 G^3}$		$\frac{1}{M^4} \frac{h^4 C^5}{G^3}$			
+1			$\frac{L C^6}{M G^2}$		$\frac{1}{M L} \frac{h C^3}{G}$		$\frac{h^2}{M K^3}$
+0.5				C^4/G		$\frac{h C}{L^2}$	
0			$M L C^5 / G h - \frac{C^4}{G}$		$\frac{M}{L} C^2$		$\frac{M}{L^3} \frac{C^4}{G}$
-0.5				$M^2 C^3/h$		$\frac{G M^2}{L^2}$	
-1			$M^3 L C^4/h^2$		$\frac{M^3 G^6}{L^3 h}$		$\frac{M^3 G^2}{L^3 C^2}$
-1.5		$\frac{M^4 L^2 C^5}{h^3}$			$\frac{M^4 G^3}{L^3 h C}$		
-2	$M^5 L^3 C^2/h^4$			$\frac{M^5 G^3}{L^3 h^2 C}$			
-2.5		/					
-3							

$$\begin{matrix} & M^8 C^3 \\ & h^4 \\ \nearrow & \searrow \\ C=0 & \end{matrix}$$

$$\frac{h^4}{G M^4 L^4}$$

$$\frac{h^3}{C M^2 L^4}$$

$$\frac{h^4 G^3}{L^4 C^4}$$

$$m_0/l_0 = c^3/G$$

$$m_0 l_0 = \hbar/c$$

$$m_0^3 l_0 = \hbar^2/G$$

TIME TABLE: $T=T(G, M, L, \hbar, c)$

$$[T] = 1$$

ML	-1	-0.5	0	+0.5	+1	+1.5	+2
+3	$\sqrt{G^5 M^6 / L^2 h c^{11}}$		$G^2 M^3 / h c^4$		$\sqrt{G^3 M^6 L^2 / h^3 c^5}$		$G M^3 L^2 / h^2 c$
+2.5		$\sqrt{G^4 M^5 / L h c^9}$		$\sqrt{G^3 M^5 L / h^2 c^6}$		$\sqrt{G^2 M^5 L^3 / h^3 c^3}$	
+2	$G^2 M^2 / L c^5$		$\sqrt{G^3 M^4 / h c^7}$		$G M^2 L / h c^2$		$\sqrt{G M^4 L^4 / h^3 c}$
+1.5		$\sqrt{G^3 M^3 / L c^8}$		$\sqrt{G^2 M^3 L / h c^5}$		$\sqrt{G M^3 L^3 / h^2 c^2}$	
+1	$\sqrt{G^3 M^2 h / L^2 c^9}$		$G M / c^3$		$\sqrt{G M^2 L^2 / h c^3}$		$M L^2 / h$
+0.5		$\sqrt{G^2 M h / L c^7}$		$\sqrt{G M L / c^4}$		$\sqrt{M L^3 / h c}$	
0	$G h / L c^4$		$\sqrt{G h / c^5}$		L / c		$\sqrt{L^4 c / G h}$
-0.5		$\sqrt{G h^2 / M L c^6}$		$\sqrt{L h / M c^3}$		$\sqrt{L^3 / G M}$	
-1	$\sqrt{G h^3 / M^2 L^2 c^7}$		$h / M c^2$		$\sqrt{L^2 h / G M^2 c}$		$L^2 c / G M$
-1.5		$\sqrt{h^3 / M^3 L c^5}$		$\sqrt{L h^2 / G M^3 c^2}$		$\sqrt{L^3 h c / G^2 M^3}$	
-2	$h^2 / M^2 L c^3$		$\sqrt{h^3 / G M^4 c^3}$		$L h / G M^2$		$\sqrt{L^4 h c^3 / G^3 M^4}$
-2.5		$\sqrt{h^4 / G M^5 L c^4}$		$\sqrt{L h^3 / G^2 M^5 c}$		$\sqrt{L^3 h^2 c^2 / G^3 M^5}$	
-3	$\sqrt{h^5 / G M^6 L^2 c^5}$		$h^2 / G M^3 c$		$\sqrt{L^2 h^3 c / G^3 M^6}$		$L^2 h c^2 / G^2 M^3$

No C

No G

are symmetric
intersecting at common time $t = \frac{L}{c}$

no G and no C have symmetry

intersecting at $t = \sqrt{\frac{L^3}{GM}} = \text{Kepler time}$

no G and no C have symmetry

intersecting at $\frac{ML^3}{\hbar} = ? \text{ time}$

- Cartesian - continuous - space

- Grids or eigen-spaces

exponents	3 unit
	2 unit
	1 unit Newton
	$\frac{1}{2}$ unit Maxwell

MLT exponents Dimensionality grid $|D| = \sqrt{M^2 + L^2 + T^2}$

Vector Space measurement direction (or dimensionality)
scalar $\equiv Y$

G, c, h exponents \rightarrow Planck Particle

Matrices e.g. T or z c, G, h, M, L $|D| \rightarrow$ scalar
Force ..

Structures in eigen-spaces

Ratios \rightarrow pure numbers d, μ, S

$d, M, S - G, c, h$ Cosmic eigen-space
Moloko

size dimensionality

\sim measurement

Gaps - intervals with discrete
are $f(G, d, \mu, S)$

sizes w gaps

$$Y = |D|$$

$$\frac{Y}{|D|}$$

examples of $|D|$

$$G = m^{-1} L^3 T^{-2}$$

$$|G| = \sqrt{14}$$

$$Y \& G (\text{cgs}) = -7.175296$$

$$C = m^0 L^1 T^{-1}$$

$$|C| = \sqrt{2}$$

$$Y \& C (\text{cgs}) = 10.476821$$

$$h = m^1 L^2 T^{-1}$$

$$|h| = \sqrt{6} \quad Y \& h = -26.970$$

$$hc = m^1 L^3 T^{-2}$$

$$|hc| = \sqrt{14} = 161$$

Mixed dimension: x, y continuous, z discrete etc.

$$Y(hc) = 16,500,104$$

$$Y(G) = -7,175,296$$

$$\frac{Y(G)}{Y(hc)} = -23,675,400$$

$$m_p = -23,776,602$$

$$\Delta = 0,378,563$$

$$\frac{\bar{t}_1}{\varepsilon^2} = -47,930,565$$

$$\bar{\Sigma}^2 = -47,452,002$$

$$\Delta = 0,101,202$$

$$400 \cdot \Delta = 40,4808$$

$$\alpha_{NL8} = 40,482-505$$

$$Y(G), Y(hc) = -m_0^2 = 9,324,808$$

$$-41,662,404$$

$$Y(G)m_0 = -11,837,700$$

$$Y(hc)m_0 = +11,837,700$$

$$hc = M L^3 T^{-2}$$

$$G = M^{-1} L^3 T^{-2}$$

$$\frac{hc}{G} = M^3 = m_0^2 = -9,324,808$$

$$\frac{Gt}{c} =$$

$$\begin{array}{r} -26,976,924 \\ -7,175,296 \\ \hline -34,152,220 \\ 10,476,821 \\ 44,629,041 \end{array}$$

$$\frac{Gc}{t} =$$

$$\begin{array}{r} 10,476,821 \\ -7,175,296 \\ \hline 3,301,525 \\ -26,976,924 \\ \hline -22,278,449 \end{array}$$

$$30,278,449$$

Dimensionality Space

occupied by

in a portion of a unit grid: $M = -1, 0, +1 \pm 2$ (4)

$L = 3, 2, 1, 0, -1, -2, -3$ (7)

with unit = $1, \frac{1}{2}$

$T = -3, -2, -1, 0$ (4)

Dimensionality Space is a sub-partition of an exponential grid

An exponential grid is a vector space, all vectors having integer components

$$|\text{vector}| = \sqrt{\Delta x^2 + \Delta y^2 + \Delta z^2} \text{ or } \sqrt{\Delta m^2 + \Delta L^2 + \Delta T^2}$$

Scalar magnitude = E - a measurement

A dimensionless thus is a vector of magnitude E and direction measured

given by exponents V_m, V_L, V_T

$$E \cdot |\vec{v}|$$

Exponential grid > origin $m=0, L=0, T=0$

Grid unit: 1 - Newtonian

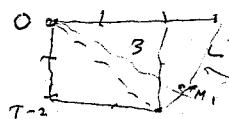
$\frac{1}{2}$ - Maxwellian

rotation?

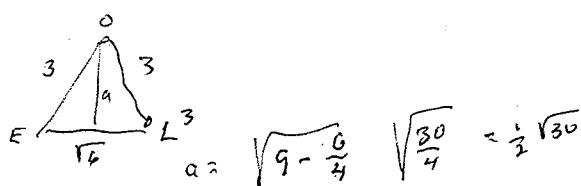
If Grid ~~unit~~ domain ≈ 3 \exists only 0 and Energy over L^3

$$M^1 L^2 T^{-2}$$

$$\sqrt{g} = 3$$



$$i \ i \ i \quad \sqrt{g} \quad E = L^3$$



$$a = \sqrt{\frac{15}{2}}$$

GRAVITATIONAL ENERGY

$$\frac{GM^2}{L}$$

$$\frac{M^2}{L} \cdot \frac{L_0}{m_0}$$

$$\frac{\frac{GM^2}{L}}{Gm_0^2} = \frac{M^2}{m_0^2} \frac{L_0}{L}$$

$$= \frac{M^3}{L} \cdot \frac{L_0}{m_0^2}$$

$$= \frac{M^2}{L} (-23.466534)$$

B -27.827840

$\Delta 42.119078$

$$\begin{array}{r} -27.827840 \\ -42.119078 \\ \hline -69.9468 \end{array}$$

-58.468

C +16.291238

$\Delta 17.987$

$$\begin{array}{r} 0 \\ 17. \\ \swarrow \quad \searrow \\ \frac{s^3}{(cm)^2} \end{array}$$

D 34.278864

17.987126

E 52.265490

351.974253

$$(cm)^2$$

17.987127

$$\frac{s}{(cm)^3}$$

F 70.252614

53.961376

17.987123

$$\frac{s^{1/2}}{(cm)^{3/2}}$$

G 48.581

32.198

$$(7.987)^{3/2}$$

$$\frac{s^{3/2}}{(cm)^{9/2}}$$

H

77.583870 B

17.987126 A

58.596744

$$\frac{B}{A}$$

$$\frac{A \cdot B}{B/A} = A^2$$

95.570990

58.596744

$$35.974352 = A^2$$

$$A 17.987123 = \sqrt[3]{\frac{s}{(cm)^3}}$$

$$B 77.583870 = \frac{s^3}{(cm)^3}$$

FROM C20
PONCE

$$\frac{B}{A^3} = \frac{B}{A^4} = (cm)^5$$

$$\frac{\frac{s^3}{(cm)^3}}{\frac{s^2}{(cm)^2}} = (cm)^5$$

ENCYCLOPEDIA OF TIME
Samuel L. Macev (ed.)
1994
V-C-1

TIME'S ARROWS TODAY
Steven F. Savitt (ed.)
1995
V-C-1

TIME'S ARROW AND ARCHIMEDES' POINT
Huw Price
1996
V-C-1

THE END OF CERTAINTY
Ilya Prigogine
1997
V-C-2

DIMENSIONS OF TIME
WOLFGANG ACHTNER, STEFAN KUNZ, THOMAS WALTER
1998
V-E-1

EINSTEIN'S CLOCKS, POINCARÉ'S MAPS
PETER GALISON
2003
V-E-4

$$T_V = \frac{ML^2}{h} (m_0 c, m_0 G) \quad 2 \text{ times} = \text{that do not contain } c$$

$$M^3 L = \frac{h^2}{G} = -46.778552$$

1° one solution:

$$M = \frac{h}{\sqrt{G}} = -23.389276$$

$$L = \frac{h}{\sqrt{G}} = +23.389276$$

2° Solution:

$$M = m_p = -28.776602$$

$$L = \frac{h}{\sqrt{G}} = +24.551254 = \frac{L_U}{(\alpha \mu)^3} = R_U = \frac{GM_U}{c^2}$$

$$\frac{L_U}{L} = \frac{27.932478}{24.551254} = 3.381224 = (\alpha \mu)^3$$

Times not containing c

Resonances

M, L	T	L^5/GM^2	$\sqrt{L^3/GM}$	ML^2/h	$\sqrt{GM^5L^5/h^4}$
-2, +1	h/GM^2	X			
$-\frac{1}{2}, +\frac{3}{2}$	$\sqrt{L^3/GM}$	$M^3 L = \frac{h^2}{\alpha}$	X		
$\nu+1, +2$	ML^2/h	$M^3 L = \frac{h^2}{\alpha}$	$M^3 L = \frac{h^2}{\alpha}$	$M^3 L = \frac{h^2}{\alpha}$	
2.5, 2.5	$\sqrt{GM^5L^5/h^4}$	$M^3 L = \frac{h^2}{\alpha}$	$M^3 L = \frac{h^2}{\alpha}$	$M^3 L = \frac{h^2}{\alpha}$	X

The c -free clocks resonate at $M^3 L = \frac{h^2}{G}$

one M whose solutions is \Rightarrow if $M = m_p, L = R_U$

particular with the mass of a proton, but
the size of the Schwarzschild Universe

3° another solution

$$M = m_o$$

$$L = l_o$$

$$4^o M = m_e$$

$$L = +34.342981$$

4-25-2010

$$5^o L = -12.590008 = l_e$$

$$M = -11.409495$$

$$6^o L = l_o = 27.932478 \\ M = -27.903677 = \frac{m_p}{\alpha \mu}$$

$$h = -26.976924$$

$$h^2 = 53.953848$$

$$G = -7.175296$$

$$\frac{h^2}{G} = 40.778552$$

$$M^3 L = \frac{h^3}{G}$$

INTERESTING
SOLUTIONS

$$M = m_o, L = l_o$$

$$M = m_p, L = R_U$$

$$L = l_U, M = \frac{m_p}{\alpha \mu}$$

$$R_U = \frac{l_U}{(\alpha \mu)^3}$$

Artletter.wpd

April 6, 2010

Glad you arrived safely in spite of winds, earthquakes, and California drivers doing their thing.

It rained most of Sunday and a bit on Monday, but by noon Monday the weather gods figured out that you were no longer in Sonoma County and the clouds, sky, and light put on a performance that lured hundreds of cameras out of their cases and the sound of their clickings replaced the sound of rain drippings.

I hope you found all well in both Bakersfield and Flagstaff. Please give everyone a hug for me.

love,
Dad

-----Original Message-----

From:
art@wilsonint.org
To: alw1871@aol.com
Sent: Mon, Apr 5, 2010 10:10 pm
Subject: Arrival

Hi Dad and all,

In spite of the high wind -- gusts above 50 mph -- I held the big black beast onto the road (trouble started at about the Colorado River) and made it safely home. A few minutes before I got to Flagstaff's intersection of I40 and I17, someone's trailer and pickup were flipped by the wind, and someone else piled into them -- we snaked by on one lane as the emergency folks swarmed over the scene. At about the same time, dust picked up between Flag and Winslow, there was a 43-car pileup, and I40 was closed. The gusts are to continue all night long; power has flickered on and off, of course. The rain in Sebastopol cleared up to a mist after I got over Altamont Pass -- and this morning, the rain had moved to Bakersfield! I got to drive in a snowstorm over Tehachapi Pass -- fine by me with my winter car, but I was more than a little concerned regarding the California drivers on the road. Even had rain off and on between Barstow and Needles! No doubt part of the Communist/Socialist conspiracy, along with the Mexicali quake.

Anyway, thanks again and I'll keep you all posted.

Equating any two values of T from the T-Table 11-24-10

$$\rightarrow 1) \frac{M}{L} = \frac{C^2}{G}$$

$$\text{or } 2) ML = \frac{h}{C} \quad \cancel{\text{or } 3) P}$$

$$\text{or } 3) P$$

frequency resonance

$$\text{both times } \neq t \rightarrow \frac{M}{L} = \frac{C^2}{G} = 28,128,937 > m_0^2 \text{ or } l_0^2$$

$$\text{both times } > t \rightarrow ML = \frac{h}{C} = -37,453,745 \quad \begin{matrix} x \\ \text{longer} \end{matrix} \quad \Delta = \frac{1}{m_0^2} \quad \begin{matrix} x \\ (m_0 l_0)^2 \end{matrix}$$

Mixed $\rightarrow P$

$$\text{both times } \neq C \rightarrow M^3 L = \frac{t^2}{G} = -46,778,552 \quad \begin{matrix} x \\ \text{Dark Matter?} \end{matrix}$$

$$\text{if } M = m_0, \text{ then } L = l_0 \quad M = -25 \quad L = +27 \quad l_0$$

$$\frac{M}{L} > \frac{C^2}{G} \Rightarrow \text{contract or clock slowing} \quad \text{or both}$$

$$\frac{M}{L} < \frac{C^2}{G} \Rightarrow \text{expand or clock ticking faster} \quad \text{or both}$$

$$\frac{M}{L} = \frac{C^2}{G} \Rightarrow \text{no change, stability, clock steady rate}$$

or \nexists time

change does not occur with time, only when clock rate changes

Change happens ^{only} with rate change

frequency change

$$\text{both times } \neq G \quad ML = \frac{h}{C}$$

$$\text{both times } > G \quad \frac{M}{L} = \frac{C^2}{G}$$

$$t = \frac{L}{C} \quad \text{the only time that does not contain } \frac{G}{C} \text{ with } t \text{ or } G$$

$$\sqrt{\frac{L^3}{GM}} = T \quad \text{does not contain } C, \text{ on } t$$

T does not contain t

$$V = \frac{ML^2}{h} \quad \text{does not contain } C \text{ or } G$$

do times $\neq t$
time $\neq G$
time $\neq C$

4)
5) $\frac{5}{10}$
 $\frac{10}{1}$

$$\frac{G}{M^2} = \frac{GM}{L^2}$$

to
own
g

to
own
g

$$ML^2 = M^2 L$$

J m v

$$\frac{G}{M^2} = \frac{GM}{L^2}$$

$$ML^2 = M^2 G$$

$$ML^2 = \frac{G}{M^2}$$

and
then
the

~~$$ML^2 = \frac{G}{M^2}$$~~

$$ML^2 = \frac{G}{M^2}$$

Resonances:

$$T_{M_{L_1}} = T_{M_{L_2}}$$

No G $T_{\vec{G}_1} \cdot T_{\vec{G}_R} \rightarrow M \cdot L = \frac{\hbar^2}{S} = -37.563 244633 = Q_1$

No h $T_{\vec{h}_1} \cdot T_{\vec{h}_2} \rightarrow \frac{M}{L} = \frac{C^3}{G} = +28.128937025 = Q_2$ $Q_1 \cdot Q_2 = \frac{C^4}{G^2} = m_o^2$

No C $T_{\vec{C}_1} \cdot T_{\vec{C}_2} \rightarrow M^3 L = \frac{\hbar^2}{G} = -46.778552241 = Q_3$ $\frac{Q_3}{Q_2} = \frac{C^4}{G^2} = m_o^2$
 $m_o^2 = -9.324807578$

EQUILIBRIUM FORCES

No ~~Q~~ Forces also with $F_{\vec{Q}_1}$ w $F_{\vec{Q}_2} \rightarrow M^3 L = \frac{\hbar^2}{G}$

as do No_c Times in resonance

Centrifugal force

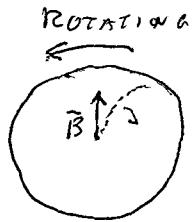
$$\omega^2 r^2$$

Conservation of angular momentum

$$\omega^2 r$$

Coriolis - Centrifugal symmetry

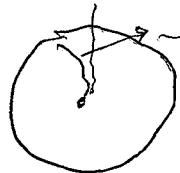
in rotating frame
coriolis tries to
cancel inertial



coriolis effect $\rightarrow /$

Fulcrum \uparrow inertia

NON ROTATING



centrifugal force

\rightarrow to restore inertial path

centrifugal $\rightarrow /$
curved path

$$\left(\frac{d\vec{B}}{dt} \right)_{\text{non rotating}} = \left(\frac{d\vec{B}}{dt} \right)_{\text{rotate}} + \omega \times \vec{B}$$

SYMMETRIES and INVARIANTS

IN DIRECTION
[DIMENSIONALITY]

IN SCALE

FIRST DYAD

TITLES - RELATIONS
MANIFEST UNMANIFEST

LINKS' DYAD

MACH

RESONANCES and ROTATIONS

Not context free

what changes
are context free?²
Orthogonality and liberation from context

why can velocity
considered context free
but acceleration are not?

ANGLES are unit free

velocity can be released
to another velocity

ORTHOGONALITY IS INDEPENDENCE

Special relativity
Refers to ONE other
Not to a context
n Ether of Newton's space

DIMENSIONALITIES LINK DIMENSIONS

DIMENSIONS ARE ORTHODONT

ABOUT FORCES [< WIDTH OF NOW]

MUTUALITY INVOLVES ROTATIONS

SPECIES of FORCES. LINKS, CONNECTIONS

Usually, A Force is a sub-species of links or connections

that ↑ or ↓ distance

e.g. gravity

Morphic Forces: space ↔ Mass

The more synchronous the force,
the more violent

Totem Forces: Non-Locality

in fact violence \approx very narrow now

Self-Organization

If ≠ any limits [links] anything goes

Forces and their efficacies
must be measured as function (width of now)

System self-organizes as a gravity acting

Also ≠ self-fragmentation, e.g. Schrödinger

Set ↓ conformity & The Miss Manners Paradox

to remove obstructions to diversity,
 \rightarrow M.P. MINE

$$M = ac + ibG$$

$$L = pG + iqG$$

$$\frac{M}{L} = \frac{c^2}{G}$$

$$[I] \quad M = c + iG \quad \frac{M}{L} = \frac{(c+iG)(G-iG)}{(G+ic)(G-ic)} = \frac{cG + cG + i(G^2 - c^2)}{G^2 + c^2 + i(cG - cG)}$$

$$= \frac{2cG + i(G^2 - c^2)}{G^2 + c^2} = \frac{c^3}{G}$$

$$\therefore 2cG^2 + iG(G^2 - c^2) = c^2G^2 + c^4$$

$$iG(G^2 - c^2) = 0 \quad G^3 = c^3G$$

$$c^4 + c^2G^2 - 2cG^2 = 0$$

$$c^3 + cG^2 - 2G^3 = 0$$

$$2G^2 - cG^2 - c^3 = 0$$

$$G = \frac{c \pm \sqrt{c^3 + 8c^3}}{4}$$

$$G^2(2-c) - c^3 = 0$$

$$G = \frac{c^3}{2-c}$$

$$[II] \quad M = ac + ibG = i(pG - qG)$$

$$(a+q)c = i(p-b)G$$

$$m_p = a^+ m_0$$

$$a = -19.114$$

$$m_p + i r_e$$

$$r_e = b^+ l_0$$

$$b = -20.241$$

$$m_0 + i l_0$$

$$i((m_p + i r_e)) = b^+ l_0 + i a^+ m_0 \quad (a + i b)(m_0 + i l_0) = m_p + i r_e$$

$$a m_0 - b l_0 + i(b m_0 + a l_0) = m_p + i r_e$$

$$A i m_p = i a^+ m_0$$

$$m_p = a m_0 + b l_0, \quad r_e = b m_0 + a l_0$$

$$- A r_e = b^+ l_0$$

$$m_p = a m_0 + b l_0$$

$$r_e + m_p = (a + b)(m_0 + l_0) \checkmark$$

$$i(\omega)(m_0 + i l_0)$$

SPECIES of SYMMETRY

HARMONY COHERENCE CONSISTENCY	WELL PROPORTIONED / BALANCED BEAUTY CONCORDANCE OF PARTS	WIDTH OF SYMMETRY
RESONANCE		

GEOMETRIC

BILATERAL - REFLEXIVE	} ORNAMENTAL TRANSLATORY	CRYSTAL AUTOMORPHIC	phyllotaxis
TRANSLATORY			
ROTATIONAL			
SCALAR			

INVARIANCE OF CONFIGURATION OF ELEMENTS
UNDER A GROUP OF AUTOMORPHIC TRANSFORMATIONS

Reflection in a plane is an automorphism

Harmony in Music
Pitch / Rhythm

PARITY

A DIALECTIC 8-29-10
The (outer) symmetry that contains
* {asymmetries} e.g. OAK TREE
The elemental symmetries Normal distribution
out of which {asymmetries} are built e.g. undulations

* The Symmetry of the
Normal Distribution

The S-A DIALECTIC

$M_p - M_B - M_o$

REF

Science and the Future 1995
p 242 ff
on matter and symmetry

TILINGS
POLYTOPES

SYMMETRY

2 Ancient Myths contain stories of the "lower world". This region is often the abode of the dead, and in some traditions, the realm of punishment for those who were evil. And hell is a place of fire and avengement.

As we learn to graduate from our literal reading of myth, we often discover they were about great truths that we have described in a different language.

And about great truths we have speculated about but not yet grasped. Myths ^{about} creation, successive dynasties of gods, ancient visitors to earth, and many others.

Putting myth in juxtaposition with the findings of modern science there seem to be some similar concepts.

e.g. The lower world with black holes

purgatories with intermediate states of matter i.e. neutron stars

What we have read as spiritual in myth may also describe what we are discovering in the world of matter. And there is suspicion of not only description of realities but of a symmetry between the process of spirit and matter.

Indeed, there is a suspicion of many symmetries.

Let us juxtapose
the lower worlds
with
purgatory
of
myth

Tori
whatever death
is the glass or
wall of symmetry
in myth

~~H~~-SPACE

S

level ~~bound~~
The states of matter
solid, liquid, gas, plasma
electron, proton, neutron, in black hole.

H-SPACE
structure
form
the symmetry
between ~~H~~-space
and P-space

some density or level
perhaps the Planck level (particle)
is the Tori door of symmetry
in the physical world

P-SPACE

N-SPACE NUMBER

4-7-2010

Dynastries of gods

Uravus

Elohim

Titans

Yamah

Olympos

Adam

Azurman's

Dynastries of Force, Matter

Black hole

Neutron

Atom

Molecule

dark matter

?

?

Days of Creation

Dark \rightarrow Light

Big Bang Black density \rightarrow matter

$$\text{Dark Energy} \cdot \frac{c^4}{G} \downarrow$$

Ahura Mazda - Ahriman

gravity \rightarrow \downarrow

MYTH

MYTH

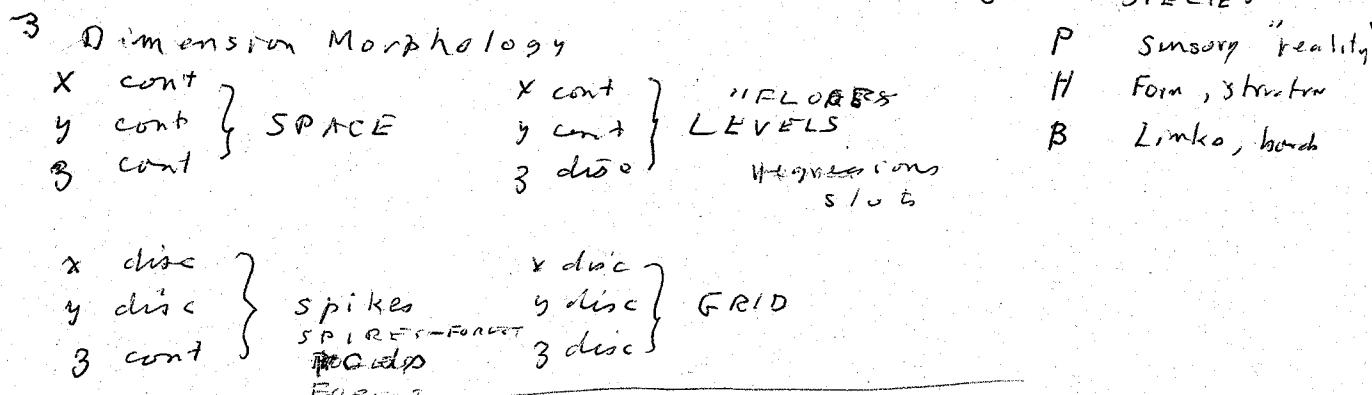
METAPHOR

TRUTH

MATTER

MATHEMATICS

LEVELS 2 dm HIERARCHIES 1 DIM also eigen values & disc
 REGRESSIONS 3 DIM X cont, 3 cont, y disc
 MATROSHKAS 4 DIM 3 cont, 4th disc



DIMENSIONALITY MORPHOLOGY

INVARIANTS

BRAHMANS: The ~~Parametidean~~ and PARMENIDEAN
 The ultimate unchanging base, foundation, ~~affinable~~ structures.

e.g.

- G, c, \hbar Newton's constant; velocity of light; Planck's constant
 discrete • or God, Christ, Holy spirit
- Minkowski's spacetime continuous and continuous

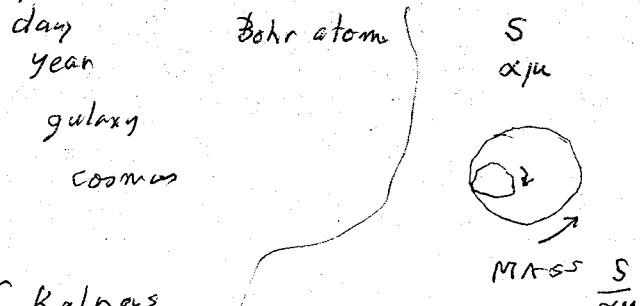
INVARIANTS
 SYMMETRIES

FRACTALS

ALMS

Geometric means

Loop Matroskhas



of Kalpas

Yugas

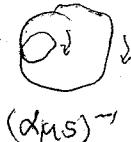
Brahmas

Baktuns

MASS $\frac{S}{\alpha m}$



SPACE $\alpha M S$



$\rightarrow G, C, \hbar$

$$\frac{\hbar c}{GM^2} = \left(\frac{m_0}{M}\right)^2 \sim [0]; \quad \left(\frac{\hbar c}{GM^2}\right)^n \sim [0] \quad \left(\frac{C^4 L^3 M}{G \hbar^2}\right)^n \sim [0]$$

$$\frac{G\hbar}{C^3 L^2} = \left(\frac{L}{L}\right)^2 \sim [0]; \quad \left(\frac{G\hbar}{C^3 L^2}\right)^n \sim [0]$$

$$\frac{G\hbar}{C^5 T^2} = \left(\frac{t_0}{T}\right)^2 \sim [0]; \quad \left(\frac{G\hbar}{C^5 T^2}\right)^n \sim [0]$$

More on cont - disc.

Bound states, Bound spheres

3 cont, 1 disc for caste, class

Nested Boxes, Matroshka
3disc, 3cont

$$C=0$$

$$\hbar=0$$

$$G=0$$

$$\left(\frac{GM^3 L}{\hbar^2}\right)^n \sim [0] \quad \left[\frac{GM}{C^2 L}\right]^n \sim [0] \quad \left[\frac{MLC}{\hbar}\right]^n \sim [0]$$

$$\frac{C^4}{G} \frac{\hbar^4}{G^2 M^6 L^2} = \frac{C\hbar}{L^2} \cdot \left(\frac{m_0}{M}\right)^6$$

$$\frac{C^4}{G} \left(\frac{GM}{C^2 L}\right)^2 = \frac{GM^2}{L^2}$$

$$\frac{C^4}{G} \left(\frac{MLC}{\hbar}\right) = \frac{ML}{t_0^2}$$

$$\hbar=0$$

$$F(M, L) \cdot \left(\frac{GM}{C^2 L}\right)^n = \frac{GM^2}{L^2} \quad \text{where } n = M-L+2$$

$$F(M, L) \cdot \left(\frac{GM}{C^2 L}\right)^b = \frac{C^4}{G} \quad \text{where } b = M-L$$

$$\left(-\frac{1}{2}, \frac{3}{2}\right) \frac{GM^2}{L^2} \left(\frac{GM}{C^2 L}\right)^{-2} = \frac{C^4}{G} \left(\frac{1}{2}, \frac{1}{2}\right)$$

$$G=0$$

$$F(M, L) \cdot \left(\frac{MLC}{\hbar}\right)^w = \frac{\hbar c}{L^2}, \quad w = 3M-L$$

QUEST
SEARCH FOR SYMMETRIES

SPECIES of CLOCKS

▷ G, C, h most

$$\text{▷ } G, C \neq h \rightarrow \frac{M}{L} = \frac{C^3}{G}$$

$$\text{▷ } G, h \neq C \rightarrow M^3 L = \frac{h^2}{G}$$

$$\text{▷ } C, h \neq G \rightarrow M L = \frac{h^2}{G}$$

▷ only C & t

▷ only h ~~✓~~

▷ only G ~~✓~~

~~▷ more~~ none

contain 2 all in roh diagonal

all in a G diag

all in n C diag

$$M^3 L = \frac{h^2}{G}$$

$$M^3 R_v = \frac{h^2}{G}$$

$$m_p \frac{GM_0}{C^2} = \frac{h^2}{G}$$

$$m_p^2 M_0 = \frac{C^2 h^2}{G} = m_0^4$$

$$M_0 = \frac{m_0^4}{m_p}$$

$$\frac{m_0}{m_p} = \frac{h_0}{M_0}$$

$$\frac{r_e}{l_0} = \frac{L_0}{L_0}$$

$$\frac{h^2}{G} = \frac{M}{L^3} \quad M^3 L = \frac{h^2}{G}$$

Relations between m_p and V

$$m_p^3 M_0 = m_0^4 \quad m_p^3 R_v = \frac{h^2}{G}$$

$$m_p^3 L_0 = \frac{h^2}{G} (\alpha \mu)^3$$

$$R_v = \frac{GM_0}{C^2}$$

$$R_p = \frac{GM_p}{C^2} = -51,905,539$$

$$\left(\frac{S}{\alpha \mu}\right)^{3/2} m_0 = M_0$$

$$M_0 = \left(\frac{S}{\alpha \mu}\right)^2 m_p$$

$$R_v = \frac{L_0}{(\alpha \mu)^3}$$

$$\frac{r_e}{R_p} = S$$

$$M_R = \left(\frac{S}{\alpha \mu}\right)^{3/2} m_0$$

$$\left(\frac{S}{\alpha \mu}\right)^{1/2} m_p = \left(\frac{S}{\alpha \mu}\right)^{1/2} m_0$$

$$R_v = 24.551256$$

$$\frac{R_v}{R_p} = \left(\frac{S}{\alpha \mu}\right)^2 = \frac{M_0}{m_p}$$

$$M_R m_0 = m_p M_0$$

$$\frac{m_p}{r_e} S = \frac{c^2}{G}$$

$$\frac{m_p}{R_p} = \frac{c^2 \alpha \mu}{G}$$

$$\frac{L_0}{r_e} = d \mu s$$

$$\frac{h}{c} = -37.453745$$

$$\frac{M_0}{L_0} (\alpha \mu)^3 = \frac{c^2}{G}$$

$$\frac{M_0}{R_v} = \frac{c^2}{G}$$

$$m_p R_p = \frac{h}{c} \frac{1}{\alpha \mu s} \times \text{need an } (\alpha \mu)^2$$

$$M_0 L_0 S^{-3} = \frac{h}{c}$$

$$M_0 R_v = \frac{h}{c} \left(\frac{S}{\alpha \mu}\right)^3$$

$$m_0 \cdot l_0 = \frac{h}{c}$$

RESONANCES

$$+3 \approx -1 \Rightarrow M^3 L = \frac{h^2}{G} \quad \text{or} \quad ML = \frac{h}{c}$$

$$m \approx c \Rightarrow M^3 L = \frac{h^2}{G}$$

Destination m_0

l_0

5 destinations

m_0

l_0

$$\frac{M}{L} = \frac{c^2}{G}$$

$$ML = \frac{h}{c}$$

$$M^3 L = \frac{h^2}{G}$$

STRUCTURE FORMULAE

$$1) M_n' = \frac{M_0^{n+1}}{M_{-1}^n}$$

MASS

$$m = -1, 0, 1, 2, 3$$

$$2) L_n' = \frac{L_0^n}{L_{-1}^{n-1}}$$

SIZE

$$R_n' = \frac{G}{C^2} \frac{M_0^{n+1}}{M_{-1}^n}$$

$$\frac{L_n'}{R_n'} = (\alpha\mu)^{fm}$$

for $n=0, 1, 2, 3$
 ≈ 5 for $n=-1$

$$R = [L] = \frac{GM}{C^2}$$

Subscripts

$$-1 = B$$

$$0 = P$$

$$1 = D$$

$$2 = *$$

$$3 = V$$

Superscripts

$$\begin{matrix} 3 \\ \text{exponent} \end{matrix}$$

$$\frac{M_n'}{L_n'} = \frac{C^2}{G} \left(\frac{M_0 L_0}{M_{-1} L_{-1}} \right)^n = \frac{C^2}{G} (\alpha\mu)^{-n}$$

$$M_n' L_n' = \frac{\hbar}{C} \cancel{S}^{-n}$$

$$\text{for } \alpha \in 0, 1, 2, 3$$

$$\text{for } n \in -1, 0, 1, 2, 3$$

$$\frac{M_m'}{R_m'} = \frac{C^2}{G}$$

$$M_n' R_n' = \frac{G}{C^2} m_0^2 \left(\frac{S}{\alpha\mu} \right)^n = \frac{\hbar}{C} \left(\frac{S}{\alpha\mu} \right)^n$$

$n = -1, 0, 1, 2, 3$

$$\begin{matrix} 2M(R) & \text{OK} & -1, 0, 1, 2, 3 \\ M(t) & \text{OK} & 0, 1, 2, 3 \end{matrix}$$

rev at -1

Source of 1) and 2)

and

$$M^3 L \frac{C^4}{G} \text{ are forces}$$

for Times not containing C

$$\frac{\hbar^3}{G} = -46.788553241$$

$$T \text{ at } L=0, M=-1 \rightarrow \frac{\hbar}{MC^2} \text{ also}$$

$$\Rightarrow F \text{ at } [0, -1] = M^3 L \frac{C^4}{h^2}$$

$$m_0^3 l_0 \frac{C^4}{h^2} = \frac{C^4}{G} \Rightarrow m_0^3 l_0 = \frac{h^2}{G}$$

$\cancel{\propto} M, L$

$$-2, +1$$

$$-\frac{1}{2}, +\frac{3}{2}$$

and $\cancel{\propto} -1, 0$

$$+1, +2$$

$$+2, +2, +5$$

$$\text{als. } M_3 = \frac{M_2^2}{M_1}$$

$$M_3'' = \frac{m_0^4}{m_p} \Rightarrow \frac{M_3''}{M_D} = \frac{m_0^4}{m_p}$$

M, R , The unexpanded universe $M \propto R$ $k = \frac{c^2}{G}$
 L is result of expansion
 inc α^2, α_m, S factors etc $M \cdot 10^{-23} = R$

$$\begin{aligned}
 M^3 L &= \frac{h^2}{G} \\
 \sim R^3 L &\approx \frac{h^2 G^3}{G C^2} = l_0^4 \\
 L_n &\approx \frac{l_0^4}{R_n^3}
 \end{aligned}$$

$$M, L \rightarrow C = 0 \quad \frac{GM^3}{L^2} \rightarrow \frac{C^4}{G}$$

$$\frac{5}{2}, \frac{5}{2} \quad \frac{\hbar^2}{GM^4 L^4} \left(\frac{GM^3 L}{\hbar^2} \right)^2$$

$$l, 2 \quad \frac{\hbar^2}{ML^3} \left(\frac{GM^3 L}{\hbar^2} \right)^1$$

$$-\frac{1}{2}, \frac{3}{2} \quad \frac{GM^3}{L^2} \left(\frac{GM^3 L}{\hbar^2} \right)^0$$

$$-2, 1 \quad \frac{M^5 G^3}{L \hbar^2} \left(\frac{GM^3 L}{\hbar^2} \right)^{-1}$$

$$-\frac{7}{2}, +\frac{1}{2} \quad \frac{M^8 G^3}{\hbar^4} \left(\frac{GM^3 L}{\hbar^2} \right)^{-2}$$

$$\frac{11}{L} C^2 = \frac{GM^3}{L^2} \rightarrow \frac{M}{L} = \frac{C^3}{G}$$

the centrifugal to gravity balance
of orbiting planet

$$= \frac{M}{L} = \frac{v^3}{G} \quad \text{or} \quad R = v^2$$

ALAN WATTS

BEHOLD THE SPIRIT

Alan W. Watts

1947

III-A-4

Religion, Philosophy

NATURE, MAN AND WOMAN

Alan W. Watts

1958

III-A-4

Philosophy, Religion

THE BOOK ON THE TABOO AGAINST KNOWING WHO YOU ARE

Alan W. Watts

1966

III-A-4

Philosophy, Religion

MYTH AND RITUAL IN CHRISTIANITY

Alan W. Watts

1968

III-A-4

Philosophy, Religion

FORCES

converges to $\frac{GM^3}{L^2}$ $\frac{h}{t} = 0$

$$F(M, L) \cdot \left(\frac{GM}{C^2 L} \right)^n = \frac{GM^3}{L^2} \quad \left(\frac{GM}{C^2 L} \right)^n \text{ is a "vector identity" [O]}$$

$$\underline{m = M-L+2} \quad n = 3M+L$$

converges to $\frac{C^4}{G}$ $F(M, L) \cdot \left(\frac{GM}{C^2 L} \right)^k = \frac{C^4}{G}$
 $k = M-L$

$F(M, L)$
 M/L values
from Table

$$G = 0$$

$$F(M, L) \cdot \left(\frac{MLC}{h} \right)^w = \frac{h C}{L^2} \quad \text{where } w = 3M-L$$

$\left(\frac{MLC}{h} \right)^w$ is a vector identity [O]

~~$F(M, L) \cdot \left(\frac{MLC}{h} \right)^w = \frac{h C}{L^2}$~~

$\left(\frac{C^4 L^3 M}{G h^2} \right)$ [O] vector identity

~~$F(M, L) \cdot \left(\frac{C^4 / 3M}{G h^2} \right)^2 = \frac{C^4}{G h^2}$~~

$$G=0 \quad F(M, L) \cdot (X) = \frac{C^4}{G} \quad F(M, L) \cdot \left(\frac{MLC}{h} \right)^w \cdot \frac{L^2}{h^3} = \frac{C^4}{G} \quad w = 3M-L$$

(X) is a different [O] for each $G=0$ case

$$G = 0$$

$$F(M \cdot L) \cdot \frac{M^{P-2} L^P C^{P+1}}{h^{P-1} G} = \frac{C^4}{G} \quad \text{no} \quad \text{where } P = M+L$$

not a force

$$\left(\frac{MLC}{h} \right)^P \frac{C h}{G M^2} \rightarrow \cancel{\frac{1}{1}} \quad \left(\frac{Ch}{GM^2} \right) \text{ vector ident.}$$

$$\cancel{G} = 0$$

$$F(M \cdot L) \left(\frac{Ch}{GM^2} \right)^v \quad \text{where } v = 3M-L$$

Force $\Rightarrow G, C, h$

$$\hbar = 0$$

$$M, L = (2, -1) \quad k=3$$

$$\frac{L^3}{M^3} \frac{C^{10}}{G^7} \left(\frac{GM}{C^2 L} \right)^k = \frac{C^4}{G}$$

$$M, L = \left(\frac{3}{2}, -\frac{1}{2} \right), \quad k=2$$

$$\frac{L^3}{M^2} \frac{C^8}{G^3} \left(\frac{GM}{C^2 L} \right)^k = \frac{C^4}{G}$$

$$(1, 0) \quad \frac{L}{M} \frac{C^6}{G^2} \left(\frac{GM}{C^2 L} \right)^k = 1$$

$$\frac{1}{2}, \frac{1}{2}$$

$$0, 1 \quad \frac{MC^2}{L^2} \left(\frac{GM}{C^2 L} \right)^{-1}$$

$$-\frac{1}{2}, \frac{3}{2} \quad \frac{GM^3}{L^2} \left(\frac{GM}{C^2 L} \right)^{-2}$$

M	L	k	$M-L = k$
2	-1	3	
$\frac{3}{2}$	$-\frac{1}{2}$	2	
1, 0		1	
$\frac{1}{2}, \frac{1}{2}$		0	
0, 1		-1	
$-\frac{1}{2}, \frac{3}{2}$		-2	

$$\left(\frac{GM}{C^2 L} \right)^k = \text{vector identity}$$

$$G=0$$

$$\frac{\hbar c}{L^2}$$

$$\rightarrow \frac{C^4}{G}$$

$$\rightarrow \frac{\hbar c}{L^2}$$

$$\rightarrow \frac{C^4}{G}$$

$$\frac{M}{L} C^2 \left(\frac{MLc}{\hbar} \right)^m = \frac{\hbar c}{L^2}$$

$$M \quad L \quad n$$

$$\frac{\hbar c}{L^2} \nu \left(\frac{G \cdot k}{C^3 L^2} \right)^{-1}$$

$$(0, 1) \frac{M}{L} C^2 \left(\frac{\hbar}{MLc} \right)^1 = \frac{\hbar c}{L^2} \left(\frac{1}{2}, \frac{3}{2} \right)$$

$$\begin{array}{c|c} 1, 2 & -1 \\ \hline \frac{1}{2}, \frac{3}{2} & 0 \\ \hline 0, 1 & 1 \\ -\frac{1}{2}, \frac{1}{2} & 2 \end{array}$$

$$N = L - 3M$$

$$(1, 2) \frac{\hbar^2}{ML^3} \left(\frac{\hbar}{MLc} \right)^{-1} = \frac{\hbar c}{L^2}$$

$$L - 3M$$

$$\left(\frac{\hbar}{MLc} \right)^n = \text{a vector identity}$$

$$-\frac{1}{2}, \frac{1}{2} \quad \frac{M^2 C^3}{\hbar} \cdot \left(\frac{\hbar}{MLc} \right)^2$$

$$L - 3M$$

$$\frac{\hbar^3}{ML^3}$$

$$\frac{\hbar c}{L^2} \rightarrow \frac{C^4}{G}$$

$$\frac{\hbar c}{L^2} \frac{C^3 L^3}{G^4}$$

$$\left(\frac{ML^4}{\hbar} \right)^n \frac{\hbar c}{L^2} =$$

$$\left(\frac{C^3 L^3}{G \cdot k} \right) \quad [0]$$

$$\frac{C^5 T^2}{G^4} \cdot \frac{\hbar c}{L^2} = \frac{C^6}{G} \frac{T^3}{L^2} = \frac{C^4}{G}$$

$$\frac{L^5}{T^3}$$

$$t=0 \quad n=5$$

$$\frac{L^3}{M^3} \frac{C^{10}}{G^4} \left(\frac{GM}{C^2 L} \right)^n = \frac{L^3 C^{10} G^5 M^5}{L^5 C^{10} G^4 M^3} = \frac{GM^2}{L^2}$$

$$n=4$$

$$\frac{L^3}{M^3} \frac{C^{10}}{G^4} \left(\frac{G^4 M^4}{C^8 L^4} \right) = \frac{MC^2}{L}$$

$$n=3$$

$$\frac{L^3}{M^3} \frac{C^{10}}{G^4} \left(\frac{G^5 M^3}{C^6 L^3} \right) = \frac{C^4}{G}$$

$$\frac{L^3 C^{10}}{M^3 G^4} \left(\frac{G^2 M^2}{C^4 L^2} \right) = \frac{L}{M} \frac{C^6}{G^3}$$

$$n=2$$

$$\frac{L^3 C^{10}}{M^3 G^4} \left(\frac{G^6 M^6}{C^{12} L^6} \right) = \frac{M^3 G^2}{L^3 C^2}$$

$$\frac{GM^2}{L^2} \left(\frac{GM}{C^2 L} \right) = \frac{G^2 M^3}{C^4 L^2}$$

$$\frac{GM^2}{L^2} \cdot x = \frac{C^4}{G}$$

$$x = \frac{C^4 L^2}{G^2 M^3}$$

$$\left(\frac{C^4 L^2}{G^2 M} \right)^n \frac{L^3 C^{10}}{M^3 G^4}$$

$$\frac{C^4 L^2}{G^2 M} \frac{GM}{C^4 L}$$

$$(M, L) (+2, -1) \cdot \left(\frac{GM}{C^2 L} \right)^5 = \frac{GM^2}{L^2}$$

$$\begin{aligned} & (-\frac{3}{2}, -\frac{1}{2}) ()^4 \\ & (1, 0) ()^3 \\ & (\frac{1}{2}, \frac{1}{2}) ()^2 \\ & (0, 1) ()^1 \end{aligned}$$

$$\frac{L^2}{M^2} \frac{C^8}{G^8} \left(\frac{GM}{C^2 L} \right)^4 = \frac{G^4 M^2}{L^3} \cancel{C^8}$$

$$\begin{aligned} & (-\frac{1}{2}, +\frac{3}{2}) ()^0 \\ & (-1, +2) ()^{-1} \end{aligned}$$

$$\frac{M^3}{L^3} \frac{C^2}{C^2} \frac{C^2 L}{GM} = \frac{GM}{L^2}$$

CONVERT TO $\frac{C^4}{G}$

$$\frac{L}{M} \frac{C^8}{G^8} \frac{MG}{L C^2}$$

$$\frac{L^3 C^{10}}{M^3 G^4} \cdot x = \frac{C^4}{G} \frac{M^3 G^4}{L^3 C^{10}}$$

$$x = \frac{M^3 G^3}{L^3 C^6}$$

$$\left(\frac{MG}{LC^2} \right)^m$$

$L=1$	n
$2, -1$	5
$\frac{3}{2}, -\frac{1}{2}$	4
$1, 0$	3
$\frac{1}{2}, \frac{1}{2}$	2
$0, 1$	1
$-\frac{1}{2}, +\frac{3}{2}$	0
$-1, +2$	-1

$$\boxed{M-L+2=n}$$

$$\boxed{t=0 \quad F(M, L) \cdot \left(\frac{GM}{C^2 L} \right)^n = \frac{GM^2}{L^2}}$$

where $n = M-L+2$

CONVERT TO $\frac{GM^2}{L^2}$

$$\frac{L^3 C^{10}}{M^3 G^4} \left(\frac{MG}{LC^2} \right)^n$$

$m=3$	$m=2$	-1
2	3	2
1	0	1

$$\frac{L^2}{M^2} \frac{C^8}{G^8} ()$$

$$\boxed{t=0 \quad F(M, L) \cdot \left(\frac{MG}{LC^2} \right)^n = \frac{C^4}{G}}$$

where $n = M-L+2$

$\hbar = 0$

$$\frac{GM^2}{L^2}$$

 $G = 0$

$$\frac{M}{L} C^2$$

 $C = 0$

$$\frac{\hbar^2}{ML^3}$$

U

$$42.320136$$

$$\frac{C^4}{G} (\alpha\mu)^{-6}$$

$$45.701357$$

$$\frac{C^4}{G} (d\mu)^{-3}$$

$$-190, 431476$$

$$\frac{C^4}{G} S^{-6} (\alpha\mu)^{-7}$$

★

$$44.574284$$

$$\frac{C^4}{G} (\alpha\mu)^{-4}$$

$$46.828431$$

$$\frac{C^4}{G} (\alpha\mu)^{-2}$$

$$-110.593458$$

$$\frac{C^4}{G} S^{-4} (\alpha\mu)^{-2}$$

$$\Delta = 8^3 d\mu$$

$$= 79.838018$$

D

$$46.828432$$

$$\frac{C^4}{G} (\alpha\mu)^{-2}$$

$$47.955505$$

$$\frac{C^4}{G} (\alpha\mu)^{-1}$$

$$-30.755440$$

$$\frac{C^4}{G} S^{-2} (\alpha\mu)^{-1}$$

P

$$C^4/G$$

$$49.082578$$

$$\frac{C^4}{G}$$

$$C^4/G$$

B

$$-29.628374$$

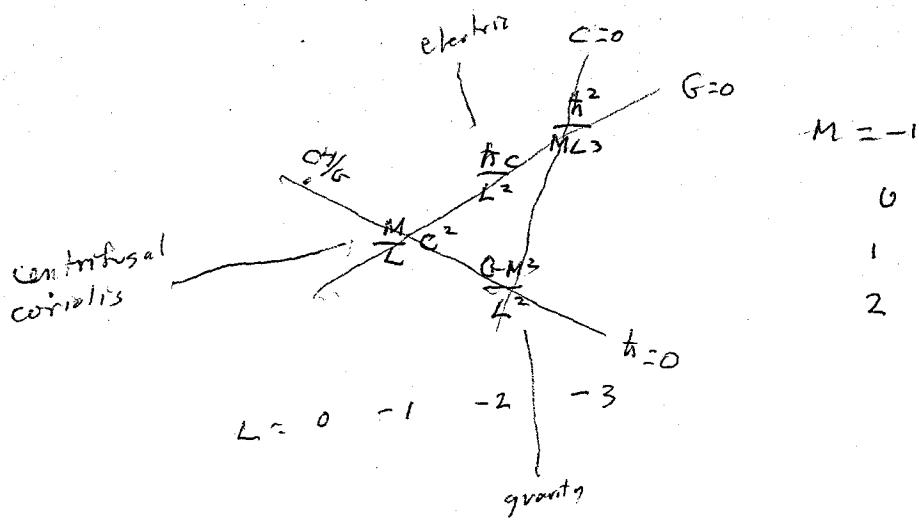
$$\frac{C^4}{G} S^{-2}$$

$$9.727107$$

$$\frac{C^4}{G} S^{-1}$$

$$7.472959$$

$$\frac{C^4}{G} S^{-1} (\alpha\mu)^{-2}$$



What postulates, assumptions, rules
are needed to construct a Cosmic Template?
[Cosmography]

BASIC QUANTITIES

$$\begin{aligned}m_0 &= -4.662403789 \\m_0^2 &= -9.324807578 \\m_0^3 &= -13.987211367 \\m_0^4 &= -18.649615156\end{aligned}$$

$$\begin{aligned}m_p &= -23.776602304 \\m_p^2 &= -47.553204608 \\m_p^3 &= -71.329806912\end{aligned}$$

$$c = 10.470820703$$

$$t = -26.976928700$$

$$G = -7.175295619$$

$$\left[\frac{ML^3}{T} \right]$$

$$\left[L^3/mT^2 \right]$$

$$\frac{c^2}{G} = 28.128937025 \quad \left[\frac{M}{L} \right]$$

$$\frac{t}{c} = -37.453744633 \quad [ML]$$

$$\frac{t^2}{G} = -46.778552241 \quad [M^3L] = m_0^3 l_0$$

$$M_{02} = -42,890801$$

$$m_p = -23.776602$$

$$m_0 = -4.662404$$

$$M_D = 14.451796$$

$$M_{\#} = 33.565985$$

$$M_V = 52.680194$$

$$\Delta = 19.114198515$$

$$R = \frac{GM}{c^2}$$

$$v_e = -12.550068214 R_P \quad -51.905539 = v_e/s$$

$$l_0 = 32.791340828 R_0 \quad -32.791341 = l_0$$

$$L_D = v_e \quad R_D = -13.677141 = v_e/2m$$

$$L_R = 7.691205 \quad R_R + 5.437058 = \frac{L_R}{(2m)^2}$$

$$L_U = 27.932478 \quad R_U + 24.551256 = \frac{L_U}{(am)^3}$$

$$\Delta = 20.241272614 \quad \Delta = 19.114$$

V	$\frac{M}{R}$	$\frac{M}{R}$	α	α	D	$\frac{P}{R}$	$\frac{P}{R}$	actual
$\left[\frac{M}{R} \right] = 28.128938$	28.128938	28.128938	28.128938	28.128937	28.128937	28.128937	28.128937	$B \text{ or } P$
$M_R = 77.231450 \quad \frac{S}{am}$	39.003053	39.003053	$\frac{S}{(am)} \quad 0.774655$	$(am) \frac{S}{am} \quad -37.453745$	$(am) \frac{S}{am} \quad -37.453745$	28.128937	28.128937	28.128937
$\left[\frac{M}{L} \right] = 24.747716 \quad \frac{dM}{25.874790}$	27.001864	27.001864	$\frac{dM}{am} \quad 28.128937$	$dM \quad 28.128937$	$dM \quad 28.128937$	-11.226534	-11.226534	S
$ML = 80.612672 \sim 41.257200$	$-5 - 1.901728$	$-5 - 1.901728$	$-5 - 37.453745$	$-5 - 37.453745$	$-5 - 36.326670$	$-5 - 36.326670$	$-5 - 36.326670$	S

V	X	D	P	B	M_B
$M_V = \frac{m_0^4}{m_p^3}, \quad M_{\#} = \frac{m_0^3}{m_p^2}, \quad M_D = \frac{m_0^2}{m_p}, \quad m_0 = \frac{m_0}{m_p}, \quad m_p = \frac{m_0}{m_p^{-1}}, \quad M_{02} = \frac{m_0^{-1}}{m_p^{-2}}$					$-42,890801$

$$L_U = \frac{r_e^3}{l_0^2}, \quad L_R = \frac{r_e^2}{l_0^1}, \quad L_D = \frac{r_e}{l_0^0}, \quad l_0 = \frac{r_e}{l_0^{-1}}, \quad L_P = \frac{l_0^{-1}}{l_0^{-2}}, \quad L_{02} = \frac{l_0^{-2}}{l_0^{-3}}$$

$$R_n = -71.019738$$

$$-53.032614 \quad -73.273687$$

L_P

L_m

$$\frac{\hbar^2}{G} (\rho_M)^3 = m_p^3 L_v$$

$$\frac{\hbar^2}{G} = m_o^3 l_o$$

$$m_p^3 M_v = m_o^4$$

SYMMETRY CONCEPT AND DEFINITIONS

- BALANCE ABOUT SOME 'FULCRUM'

$$\begin{array}{c}
 \text{AREA} \\
 \text{(SHAPE)} \\
 \text{MASS} \\
 M \times L \\
 \frac{M}{L}
 \end{array}
 \left\{
 \begin{array}{l}
 \text{AREA} \\
 \text{(SHAPE)} \\
 \text{MASS} \\
 M \times L \\
 \frac{M}{L} \quad \frac{C^2}{E} \quad \text{SCHWARTZ SCHILD}
 \end{array}
 \right.$$

$$f(y, \dots) = \varphi(y, \dots)$$

- INVARIANCE UNDER TRANSFORMATION

ROTATION

TRANSLATION

INVERSION (REFLECTION)

DILATATION (SCALE)

[FRACTALS]

INVARIANCE UNDER GRID INTERSECTIONS

$$F = \frac{ML}{T^2} = \frac{CM}{T} = \frac{C}{G} = \frac{\hbar}{CT^2} = \frac{MLC^5}{G\hbar} \quad \frac{1}{T} \sqrt{\frac{\hbar C^3}{G}}$$

Symmetry

$$\frac{S}{\alpha u} \approx M \quad S \cdot du \approx L$$